

Quantum computing with exciton-polariton condensates

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Plan

Introduction to exciton-polaritons

Cavity + quantum well, Light-matter hybridisation.

Polariton, Condensate.

Micropillars.

Few photon regime.

Quantum com. scheme based on exciton-polaritons

Theoretical scheme.

Single qubit gate control.

Two qubit gates.

Readout.

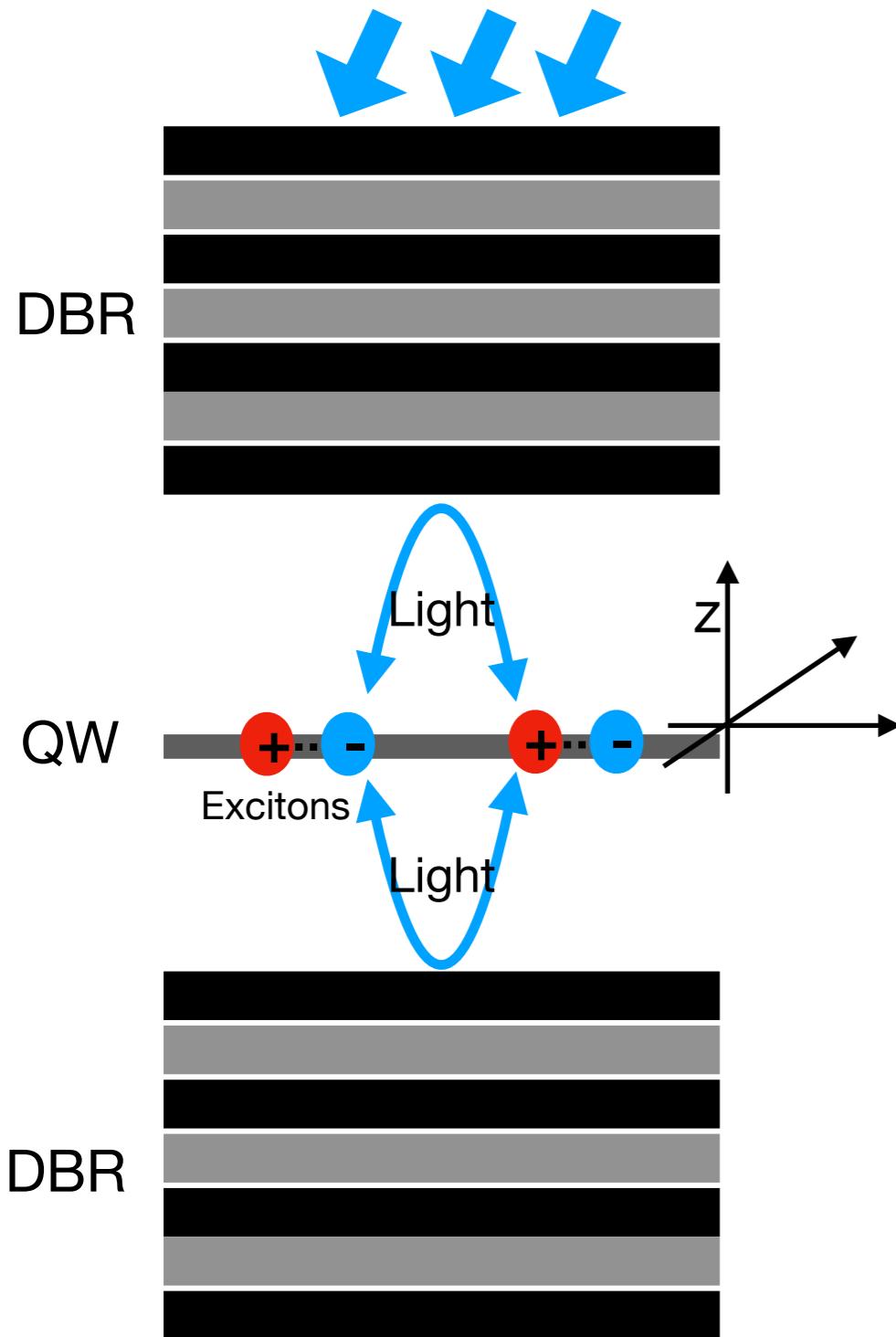
Some possible advantages

Scalability and size.

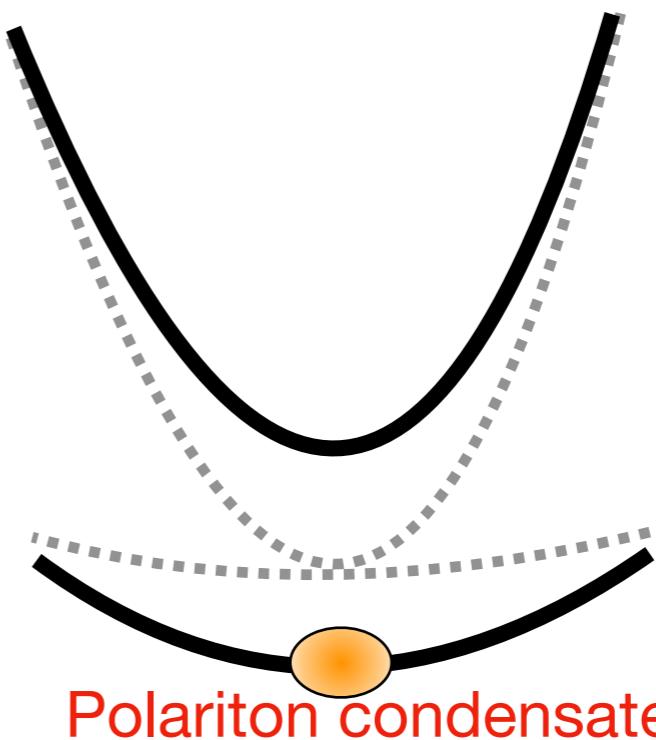
Operation temperatures.

Operating cost.

Exciton polaritons in semiconductor cavities



Light-matter hybridisation



Classical mean-field description

$$i\hbar\dot{\psi} = -\frac{\hbar^2}{2m^*} \nabla^2 \psi + \alpha |\psi|^2 \psi + i(P - \gamma)\psi + F$$

