

Construction of a 100-TW laser and its applications in EUV laser, wakefield accelerator, and nonlinear optics

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Collaborators

Core members of the 10-TW and 100-TW laser facilities

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Computer simulation

Prof. Shih-Hung Chen (陳仕宏), National Central Univ., Taiwan

Outline

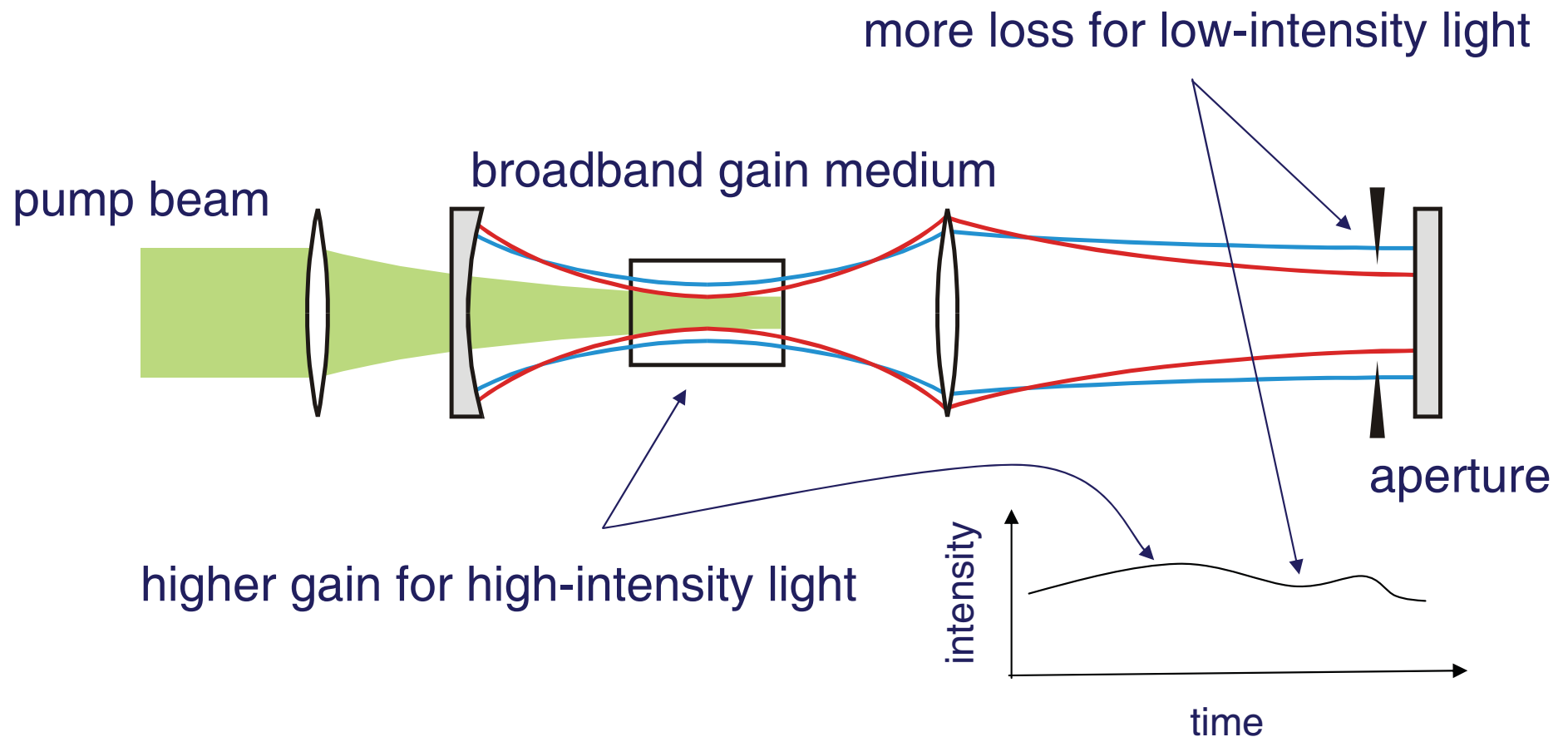
- High-intensity lasers
- High-brightness EUV lasers
- Laser-wakefield electron accelerators
- Relativistic plasma nonlinear optics

High-intensity lasers

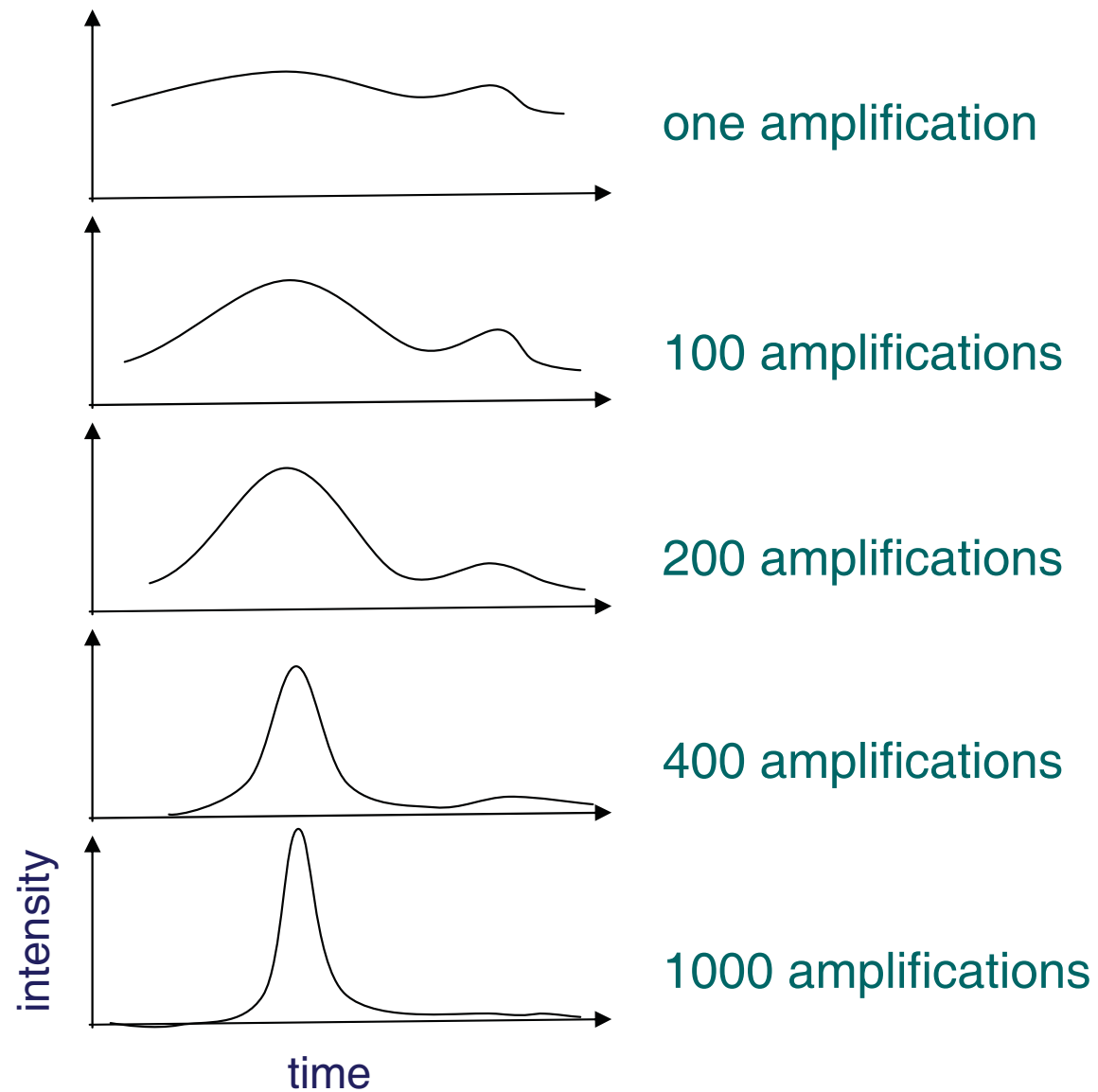
- Generation of femtosecond laser pulses
- Amplification of femtosecond laser pulses
- Measurement of femtosecond optical waveforms
- Synthesis of femtosecond optical waveforms
- High-intensity lasers in Taiwan

Pulse compression by self-focusing

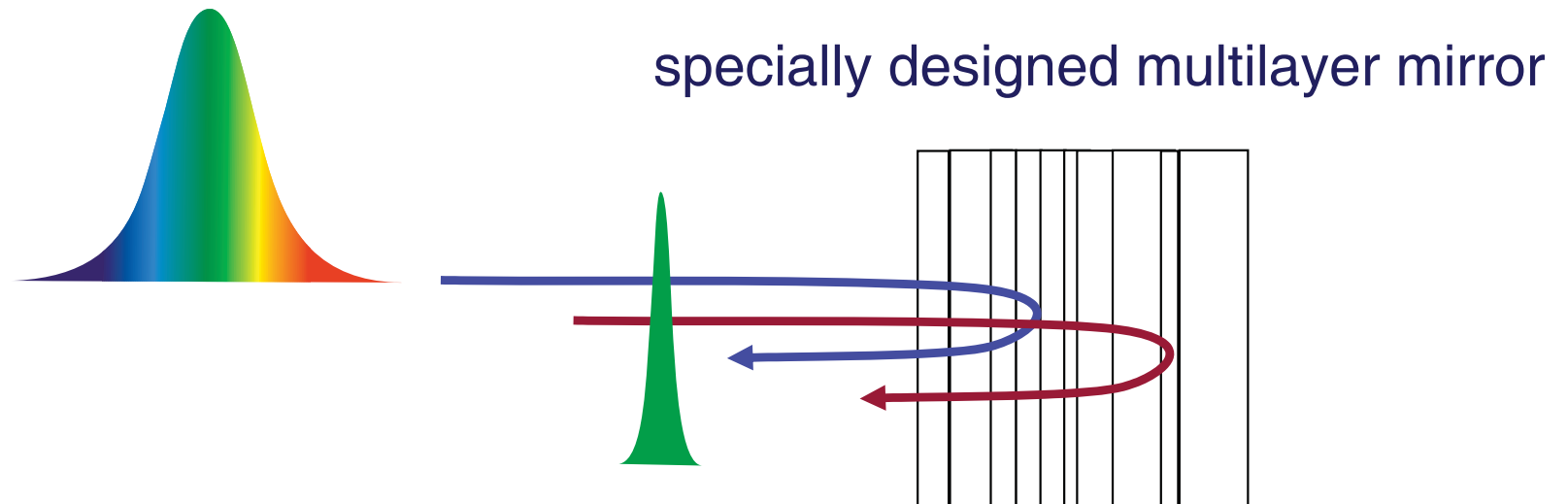
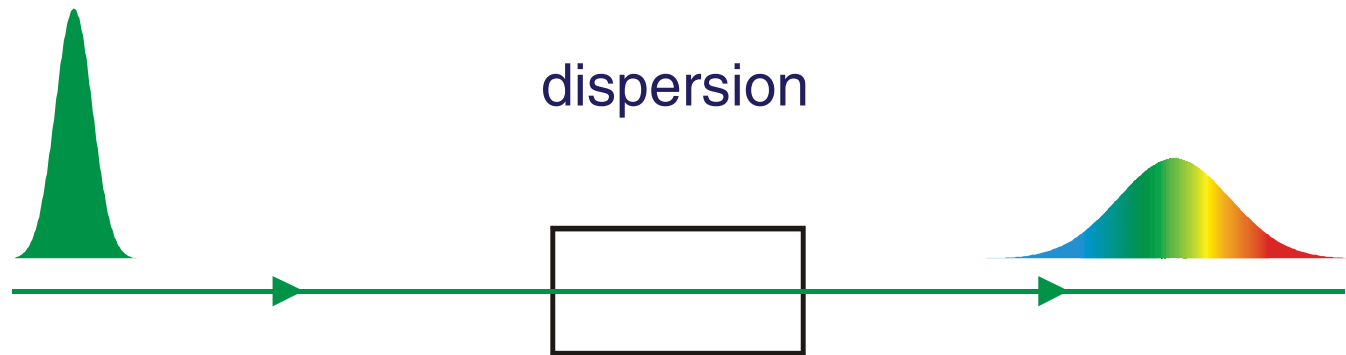
optical Kerr effect: $n = n_0 + n_2 I$