Nonlinearity
Interaction

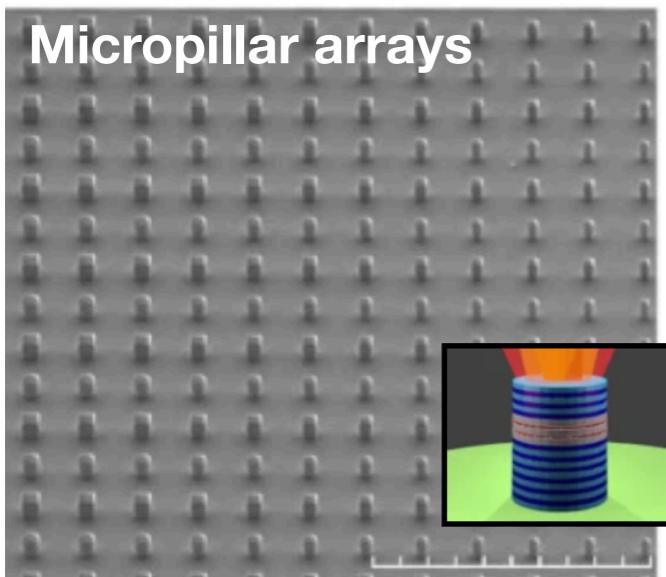
Non-resonant
Decay

Resonant

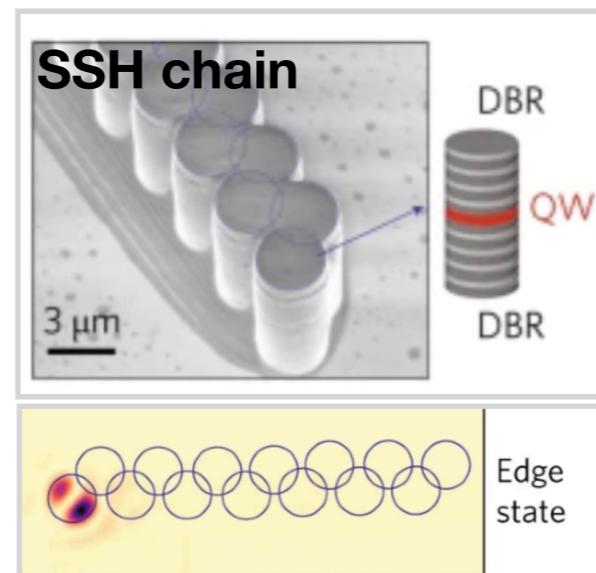
Exciton-polariton condensate

- Large occupation in a single cavity mode.
- Described by nonlinear GP equation.
- Driven-dissipation system.

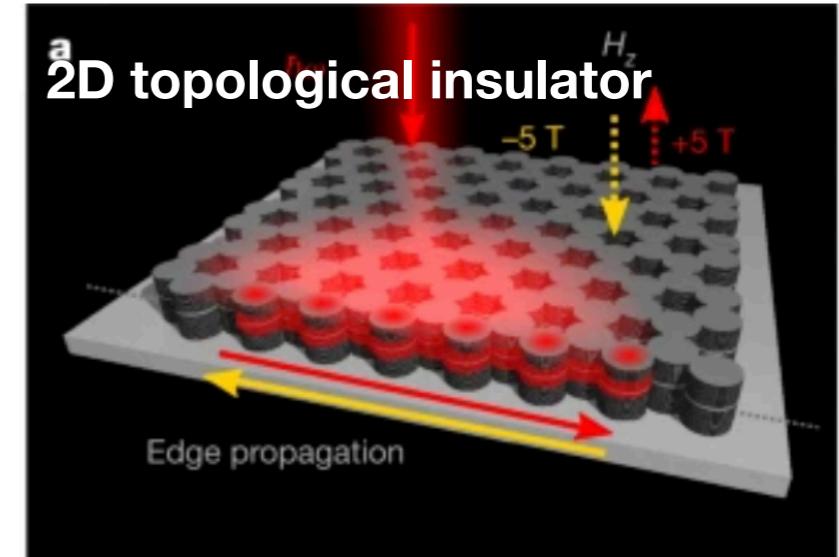
Semiconductor micropillars



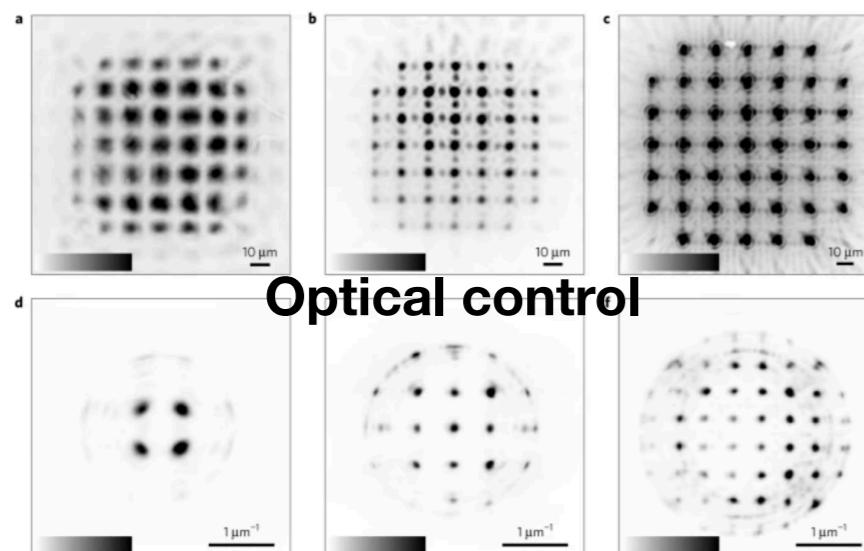
Nature Comm. vol 5, 3260 (2014)



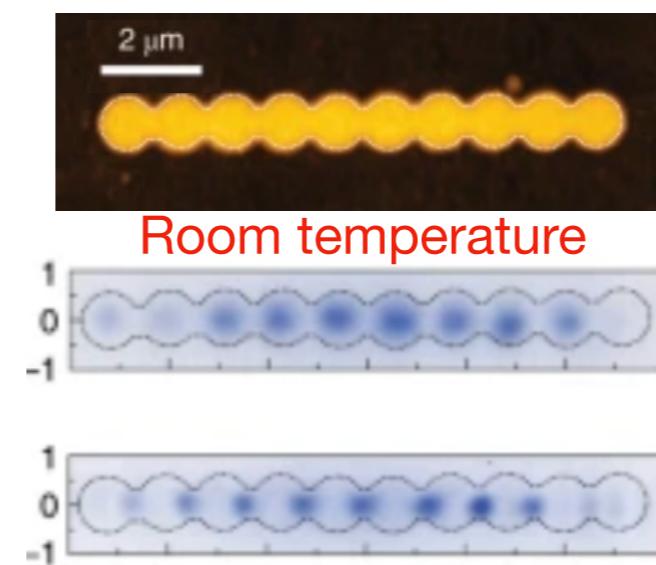
Nature Photonics, vol. 11, 651-656 (2017)



Nature, vol. 562, 552-556(2018)



Nature Materials vol.16, 1120–1126 (2017)



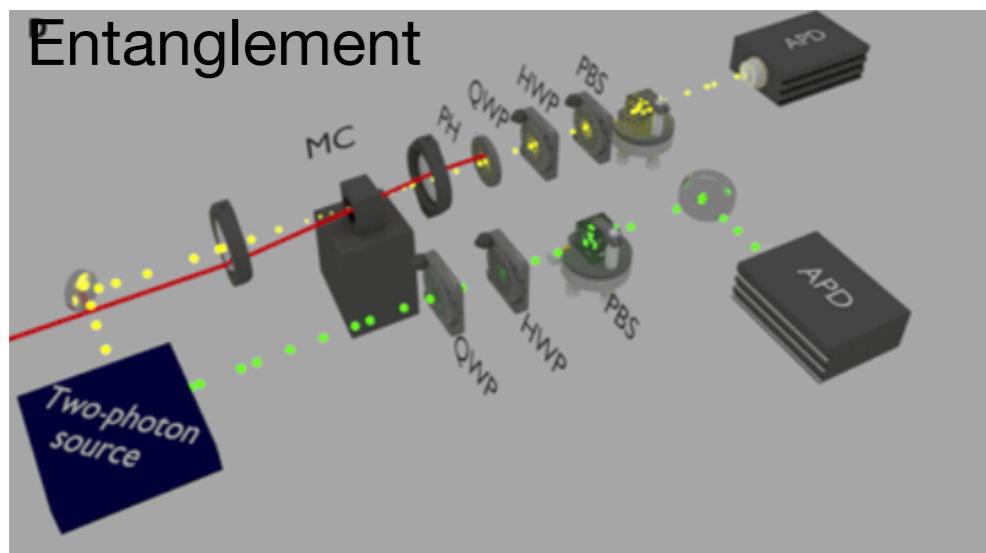
Nature Physics vol. 16, Pages 301–306(2020)

- Graphs of pillars.
- Topological lasing.
- Optical control.
- Small effective mass.
Large de Broglie wavelength.
- Can condensate at room temperature.

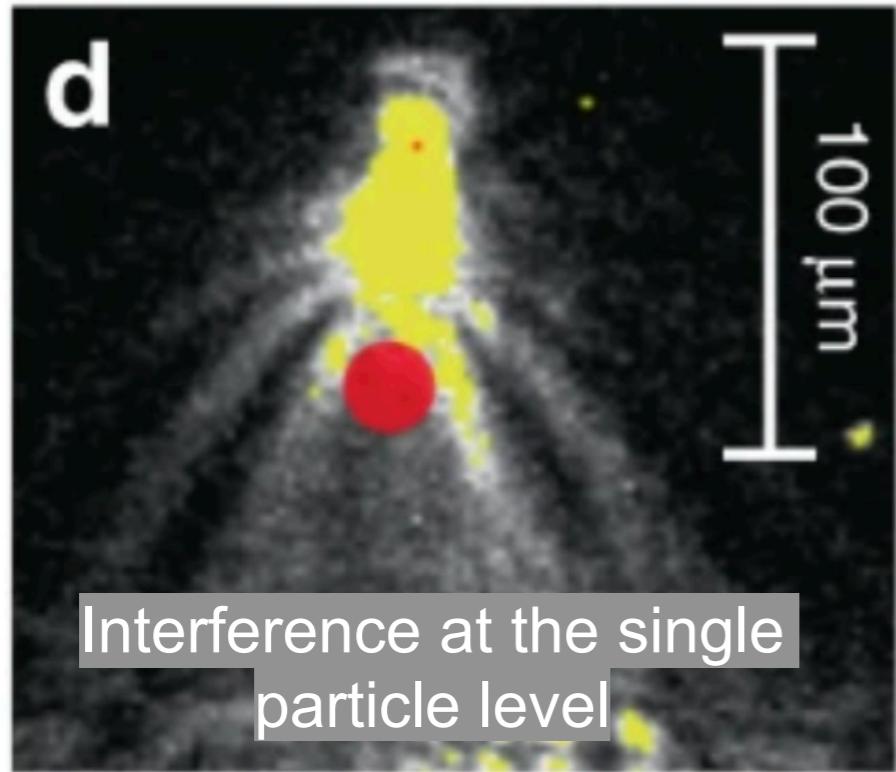
Classical mean-field!

Polaritons in quantum regime

Entanglement

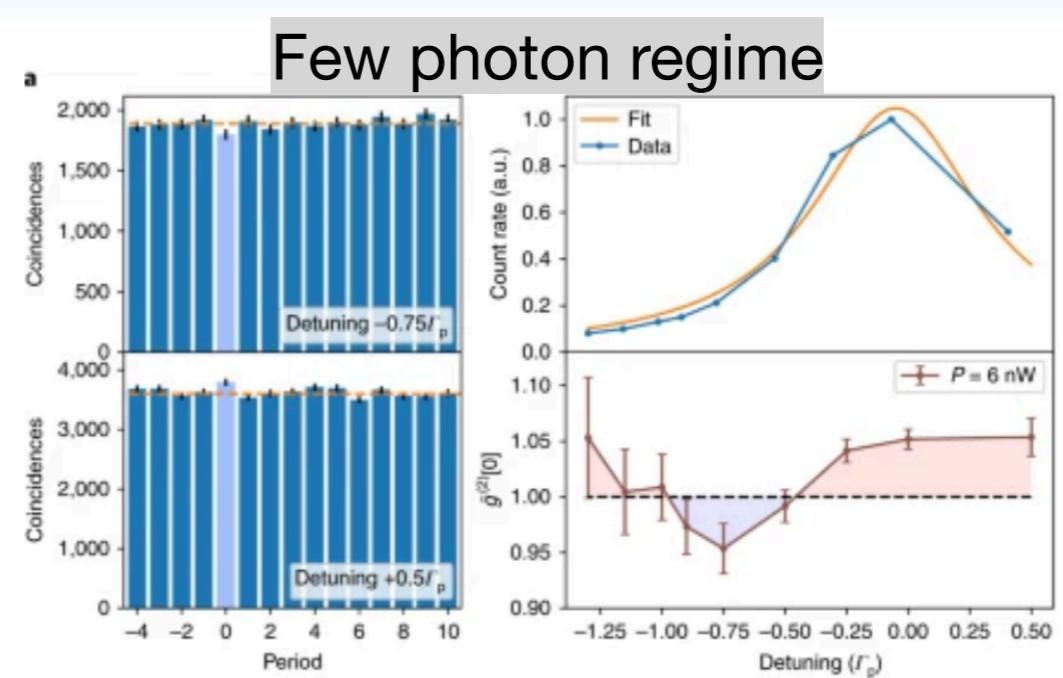


Science Advances Vol. 4, no. 4,
eaa06814 (2018)



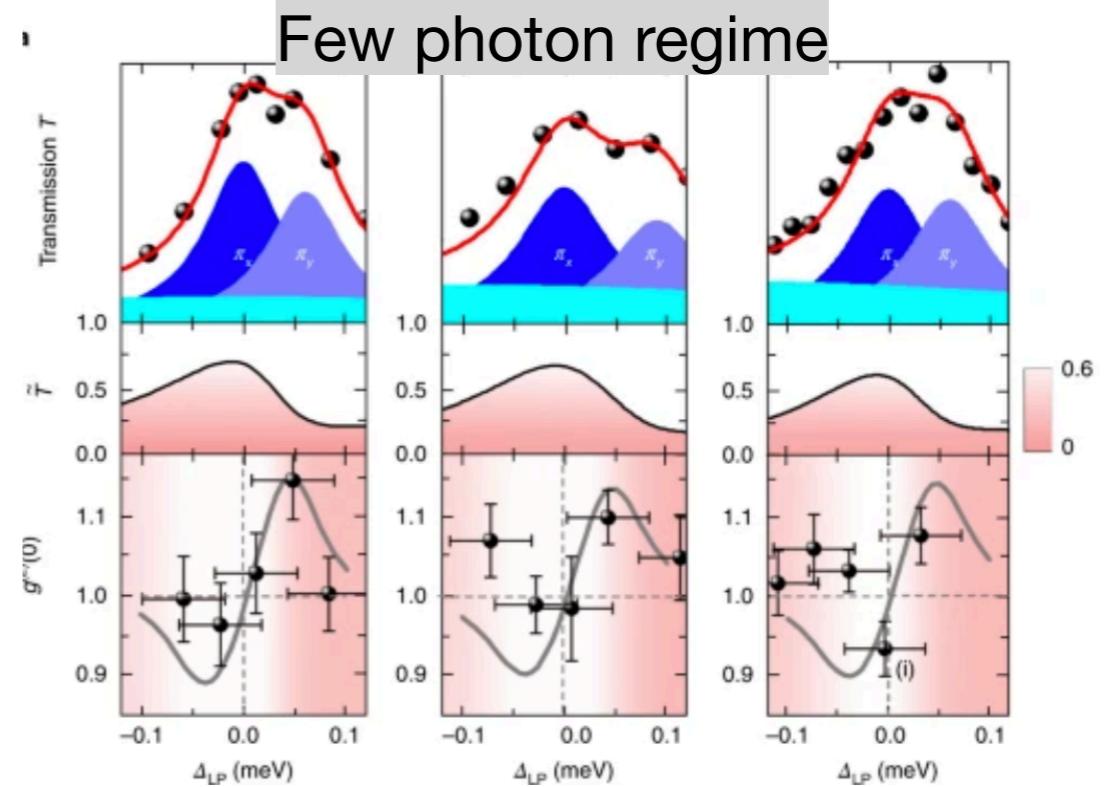
Light: Science & Applications
vol. 9, num 85 (2020)

Few photon regime



Nature Materials, vol. 18, 219–222(2019).