Capitalism for laser

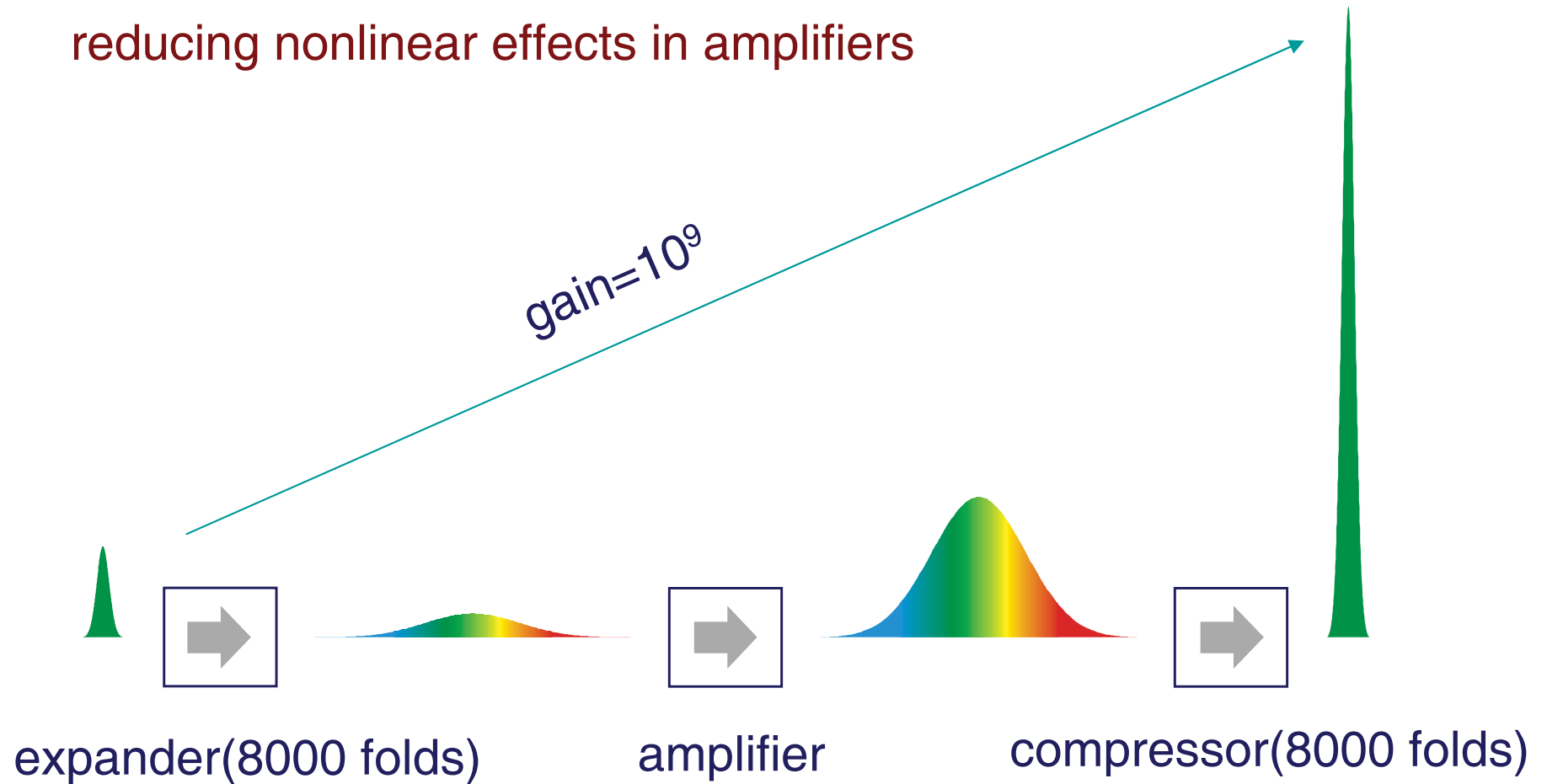


Compensation for dispersion



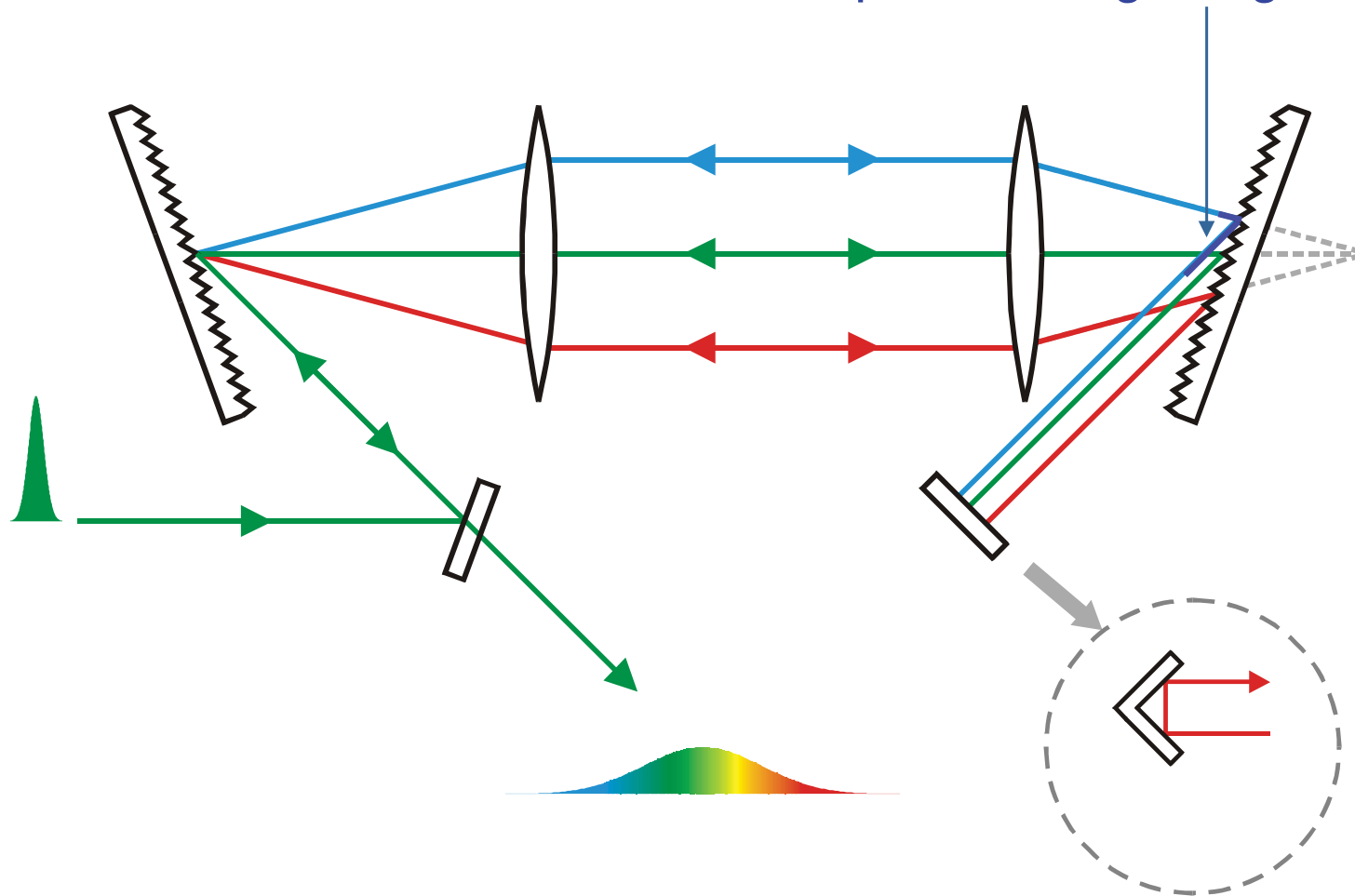
Chirped pulse amplification

reducing nonlinear effects in amplifiers



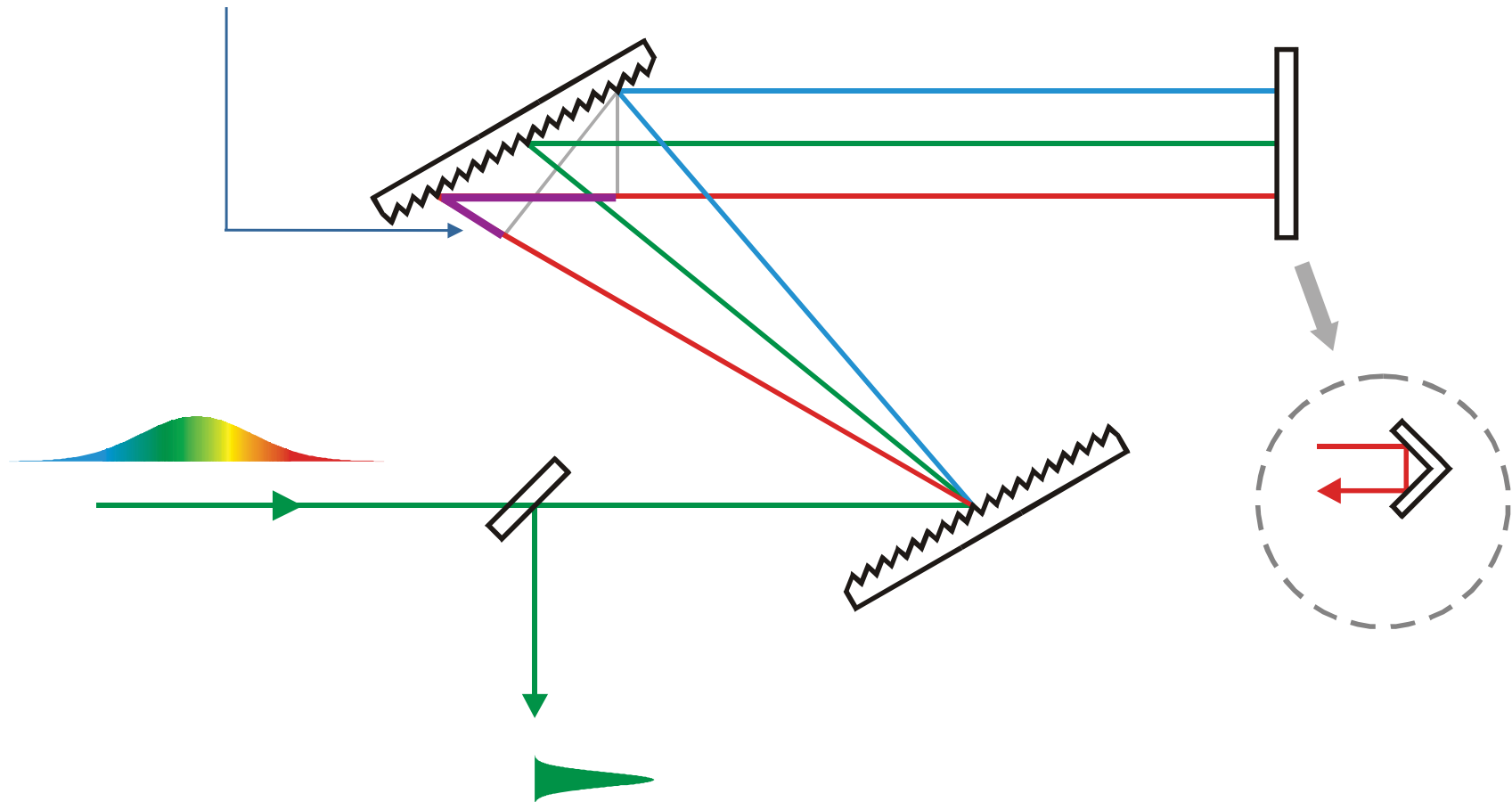
Principle of pulse stretcher

Shorter wavelength has longer optical path,
the difference is comparable to grating size.



Principle of pulse compressor

Longer wavelength has longer optical path, the difference is comparable to grating size.