Few photon regime



Nature Materials vol. 18, 213–218(2019)

Requirements for quantum computing

- Qubit formation.
- Universal gate set.
- Control.
- Prob or readout.
- Fabrication technologies.
- Scalability.

Forming qubits with exciton-polaritons

$$H = \Delta \hat{a}^\dagger \hat{a} + \alpha \hat{a}^\dagger \hat{a}^\dagger \hat{a} \hat{a} + \mathcal{P}(t)^* \hat{a}^\dagger + \mathcal{P}(t) \hat{a},$$

$$\hat{N} = \hat{a}^\dagger \hat{a} \quad \hat{a} = \sqrt{\hat{N}} e^{-i\hat{\theta}} \quad [\hat{\theta}, \hat{N}] = i$$

$$H = \Delta \hat{N} + \alpha \hat{N}(\hat{N} - 1) + 2P\sqrt{\hat{N}} \cos(\varphi - \hat{\theta})$$

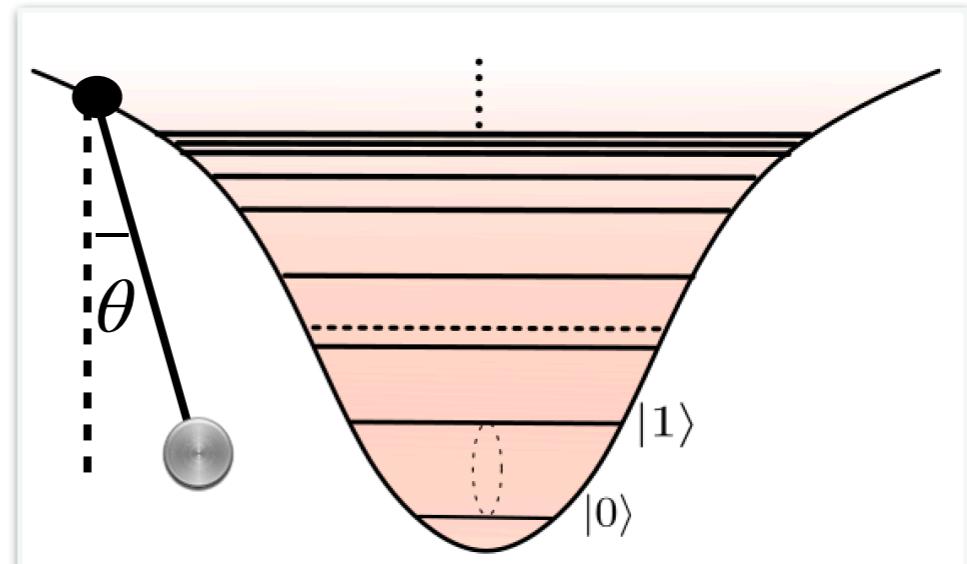
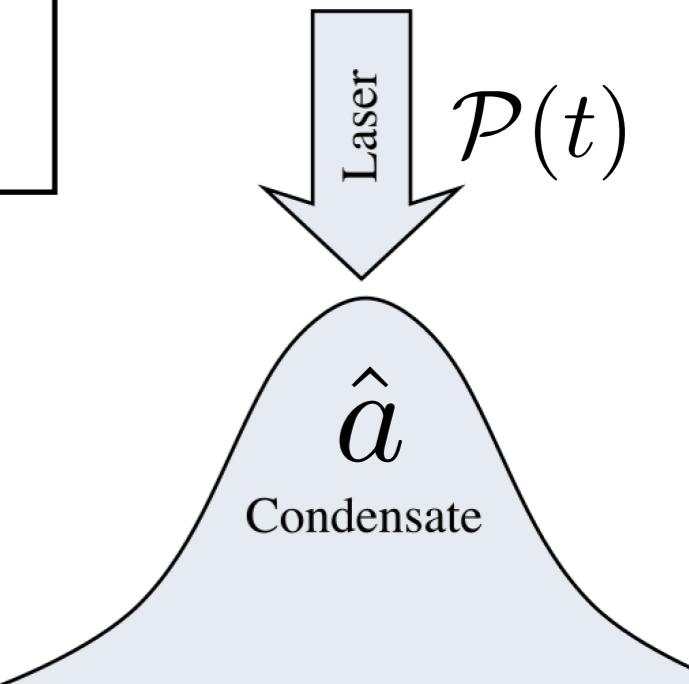
$$\hat{N} = N_c + \hat{n}$$

$$H = C + \Omega \hat{n} + \alpha \hat{n}^2 + 2P\sqrt{(N_c + \hat{n})} \cos(\varphi - \hat{\theta}),$$

$$\sqrt{\langle \hat{n}^2 \rangle} / N_c \ll 1$$

$$H_f = \Omega \hat{n} + \alpha \hat{n}^2 + 2P\sqrt{N_c} \cos(\varphi - \hat{\theta})$$

Oscillator, but not harmonic!

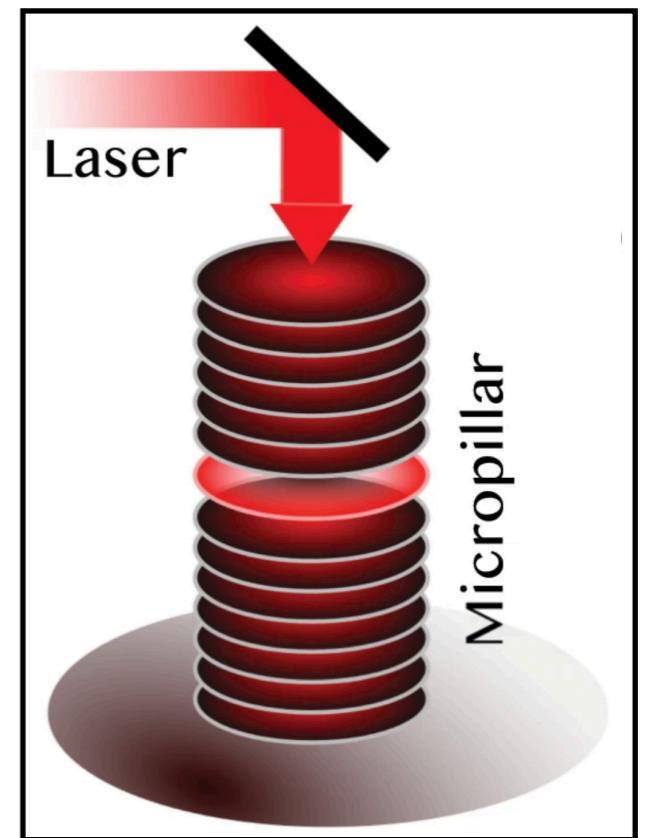
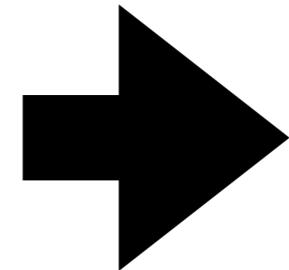
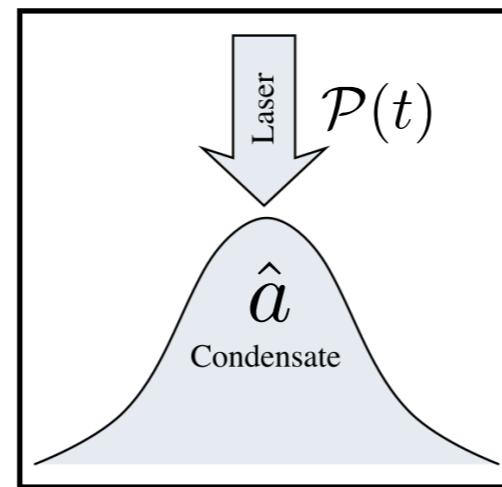
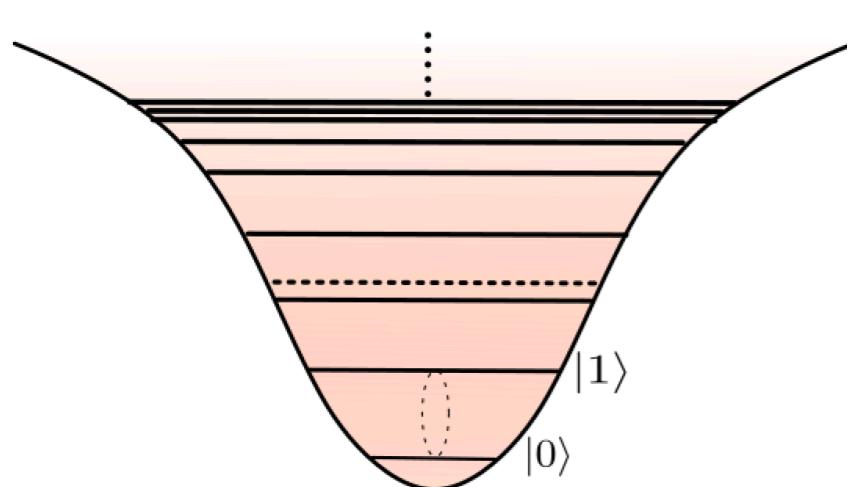