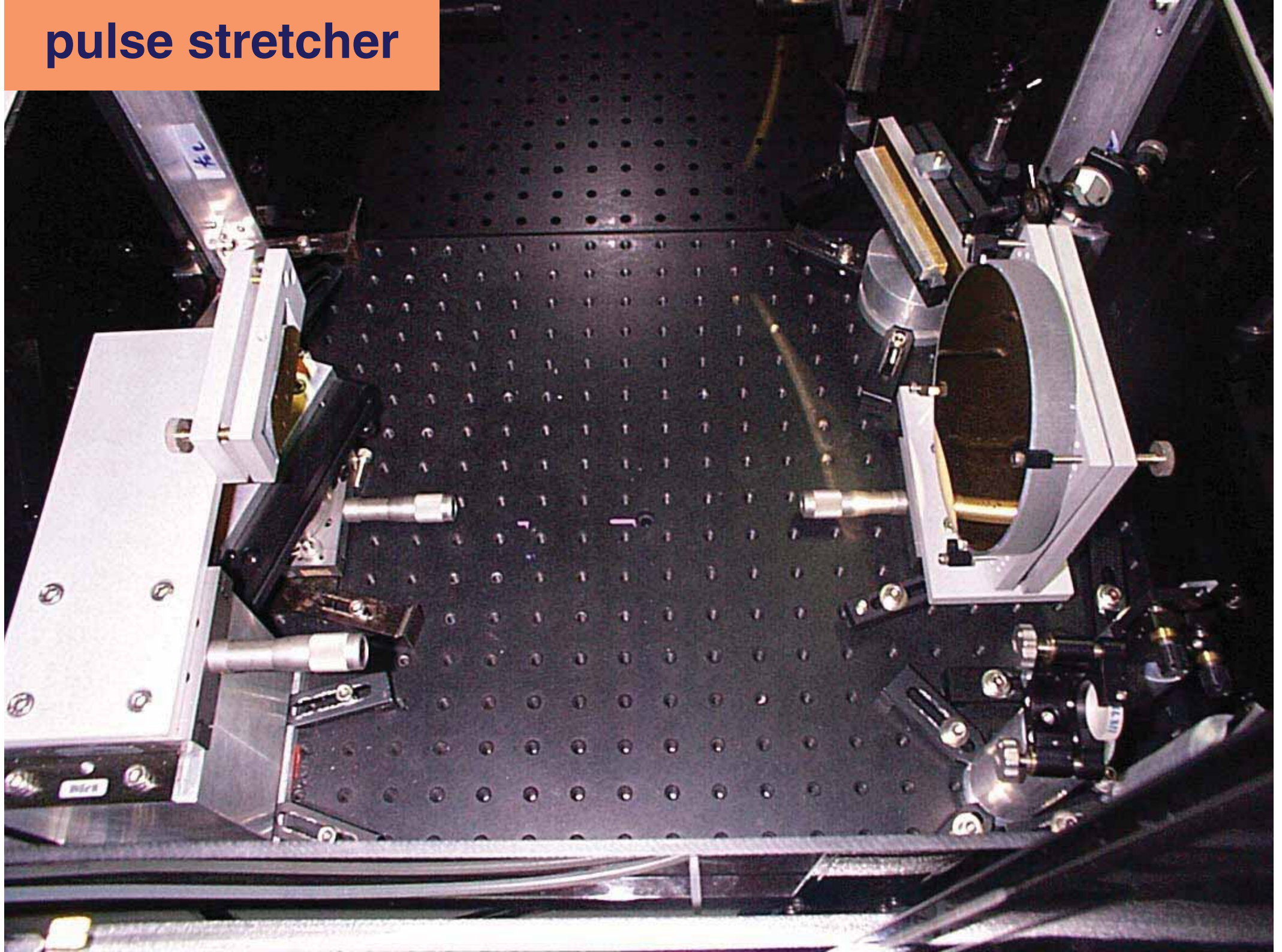


10-TW laser at IAMS, Academia Sinica

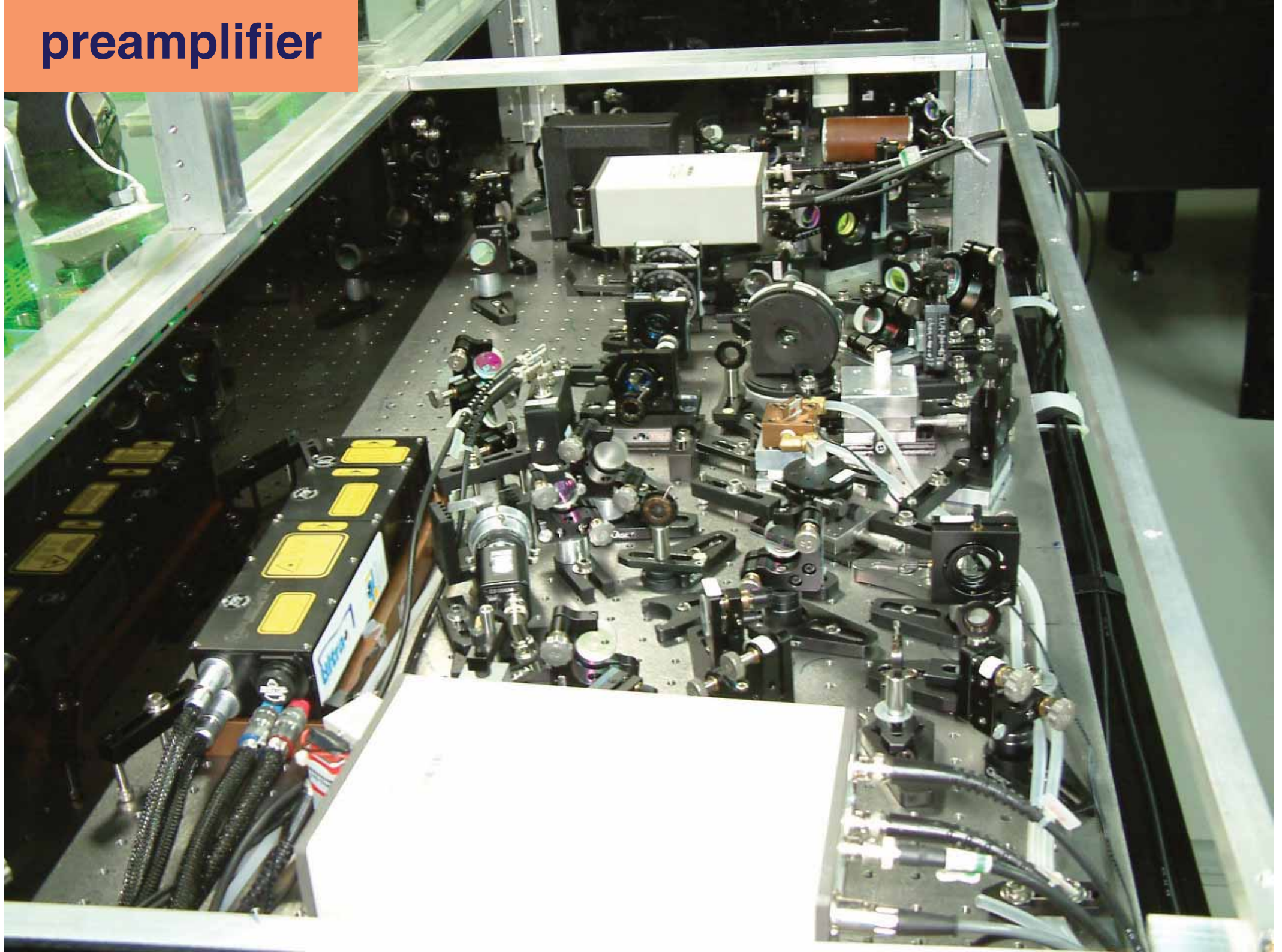
25-fs oscillator



pulse stretcher



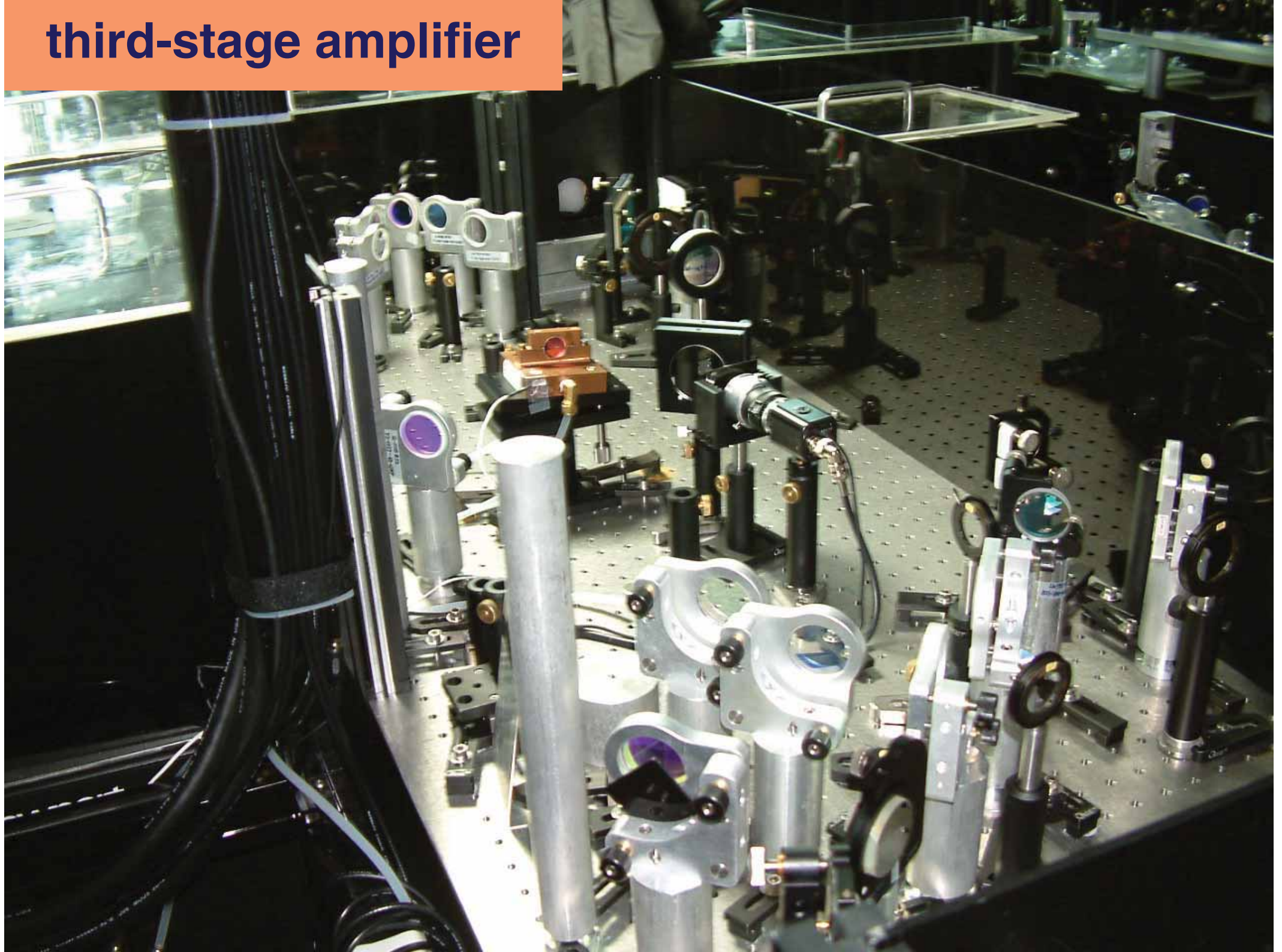
preamplifier



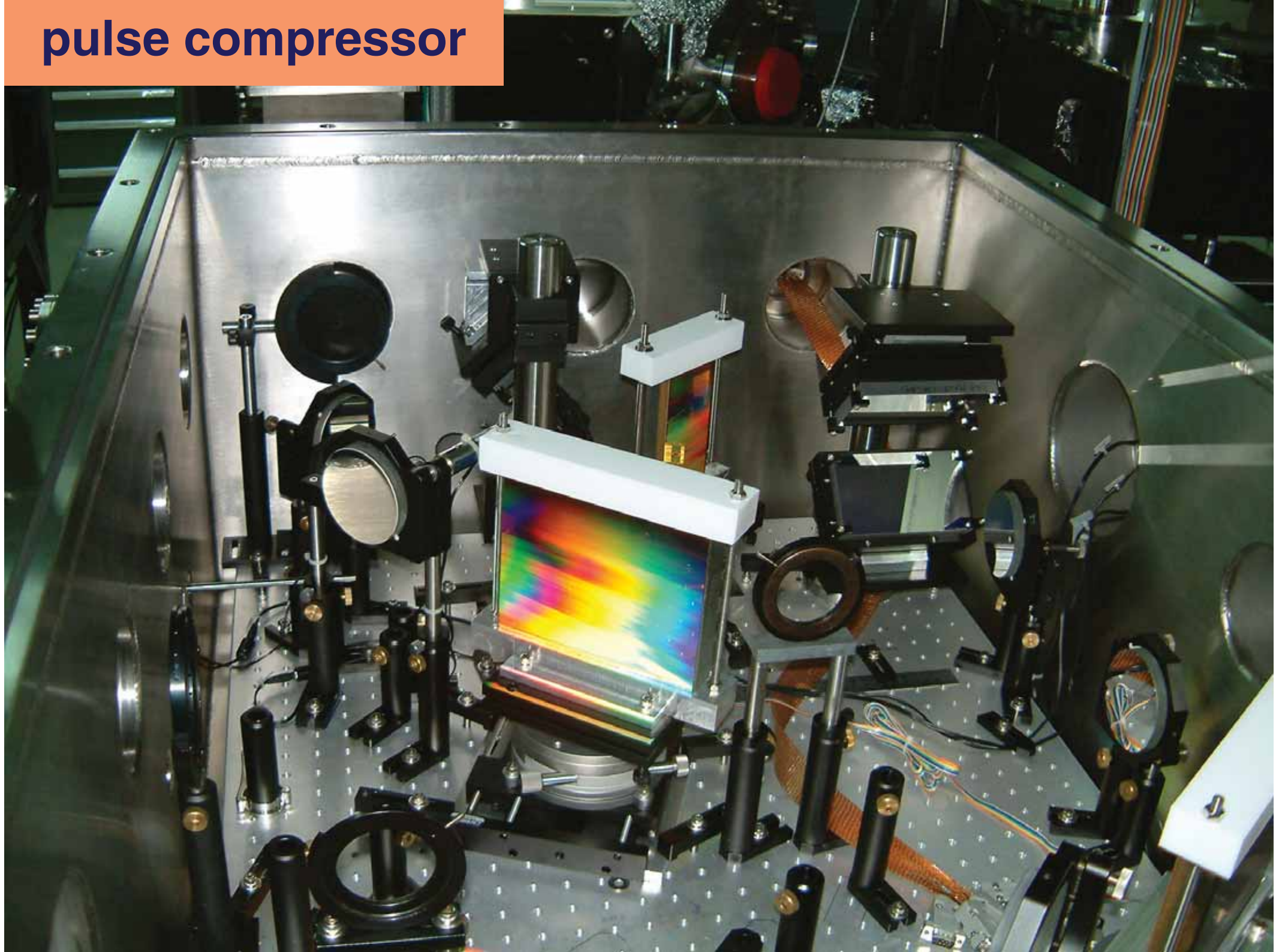
second-stage amplifier



third-stage amplifier

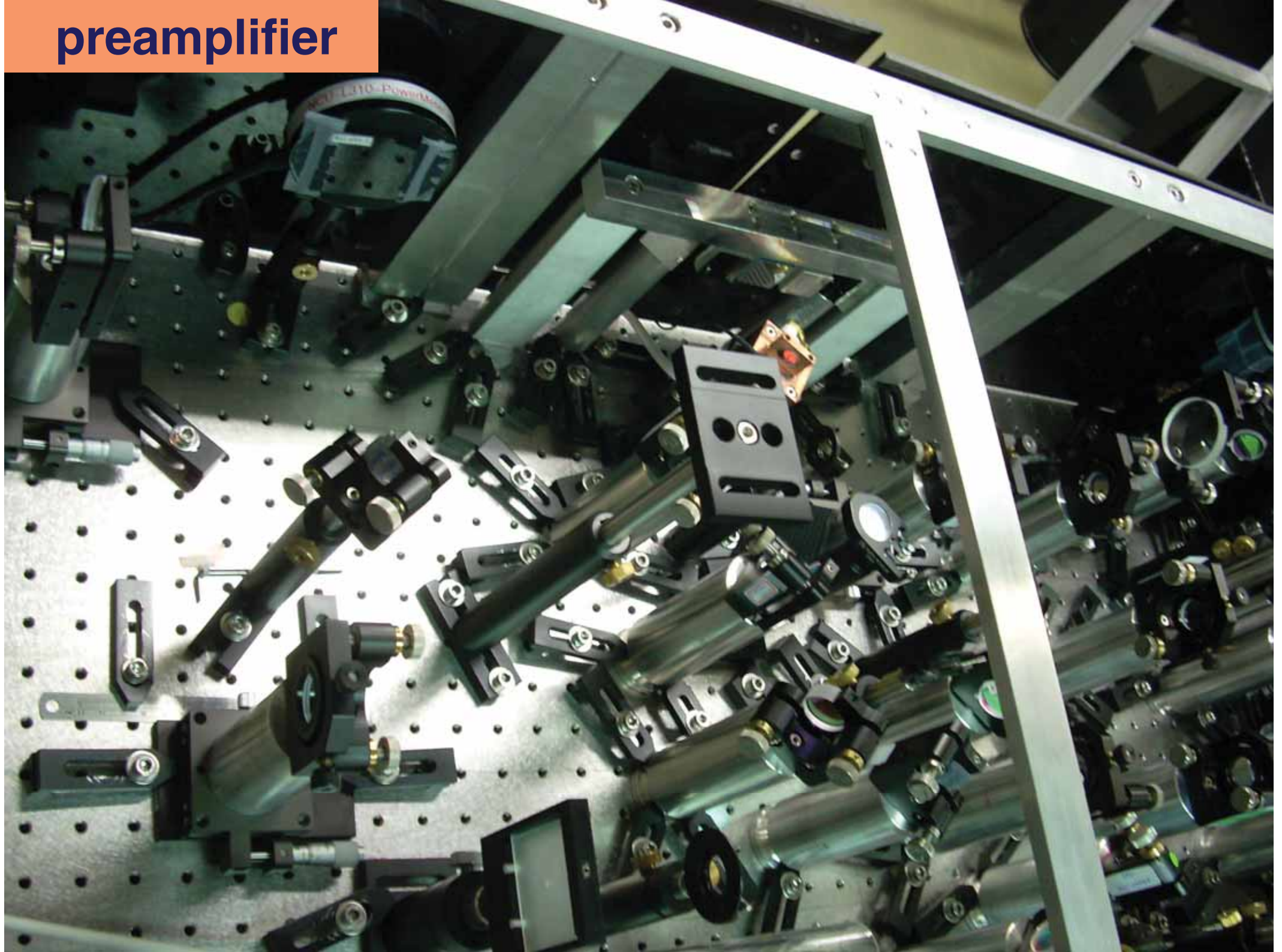


pulse compressor

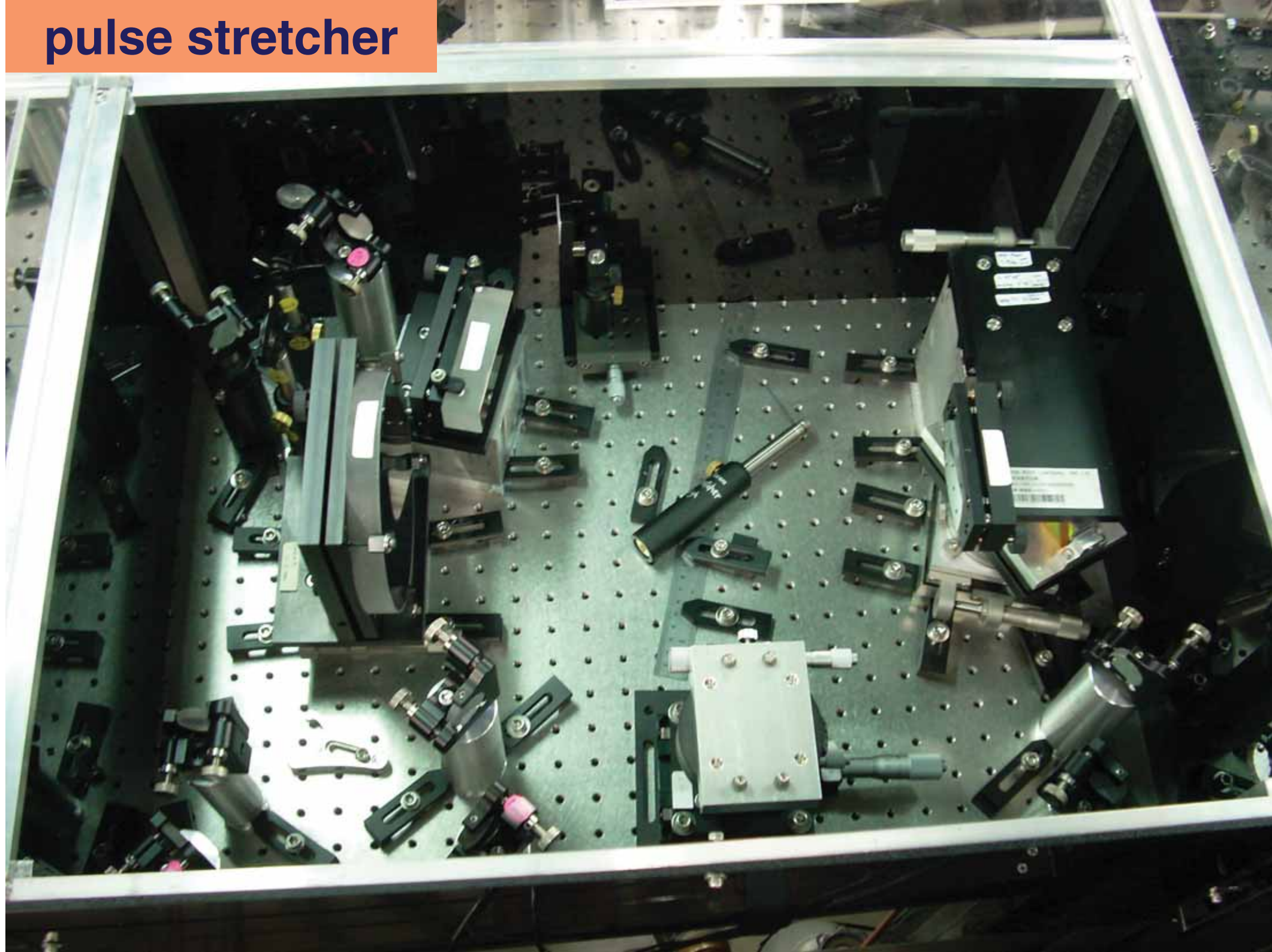


100-TW laser at Nat'l Central Univ.