Forming qubits with exciton-polaritons

$$H_f = \Omega \hat{n} + \alpha \hat{n}^2 + 2P\sqrt{N_c} \cos(\varphi - \hat{\theta})$$

$$\hat{n}|n\rangle = n|n\rangle \quad \exp(\pm i\hat{\theta})|n\rangle = |n \pm 1\rangle$$

$$H_f = \sum_n \left[(\Omega n + \alpha n^2) |n\rangle\langle n| + P\sqrt{N_c} (e^{i\varphi} |n\rangle\langle n+1| + e^{-i\varphi} |n+1\rangle\langle n|) \right]$$



$$\hat{H}_q = \mathbf{E} \cdot \hat{\boldsymbol{\sigma}}$$

$$E_x = P\sqrt{N_c} \cos \varphi, E_y = P\sqrt{N_c} \sin \varphi, \\ E_z = (a - \omega)/2.$$

npj Quantum Info. 6, 16 (2020).

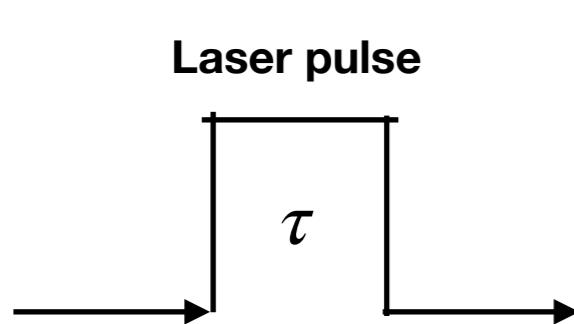
P -> strength of the Laser

φ -> phase of the Laser

ω -> Laser detuning

Fully controllable only by the laser.

Single qubit gates



$$U_\epsilon(\beta) = \exp(-i\tau H_q/\hbar)$$

$$U_\epsilon(\beta) = \mathbb{1} \cos \beta - i\epsilon \cdot \hat{\sigma} \sin \beta$$

$$\beta = \tau E/\hbar \quad E = \sqrt{P^2 N_c + (a - \omega)^2}/4.$$

$$\epsilon = E/E$$

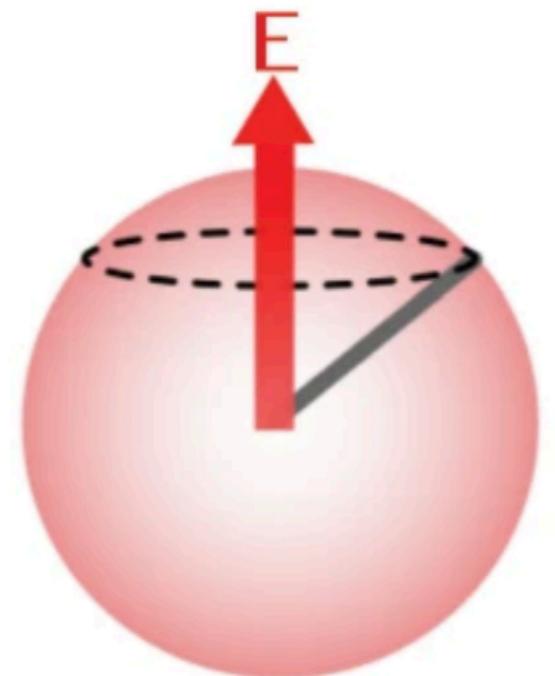
$$U_\epsilon(\beta) = \begin{bmatrix} \cos \beta - i \sin \beta \cos \xi & -i \sin \beta \sin \xi e^{-i\varphi} \\ -i \sin \beta \sin \xi e^{i\varphi} & \cos \beta + i \sin \beta \cos \xi \end{bmatrix}$$

$$\epsilon = (\sin \xi \cos \varphi, \sin \xi \sin \varphi, \cos \xi)$$

Any single qubit gate.