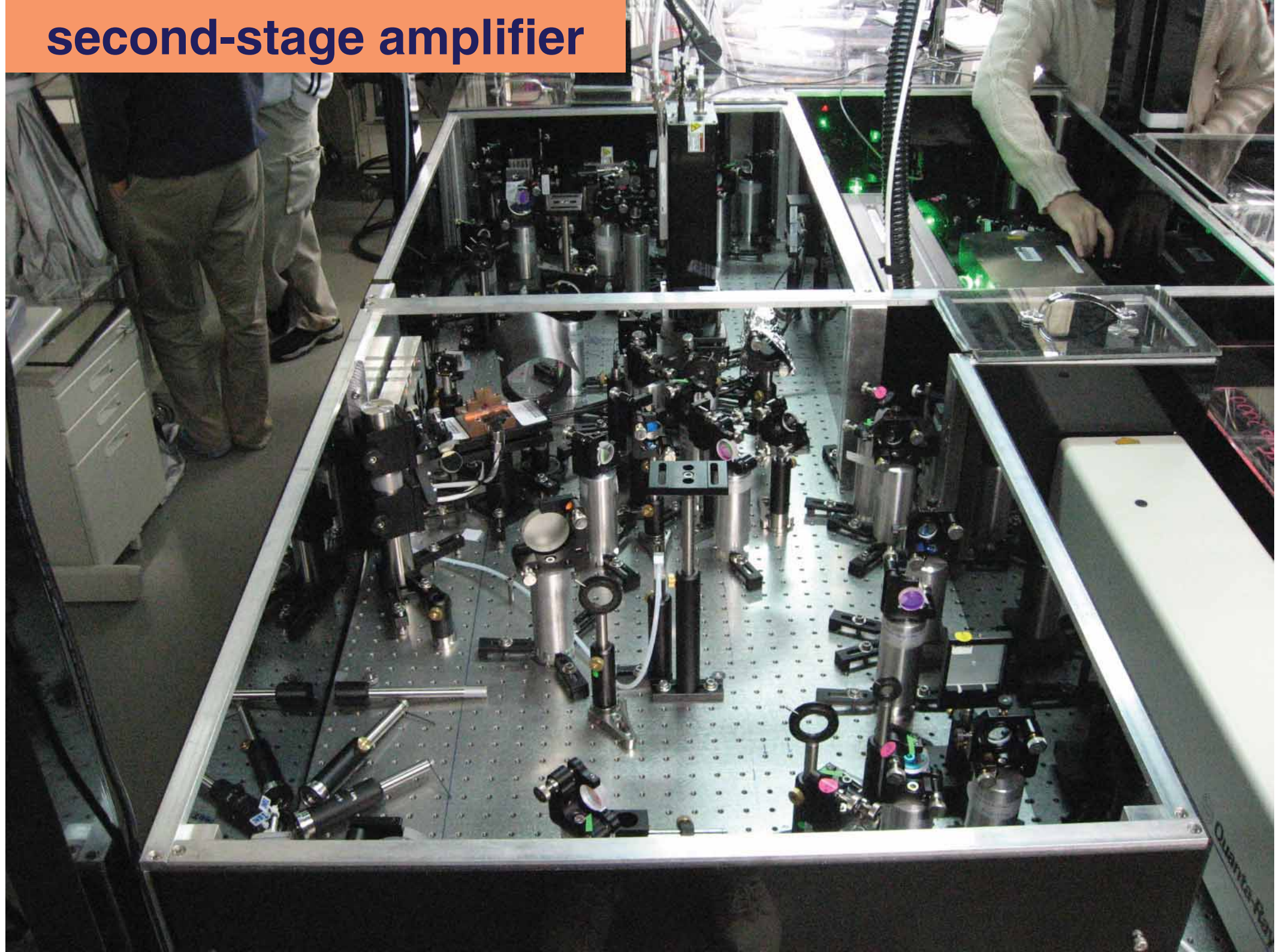
preamplifier



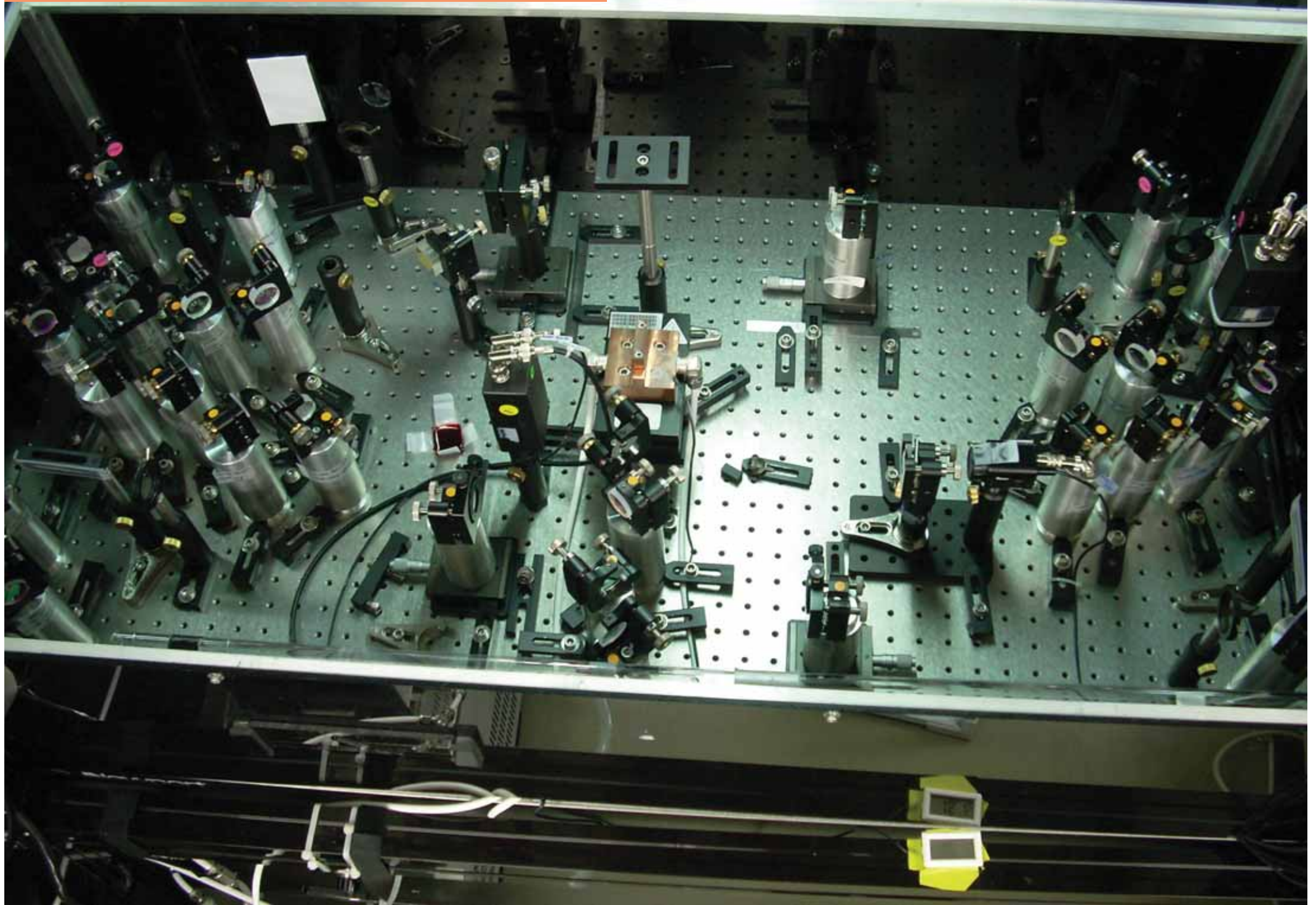
pulse stretcher



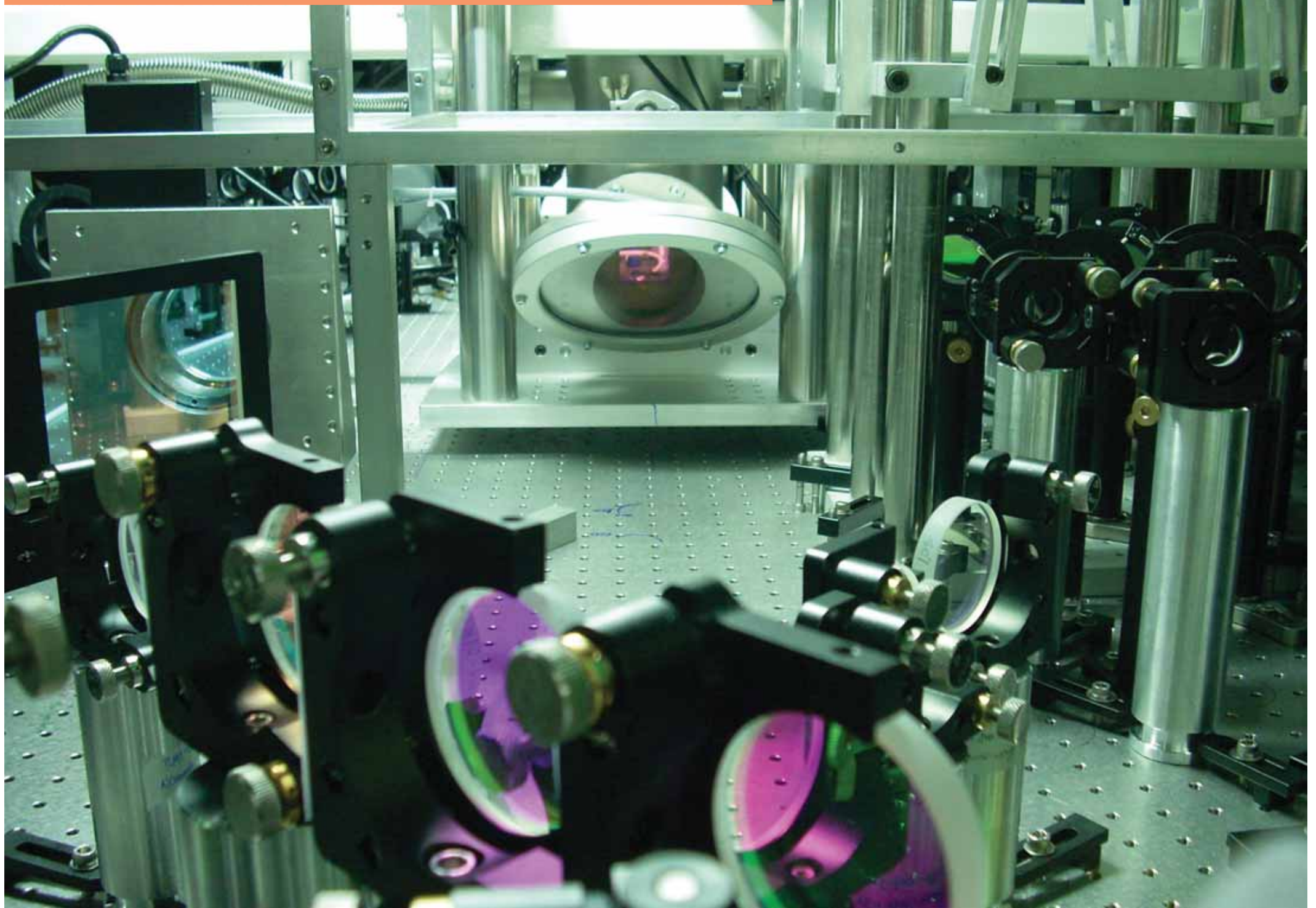
second-stage amplifier



third-stage amplifier



100-TW final stage amplifier



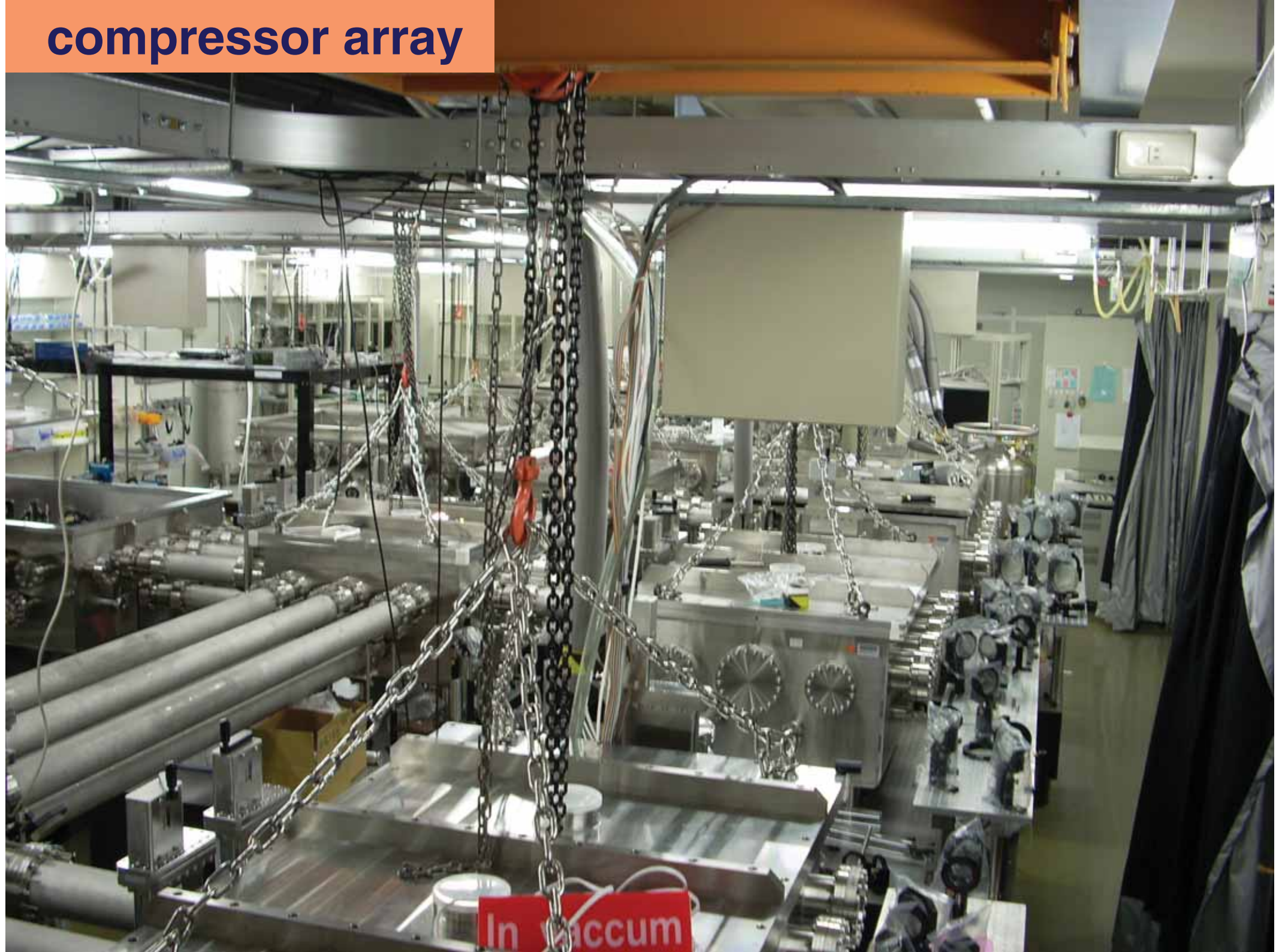
view of the laser from a corner



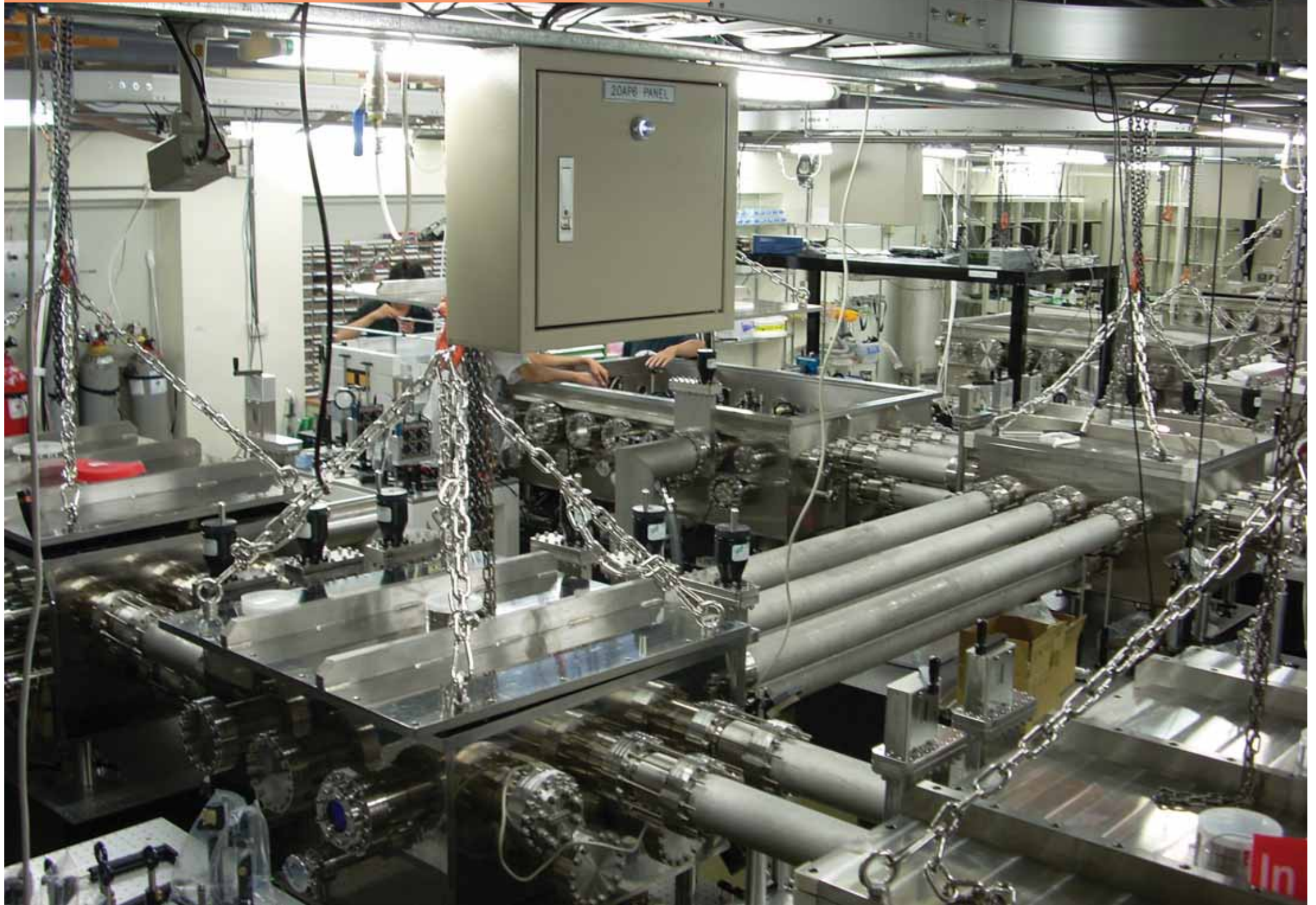
16 Nd:YAG pump lasers



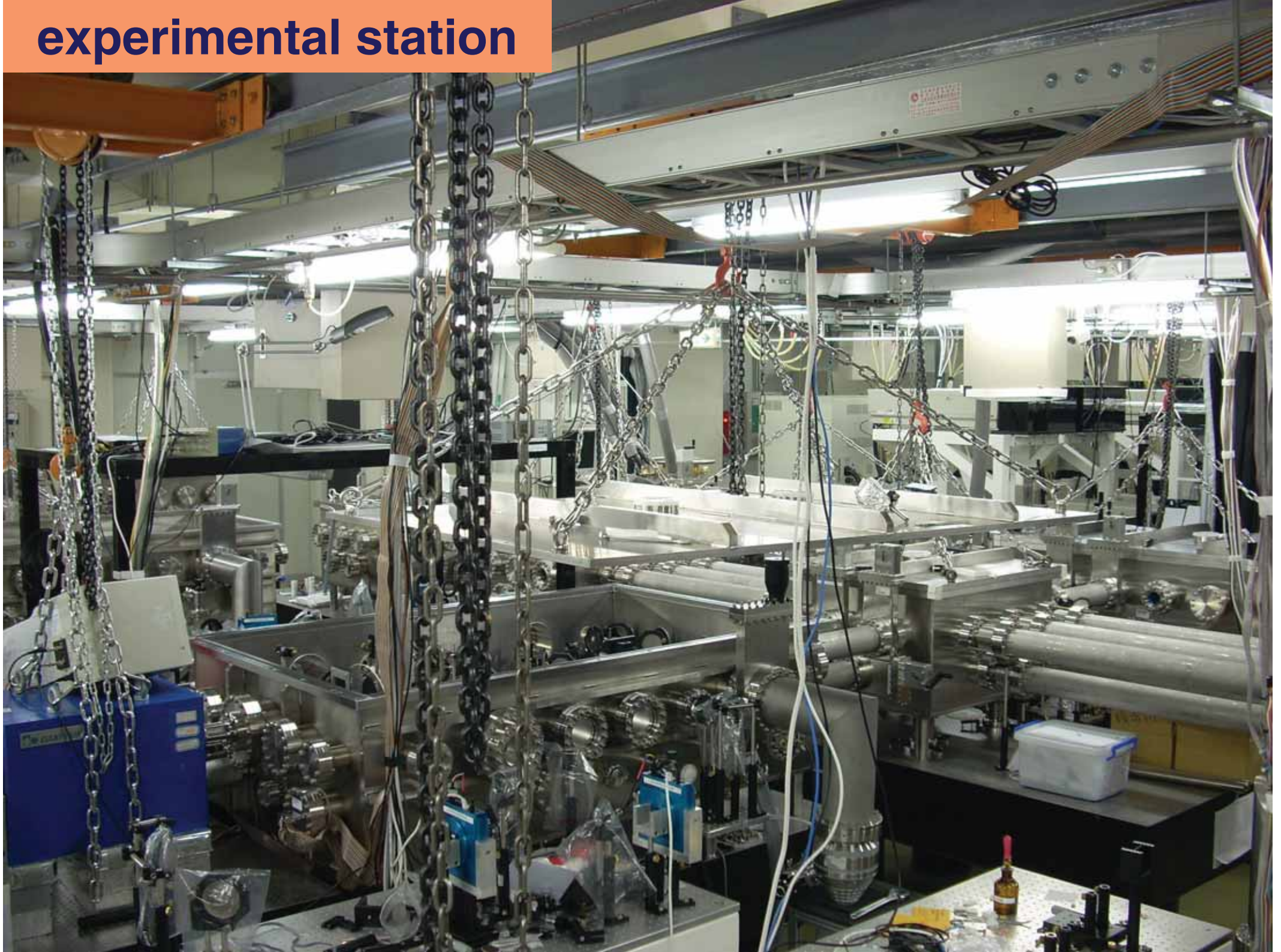
compressor array



beam switching chambers



experimental station



experimental stations



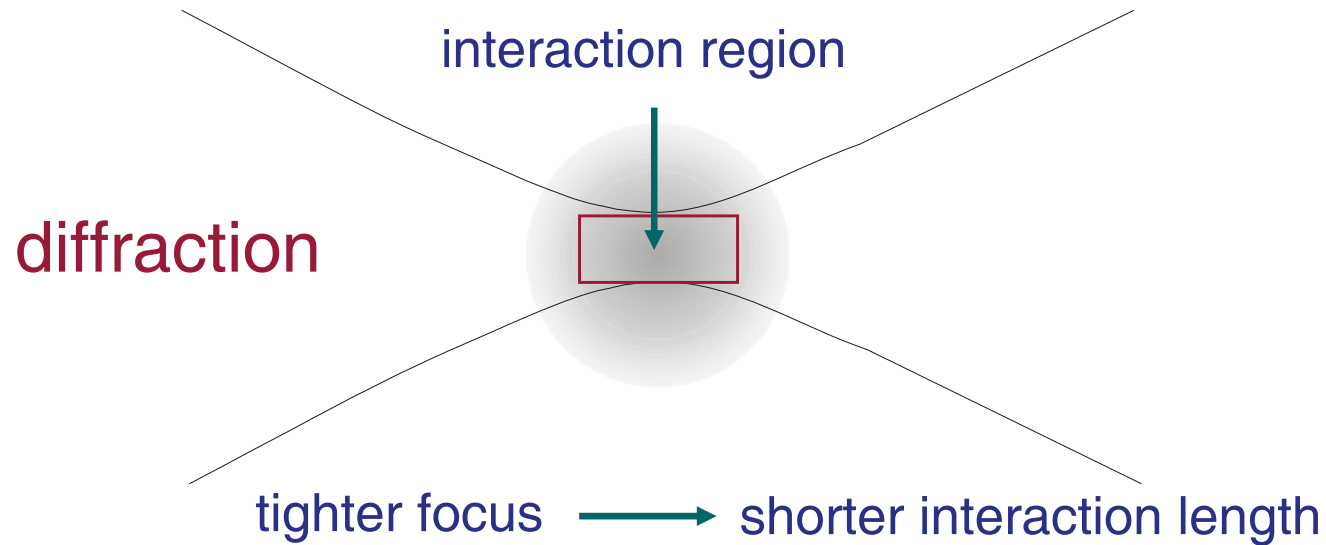
full view of the laboratory



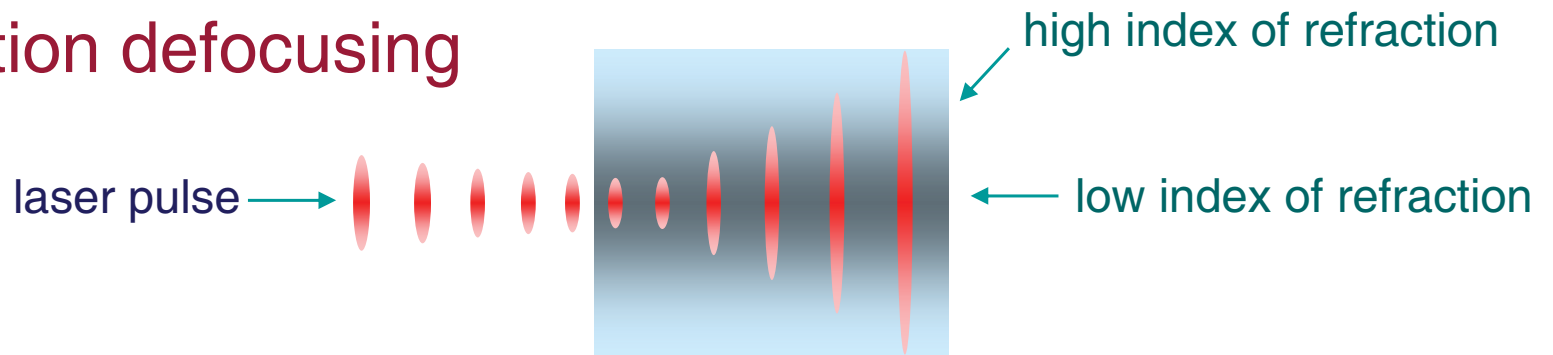
100-TW laser after focusing

- peak power: $3\text{J}/30\text{ fs} = 10^{14}\text{ W}$ (10,000 nuclear power plants)
- peak intensity: 10^{20} W/cm^2 (sunshine at noon = 0.1 W/cm^2)
- electric field: $3.2 \times 10^{13}\text{ V/m}$ ($50\times$ Coulomb field in hydrogen)
- optical pressure: $2.2 \times 10^{10}\text{ atm}$ (center of the Sun)
- plasma temperature: 10^7 K (center of the Sun)
- acceleration on electron: $5 \times 10^{23}\text{ g}$ (near a black hole)