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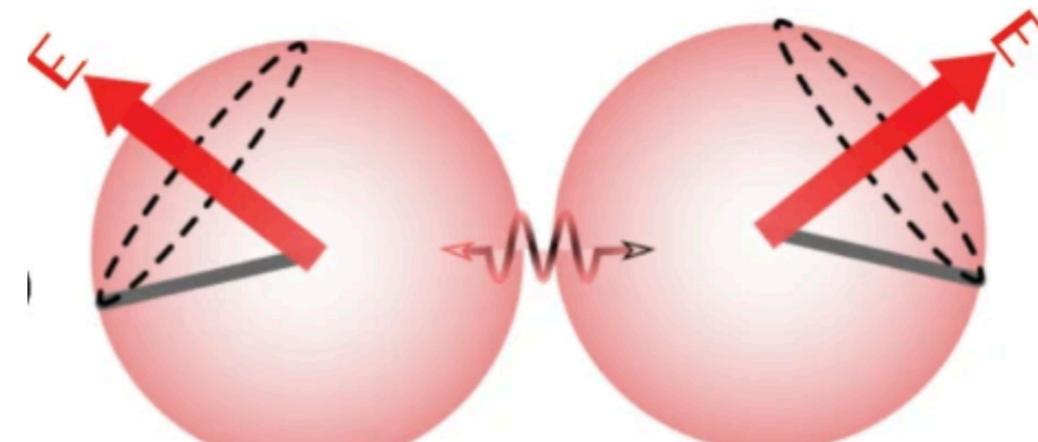
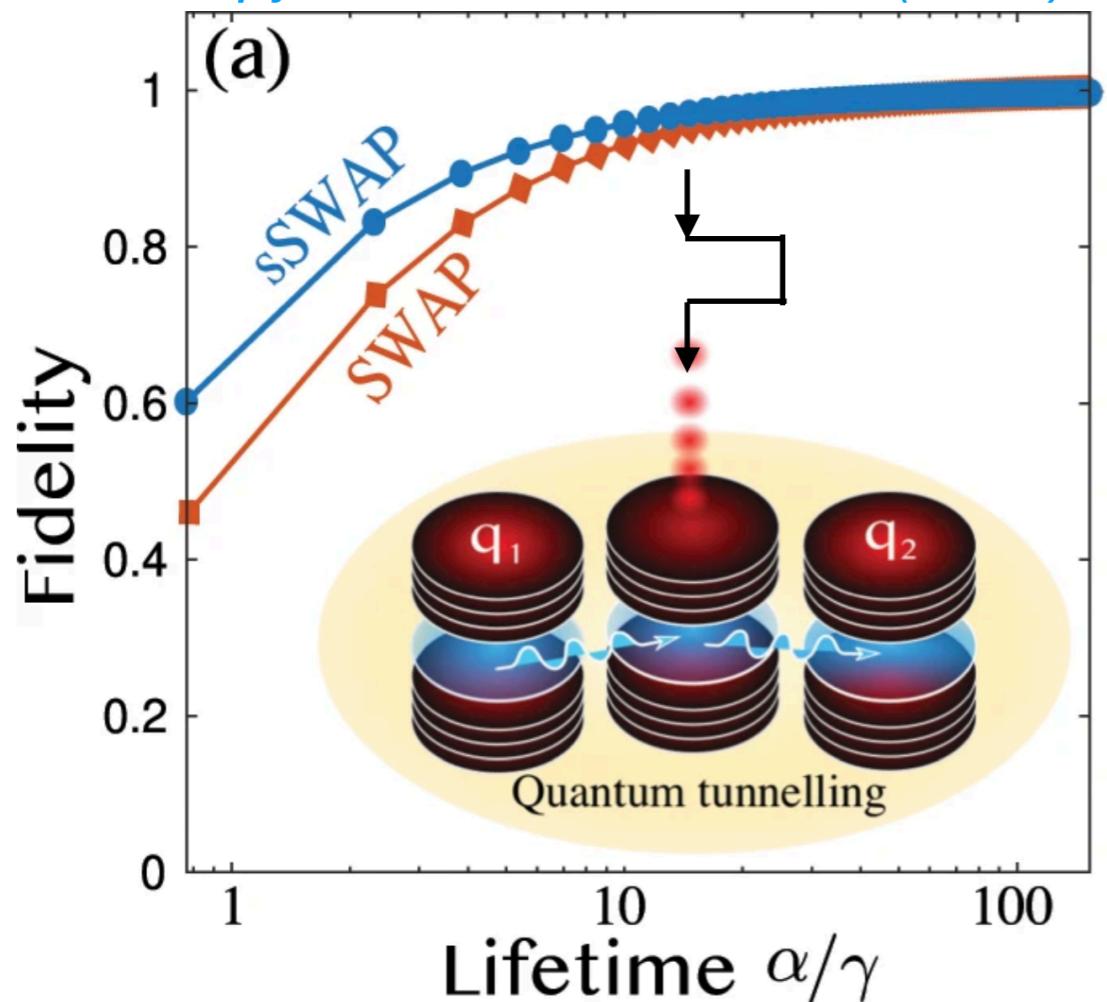
$$\begin{aligned} E_x &= P\sqrt{N_c} \cos \varphi, \\ E_y &= P\sqrt{N_c} \sin \varphi, \\ E_z &= (a - \omega)/2. \end{aligned}$$



Bloch sphere
rotation

Two-qubit quantum gates

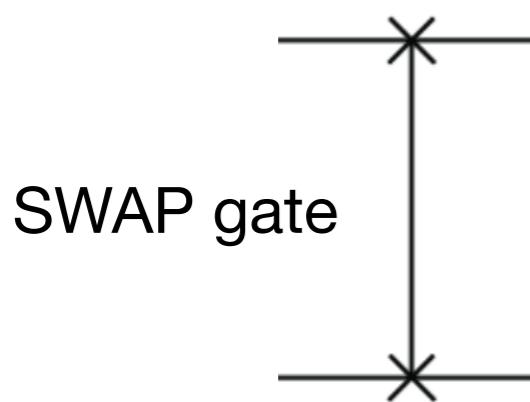
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Quantum tunneling

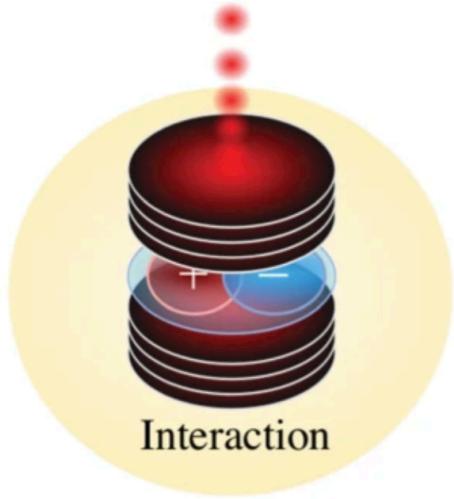
$$H_{12} = \sum_{j=1,2} H_j + J(\hat{a}_1^\dagger \hat{a}_2 + \hat{a}_2^\dagger \hat{a}_1)$$

$$H_{q_1 q_2} = \sum_{j=1,2} E^j \cdot \hat{\sigma}^j + E_T (\hat{\sigma}_+^1 \hat{\sigma}_-^2 + \hat{\sigma}_+^2 \hat{\sigma}_-^1)$$

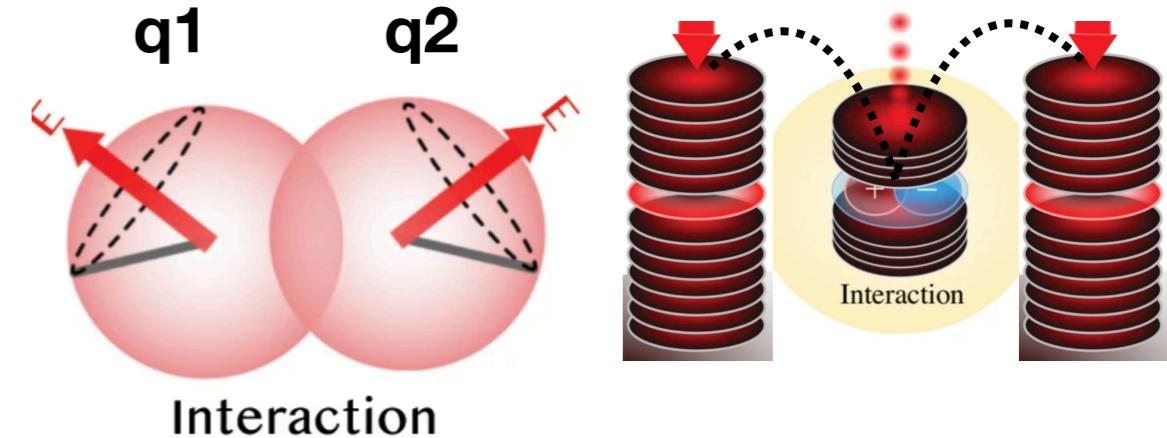


$$\sqrt{\text{SWAP}} = \begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & \frac{1}{2}(1+i) & \frac{1}{2}(1-i) & 0 \\ 0 & \frac{1}{2}(1-i) & \frac{1}{2}(1+i) & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$$