The problem of limited interaction length

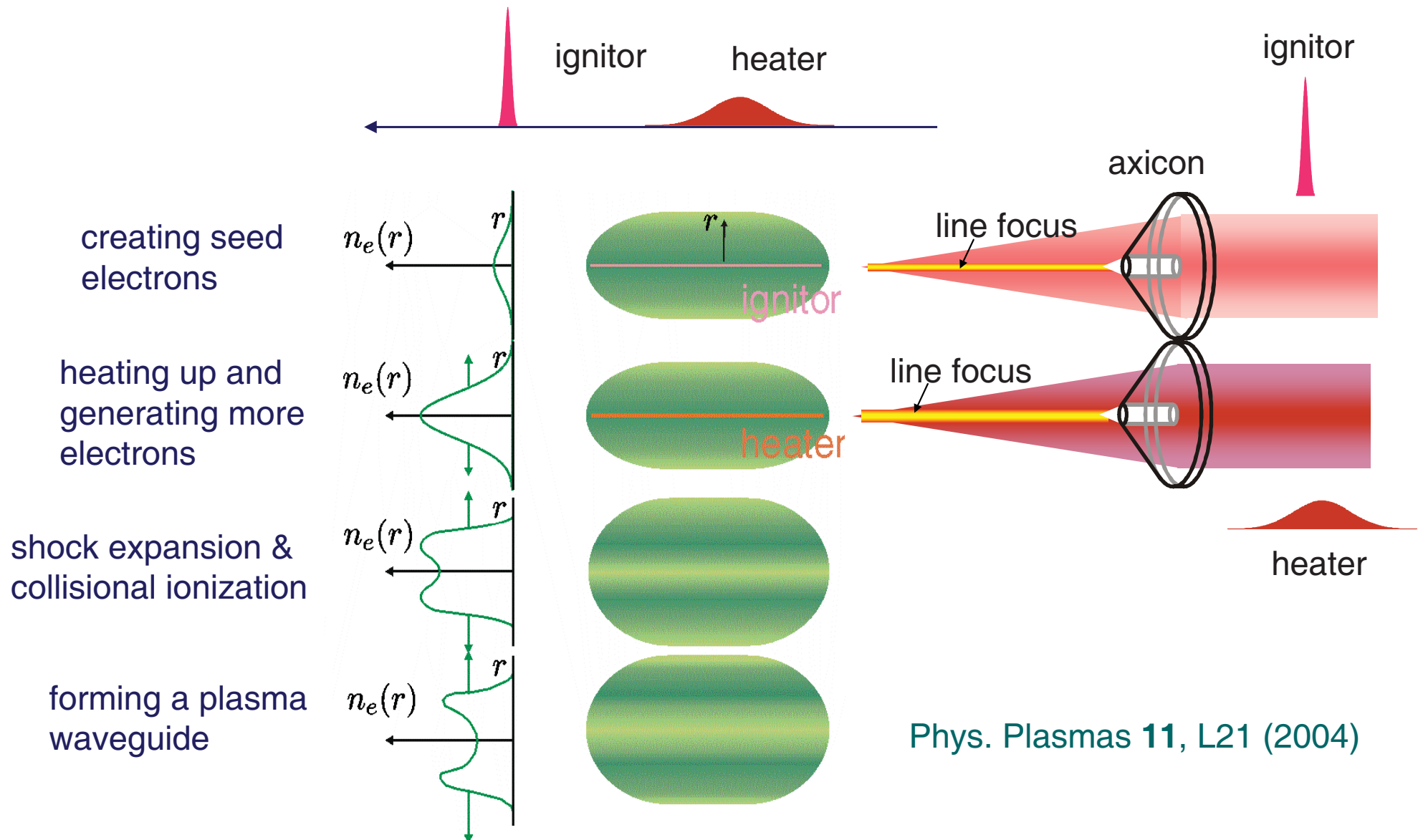


ionization defocusing

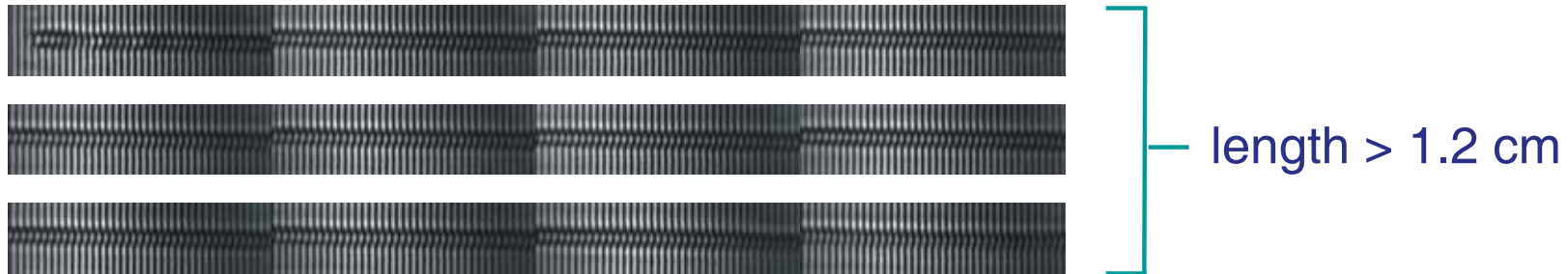


defocusing reduces the intensity

Plasma-waveguide formation from a line focus



Laser drilled plasma waveguide



density variation $< 20\%$

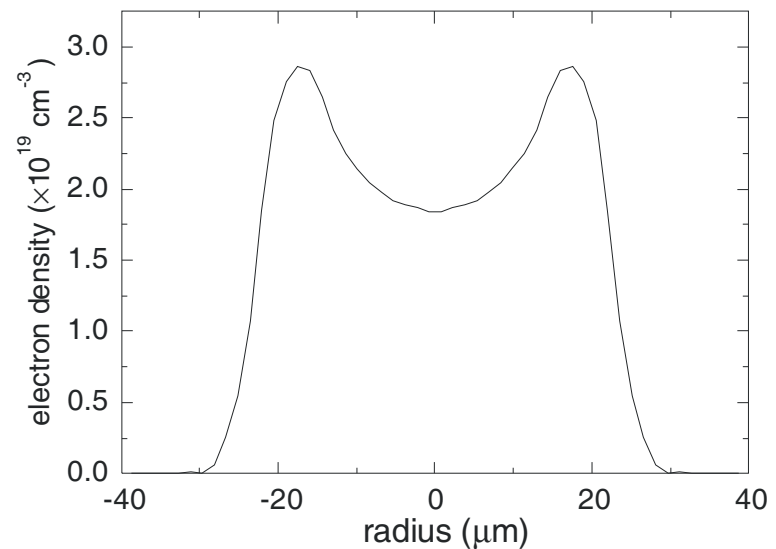
ignitor: 15 mJ, 55 fs

heater: 85 mJ, 80 ps (1.1 ns delay)

probe: 1.2 ns after heater

Phys. of Plasma **11**, L21 (2004)

electron density profile



High-brightness EUV lasers

Phys. Rev. Lett. **99**, 063904 (2007)

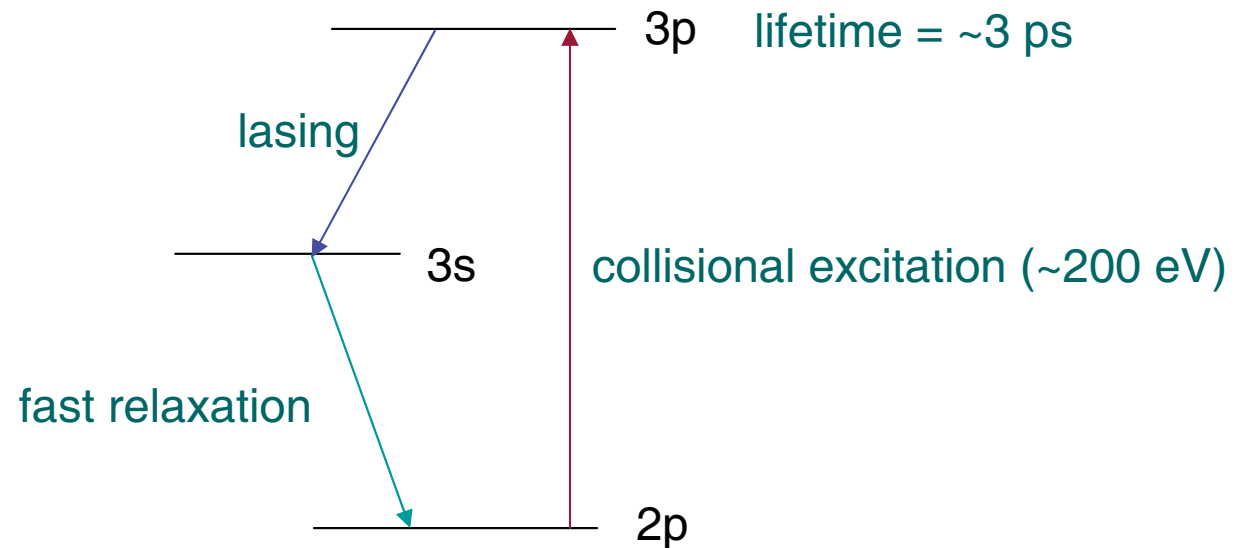
Phys. Rev. A **76**, 053817 (2007)

Opt. Lett. **34**, 3562 (2009)

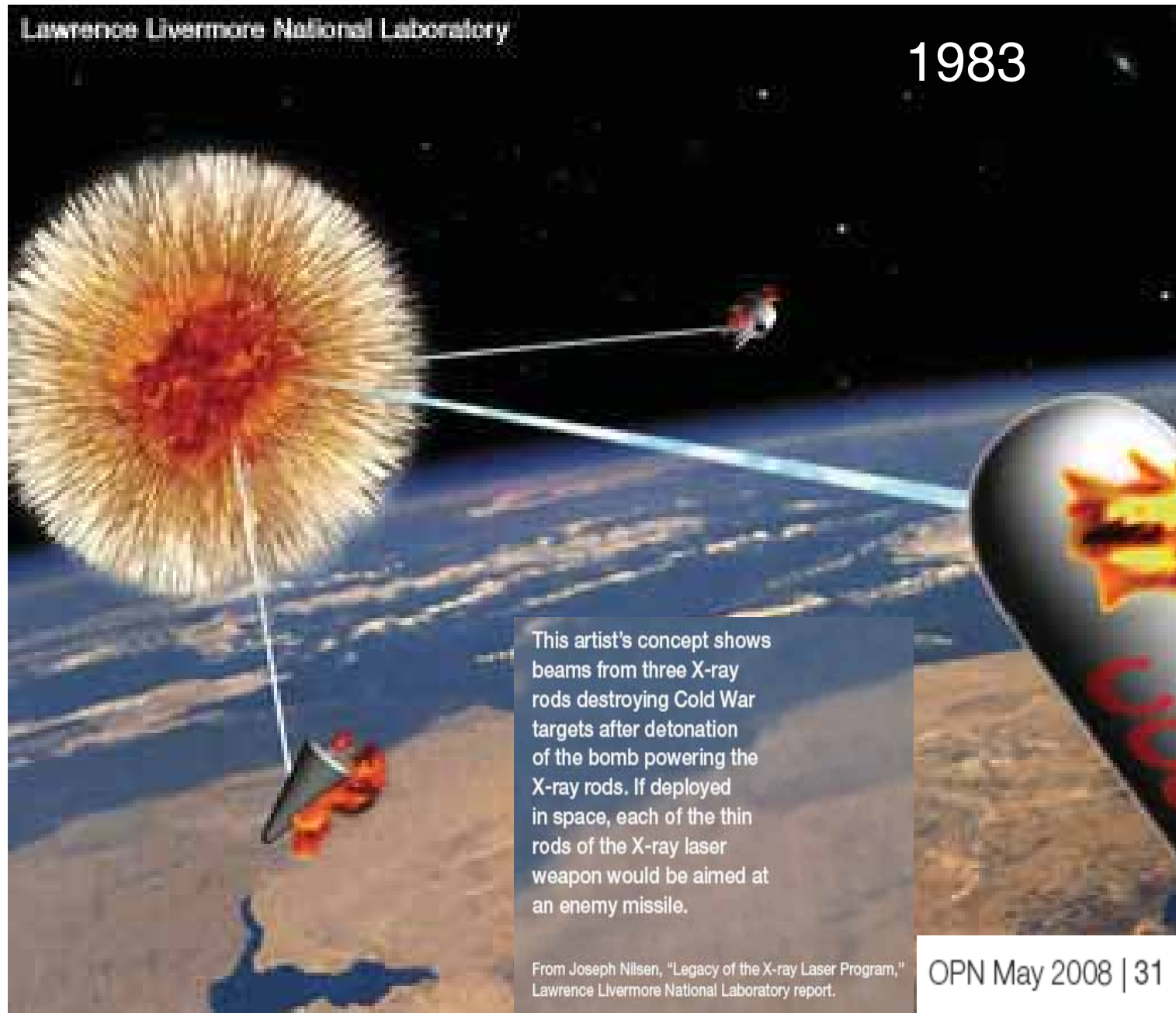
Energy levels of EUV lasers



Ne-like ions: Ar^{8+} , Ti^{12+} , Fe^{16+}



X-ray lasers powered by nuclear bomb for “Star Wars”



Lawrence Livermore National Laboratory

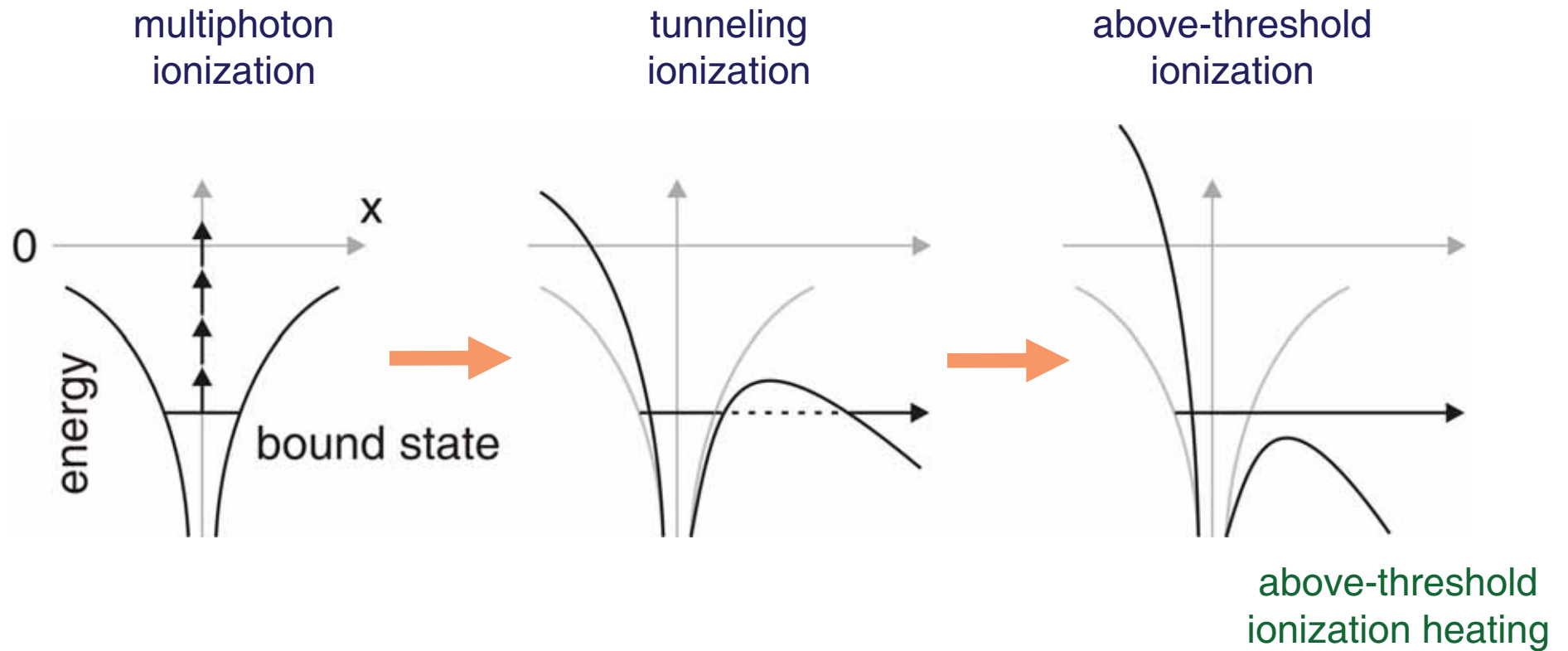
1983

This artist's concept shows beams from three X-ray rods destroying Cold War targets after detonation of the bomb powering the X-ray rods. If deployed in space, each of the thin rods of the X-ray laser weapon would be aimed at an enemy missile.

From Joseph Nilsen, "Legacy of the X-ray Laser Program," Lawrence Livermore National Laboratory report.

OPN May 2008 | 31

Optical-field ionization

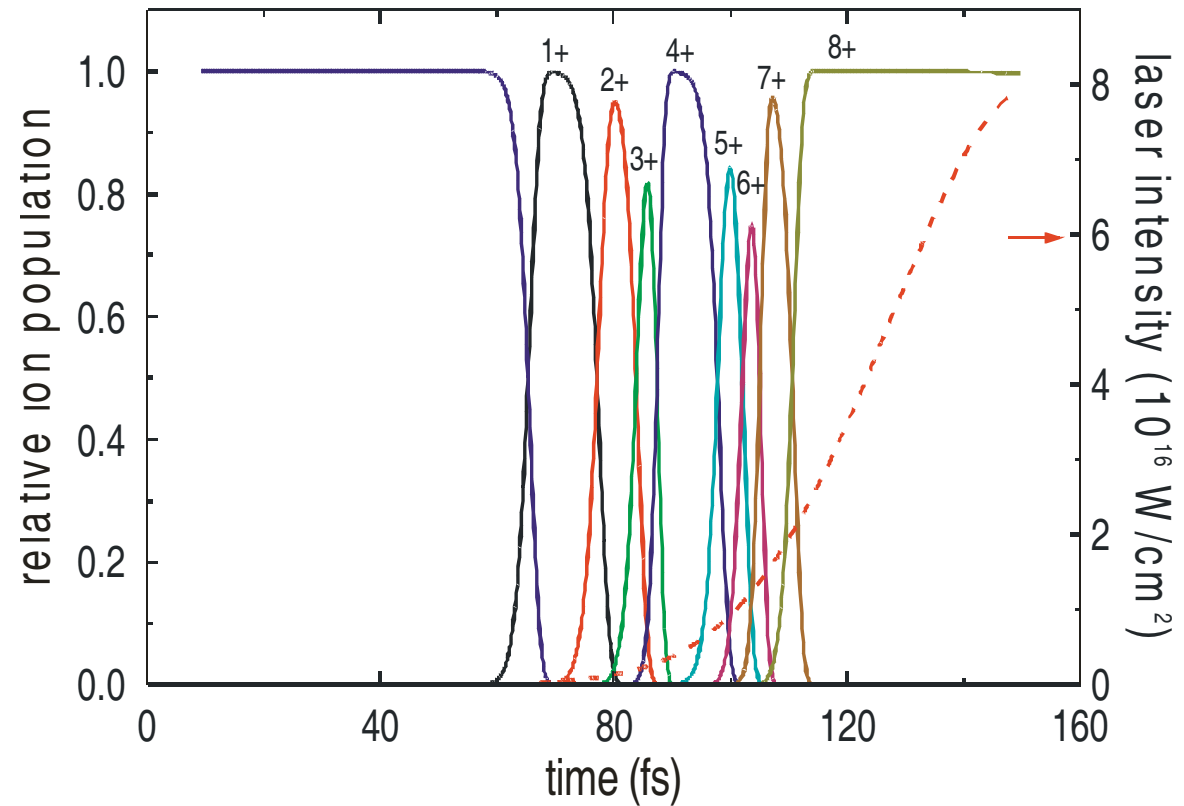


appearance intensity for 1^+ ion ($\lambda=1 \mu\text{m}$)