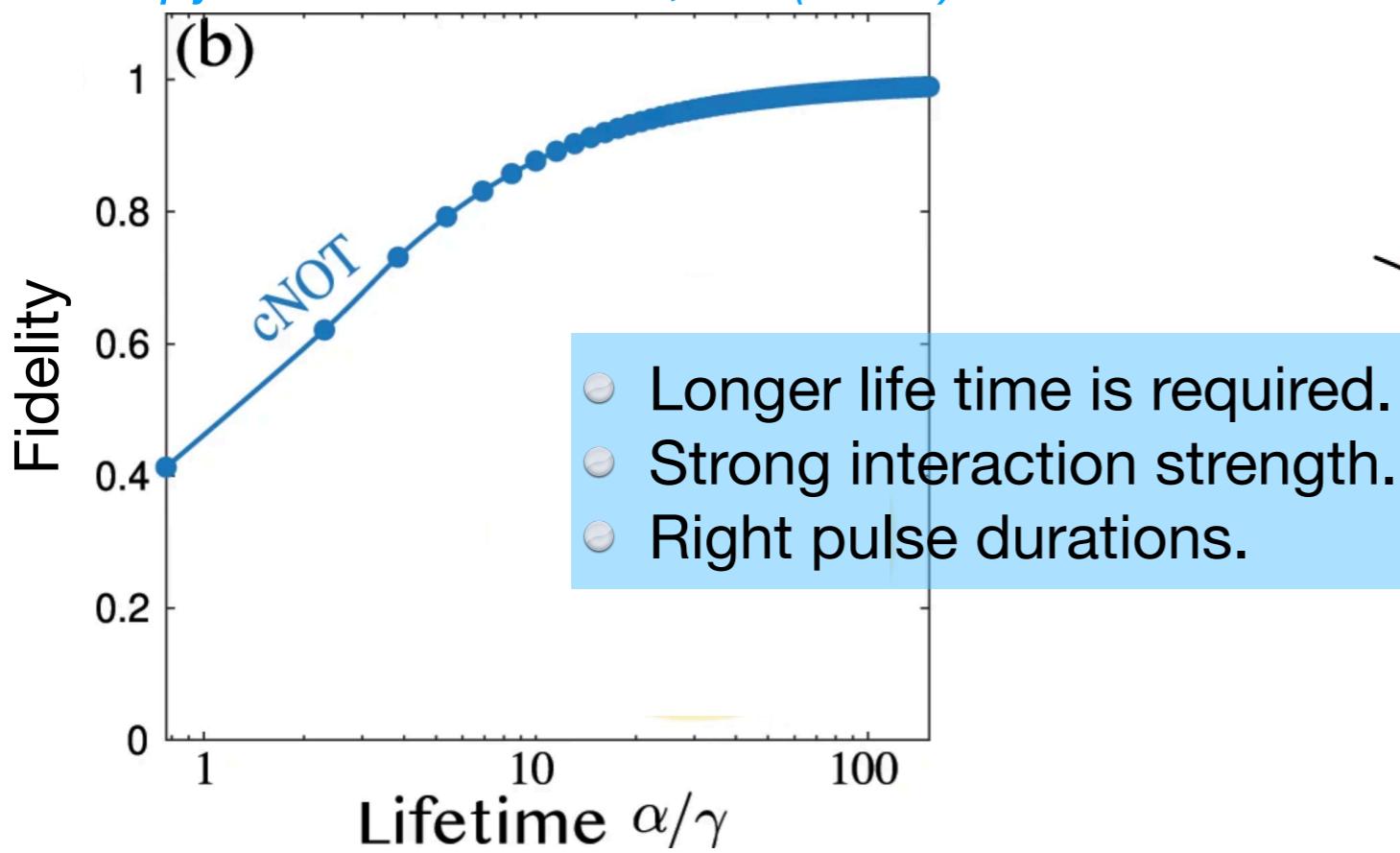
Two-qubit cNOT gate



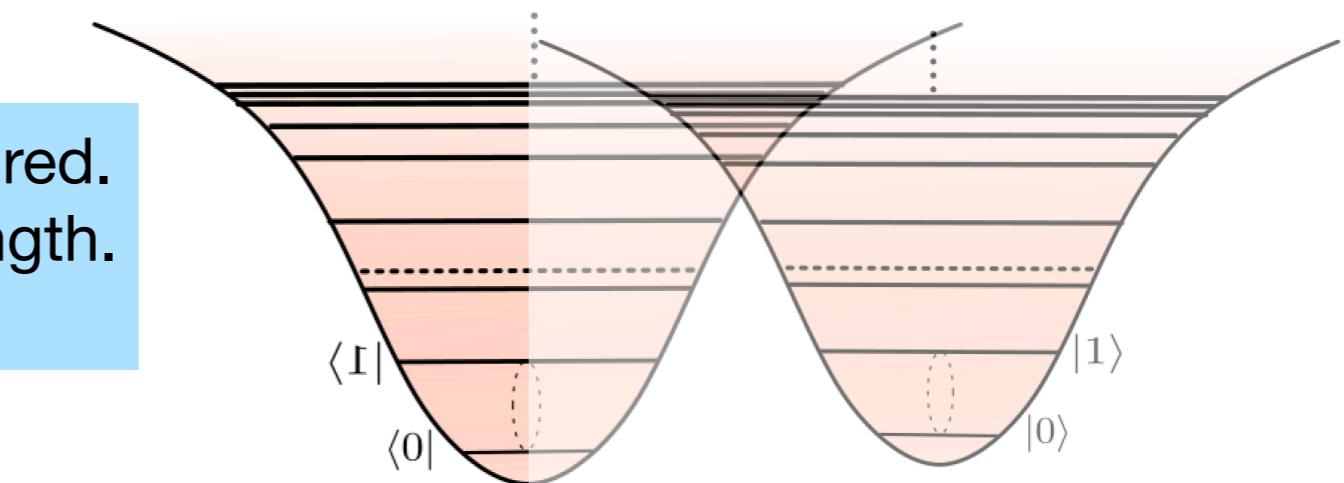
$$H_{12} = \sum_{j=1,2} H_j - 2\alpha_{12} \hat{a}_1^\dagger \hat{a}_2^\dagger \hat{a}_2 \hat{a}_1$$



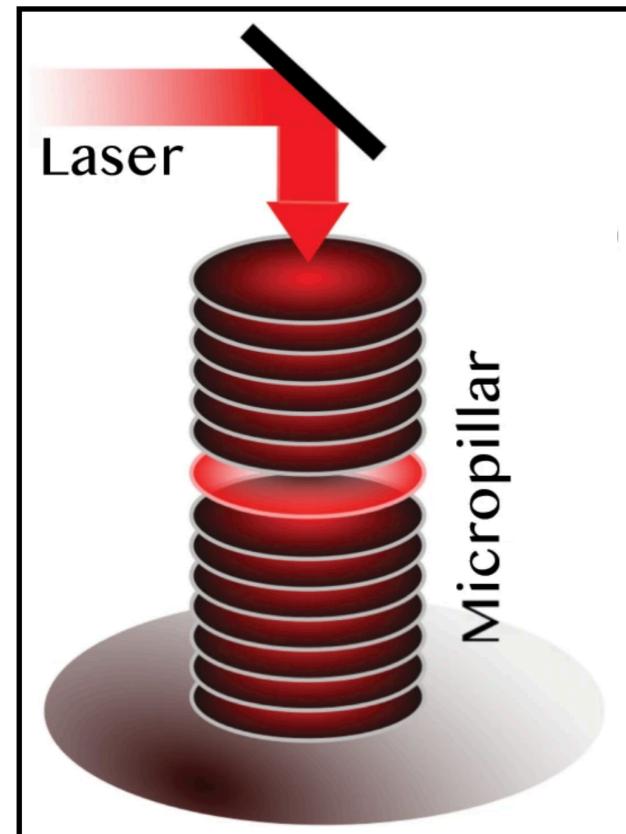
npj Quantum Info. 6, 16 (2020).