Xe: $8.7 \times 10^{13} \text{ W/cm}^2$

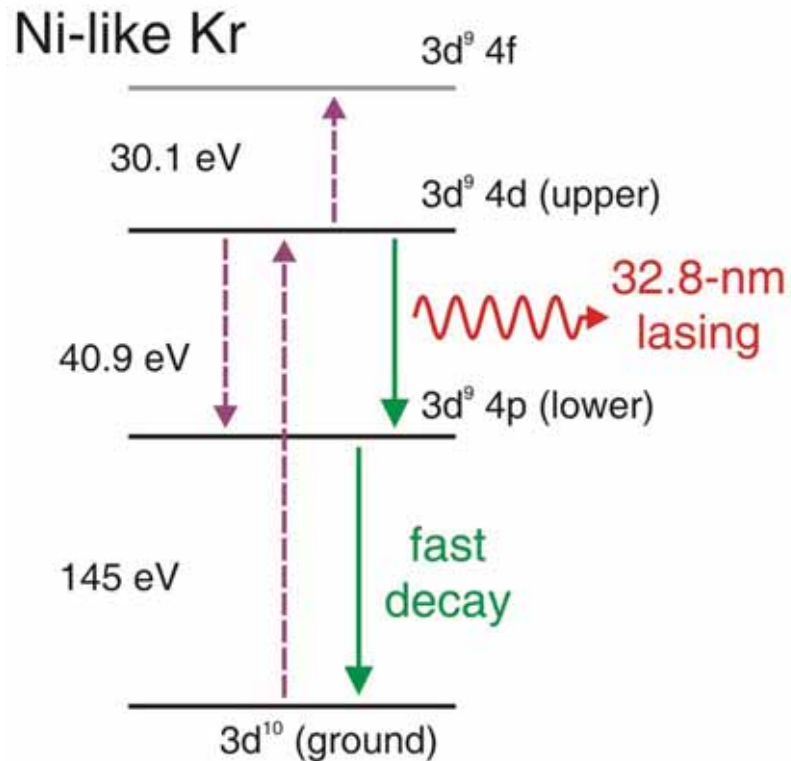
He: $1.5 \times 10^{15} \text{ W/cm}^2$

Ionization of Xe as a function of intensity

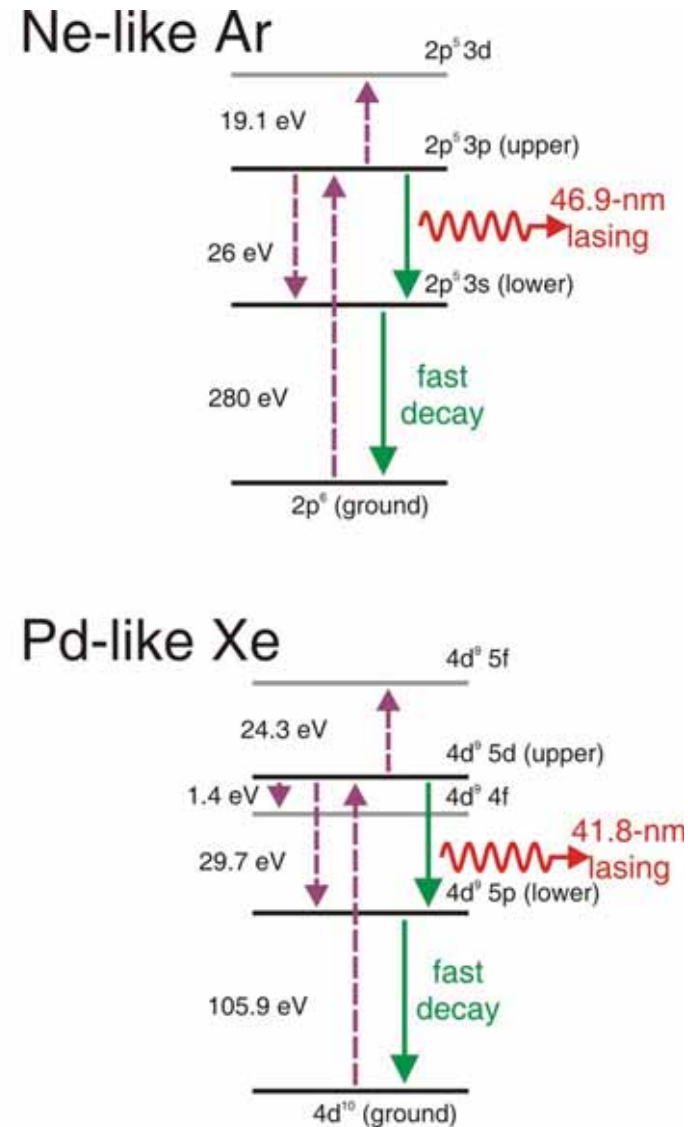


Ionization to a closed shell can be prepared by optical-field-ionization.

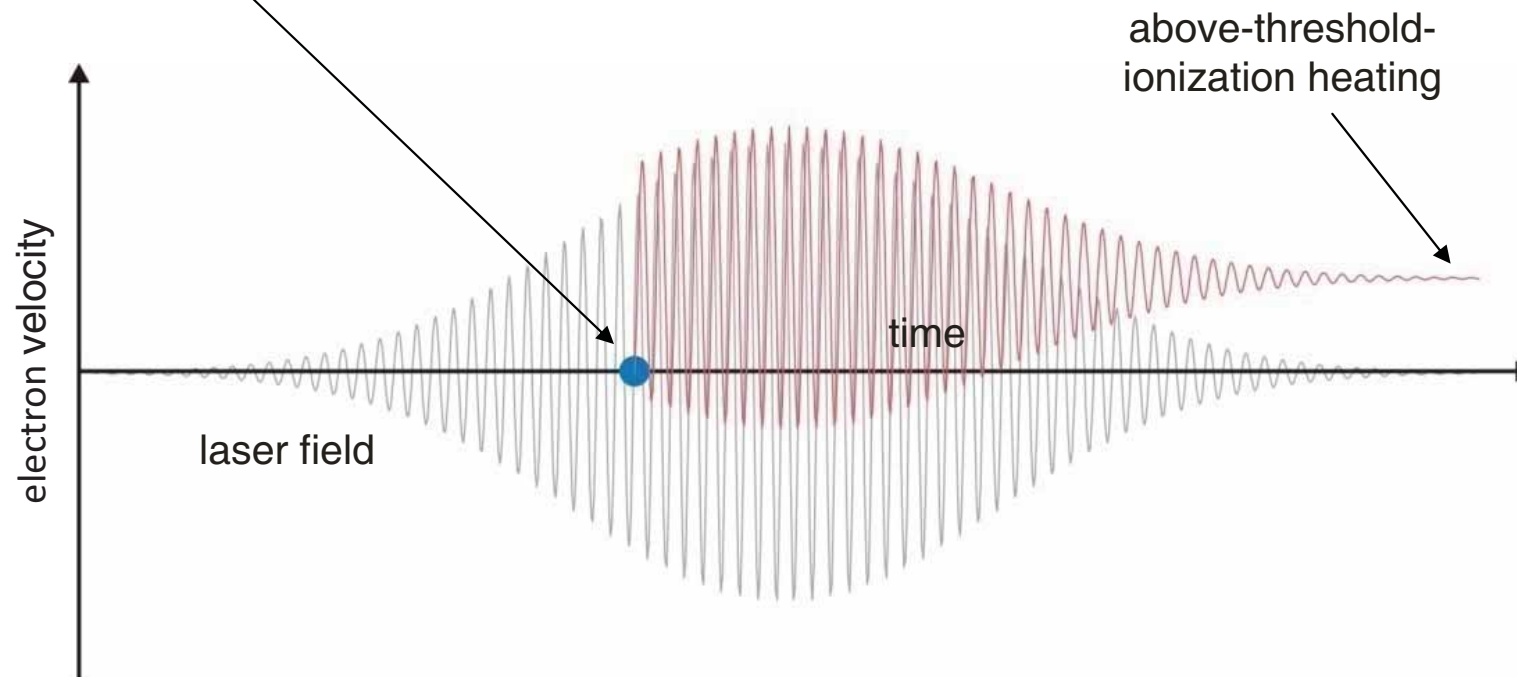
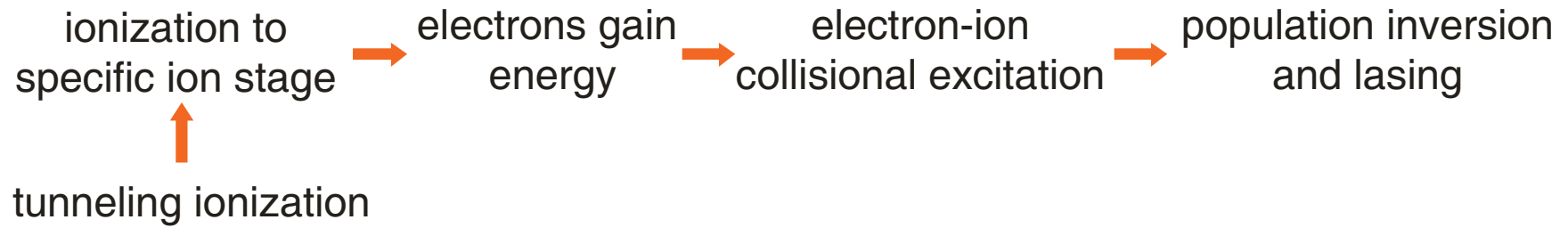
Energy levels of EUV lasers



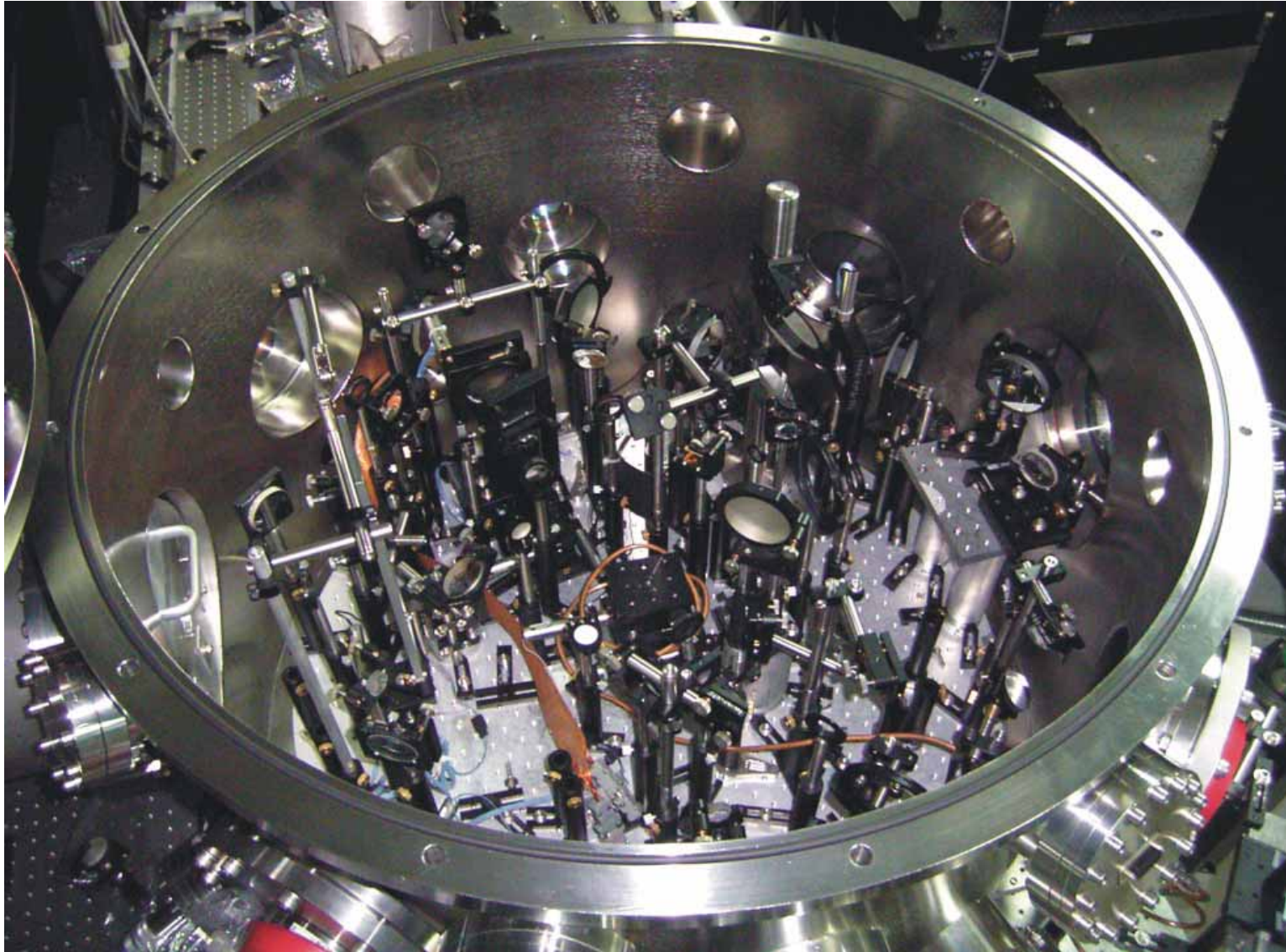
→ radiative transition
- - - → collisional transition