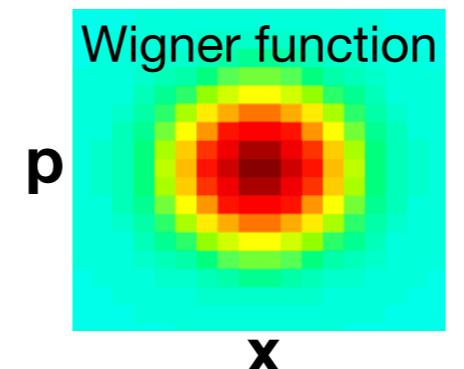
$$H_{q_1 q_2} = \sum_{j=1,2} E^j \cdot \hat{\sigma}^j - E_z^{12} (\mathbb{1} + \sigma_z^1) (\mathbb{1} + \sigma_z^2)$$



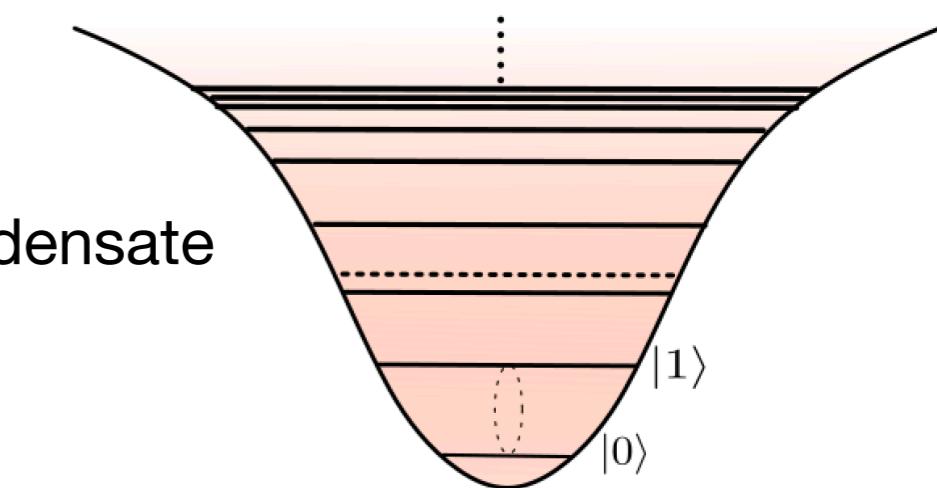
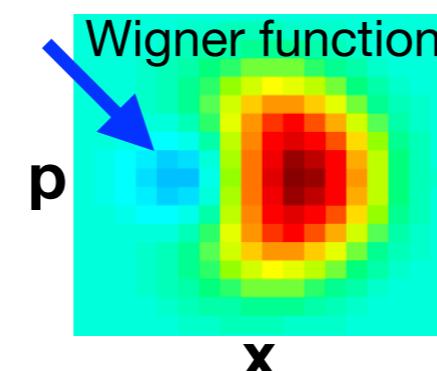
Reading out



$|0\rangle$ Condensate

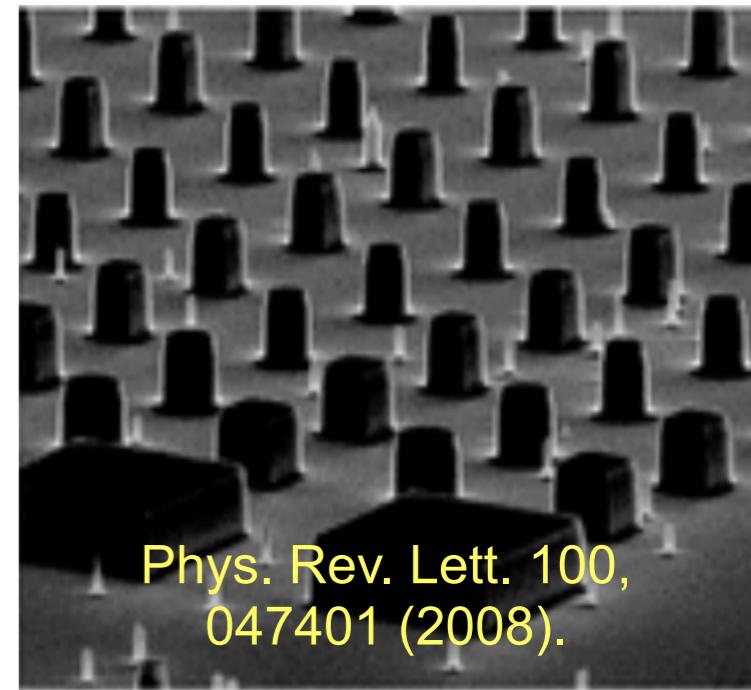


$|1\rangle$ Particle added condensate

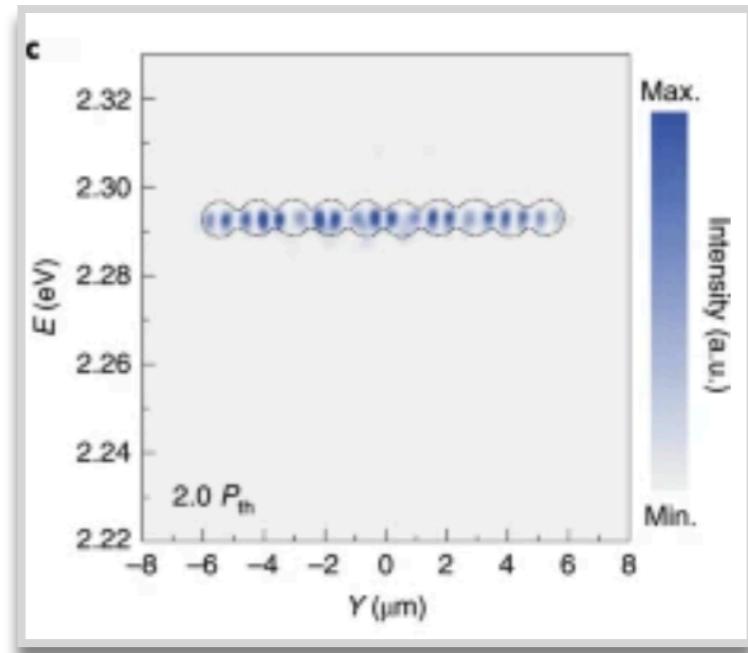


Scalability

- Available in micron scales.
- 1000s of them can be fabricated in a single sample.
- Potentially can operate at room temperature.
- Even if they operate at cryogenic temp, they are small and thus require smaller cryogenic space.
- Energy efficient and optically controlled.
- Advanced fabrication technologies are available.

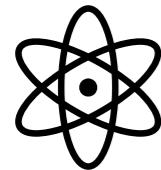


Phys. Rev. Lett. 100,
047401 (2008).



Nature Physics volume
16, 301–306(2020)

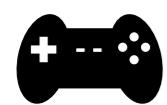
Summary



Qubit: in semiconductor micropillars.



Universal gate set: interaction between micropillars allows quantum gates.



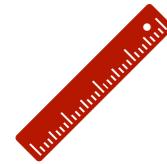
Control: controllable via external laser pulses (phase, amplitude and duration).



Prob: driven dissipative system. Look in the emission.



Fabrication technologies: existing semiconductor technologies.



Scalability: in principle scalable.

End

Find