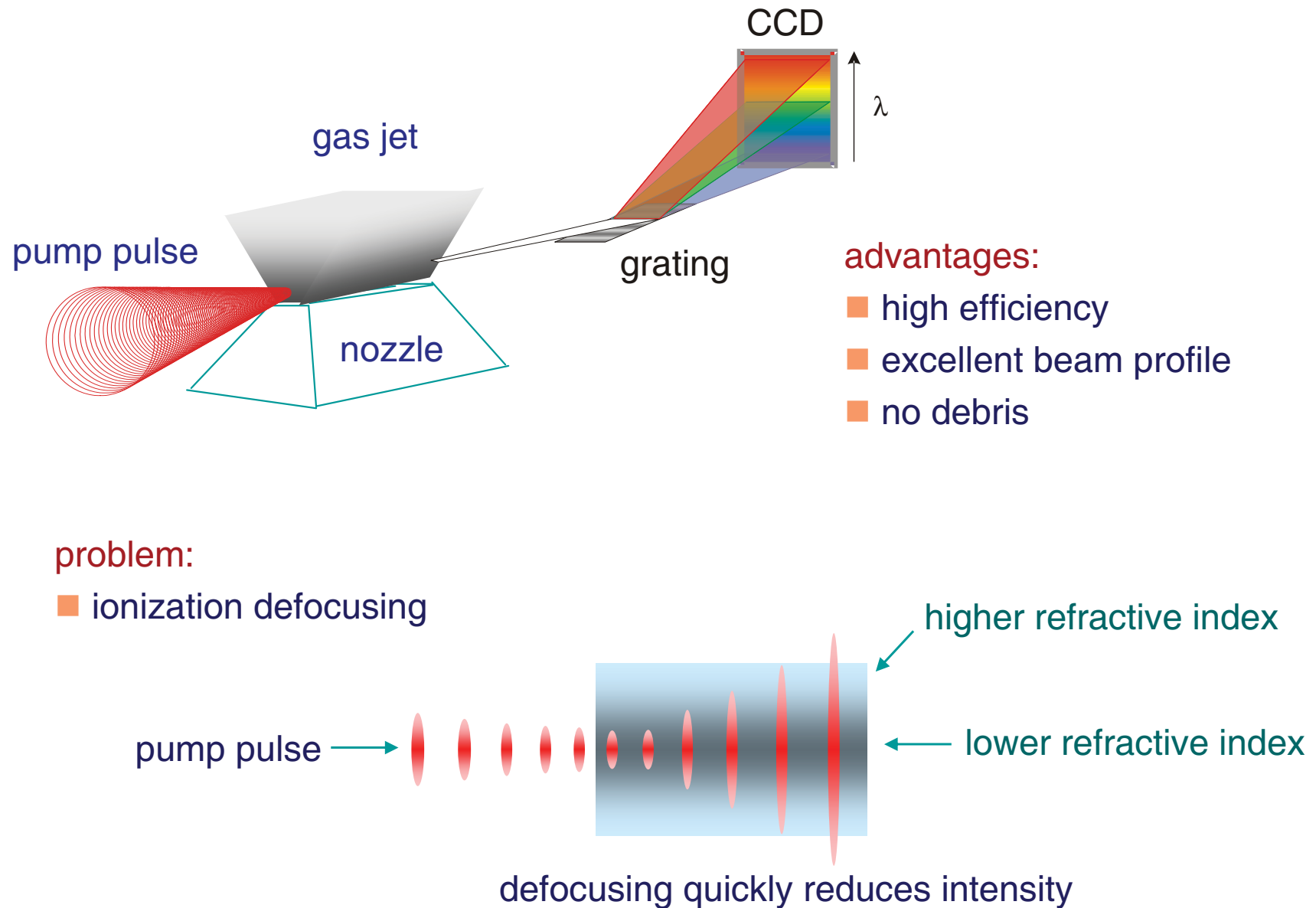
Pumping by optical-field ionization



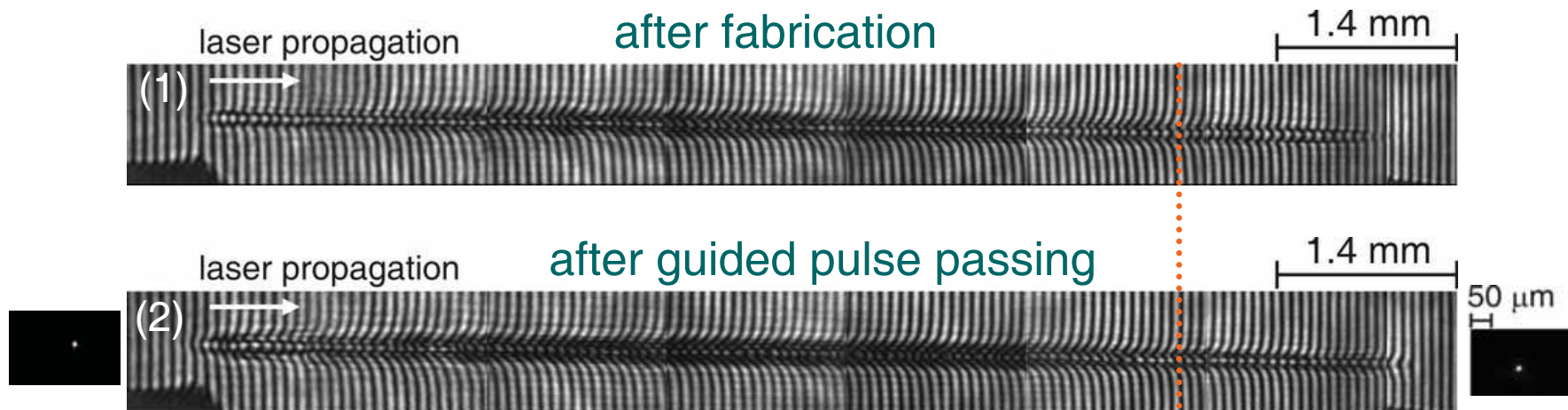
Gas-target EUV laser



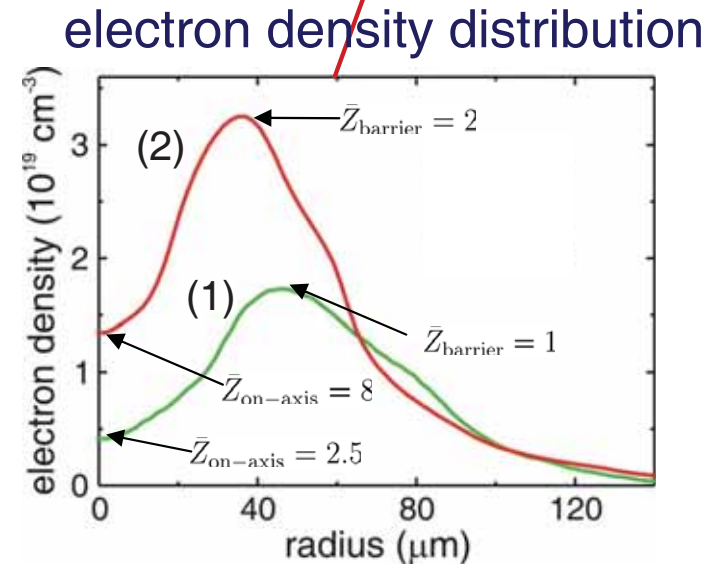
Longitudinally pumped optical-field-ionization EUV lasers



Interferograms of the plasma waveguide

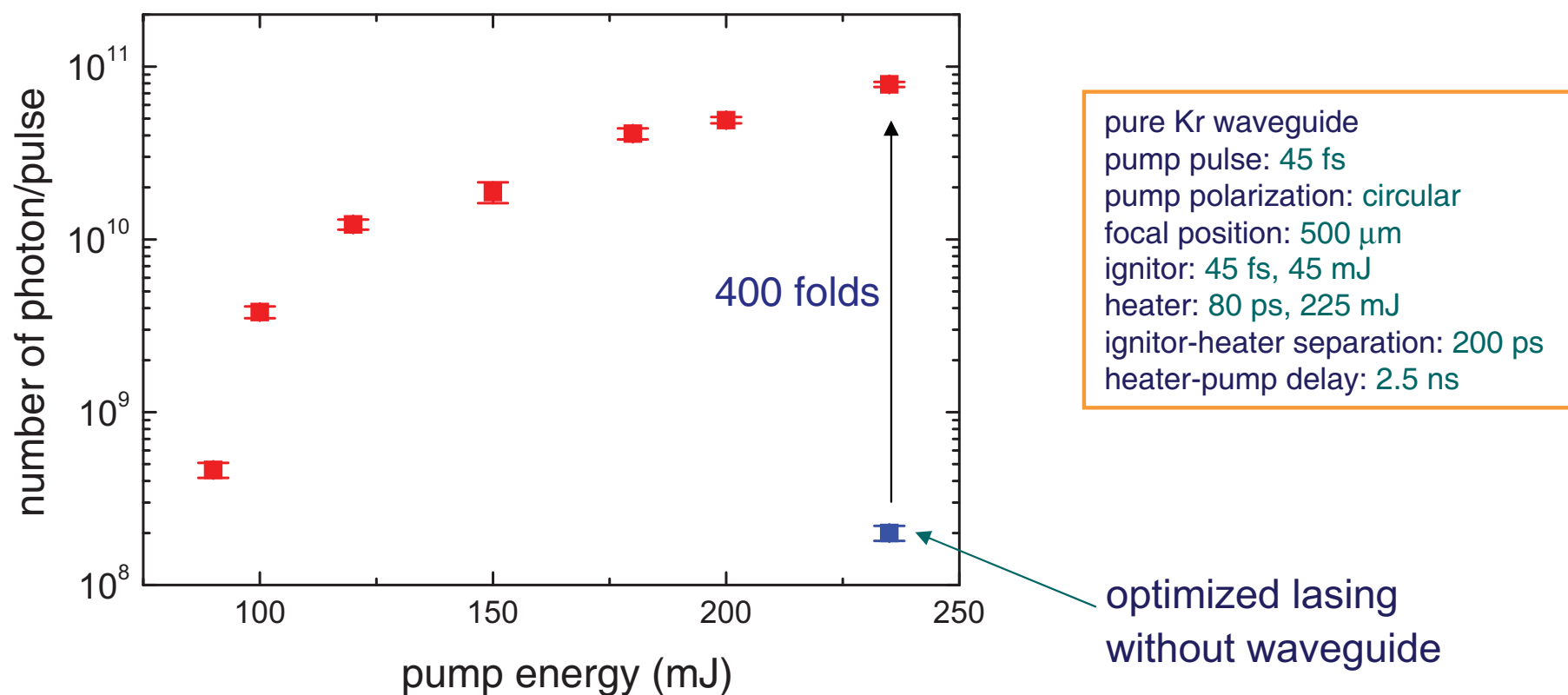


pump pulse: 45 fs, 235 mJ
ignitor: 45 fs, 45 mJ
heater: 80 ps, 225 mJ
ignitor-heater separation: 200 ps
heater-pump delay: 2.5 ns
atom density: $1.6 \times 10^{19} \text{ cm}^{-3}$



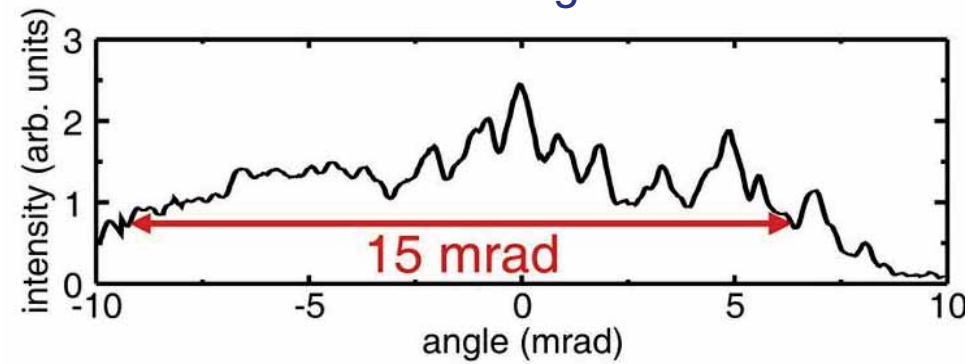
A uniform plasma waveguide of 40- μm diameter and 9-mm length is produced with the axicon-ignitor-heater scheme.

Pump-power dependence for Ni-like Kr lasing at 32.8 nm

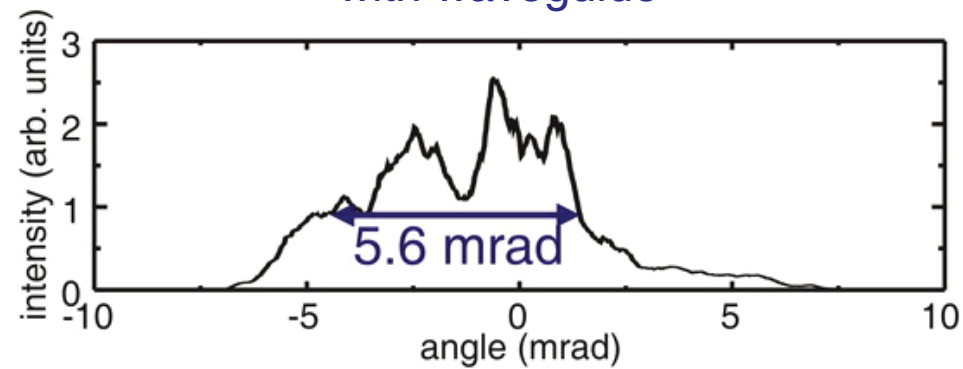


Reduced divergence

without waveguide

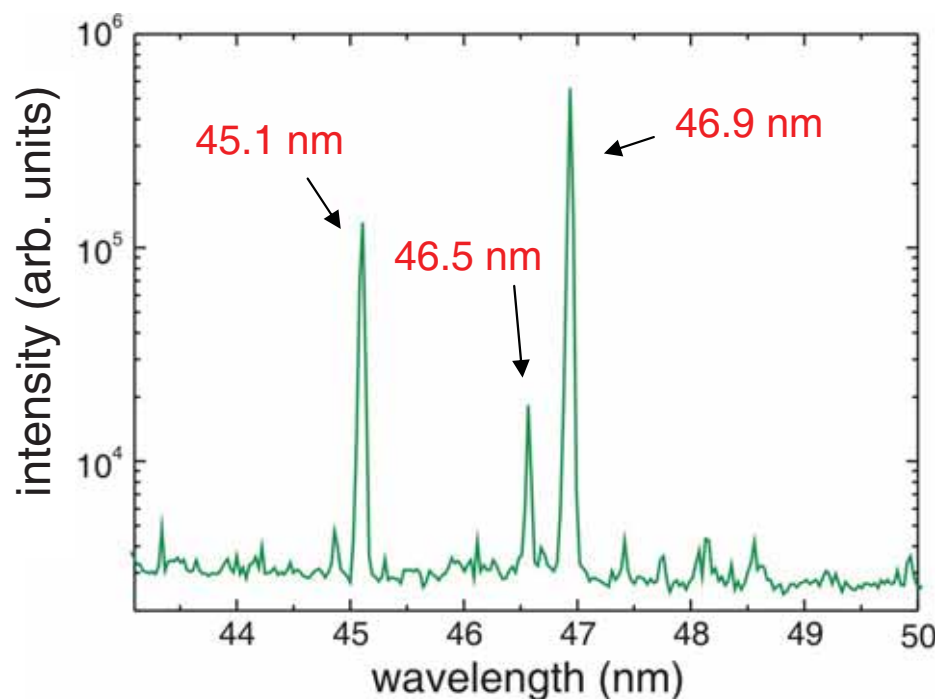
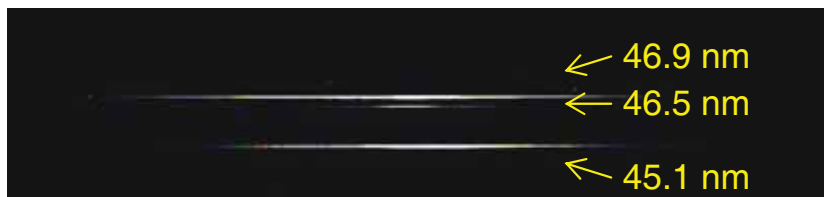


with waveguide

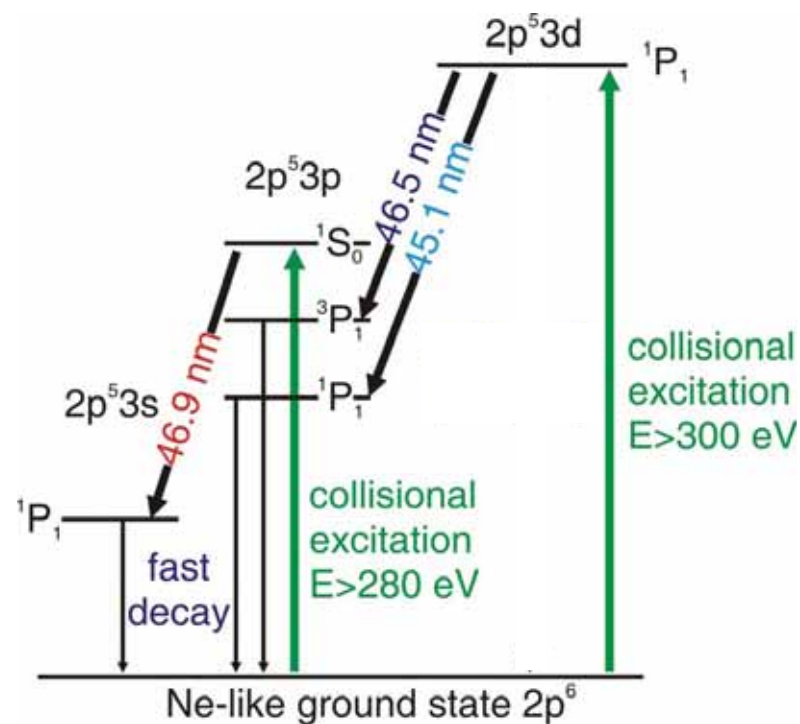


Multi-line lasing for Ne-like Ar

raw image recorded by x-ray spectrometer

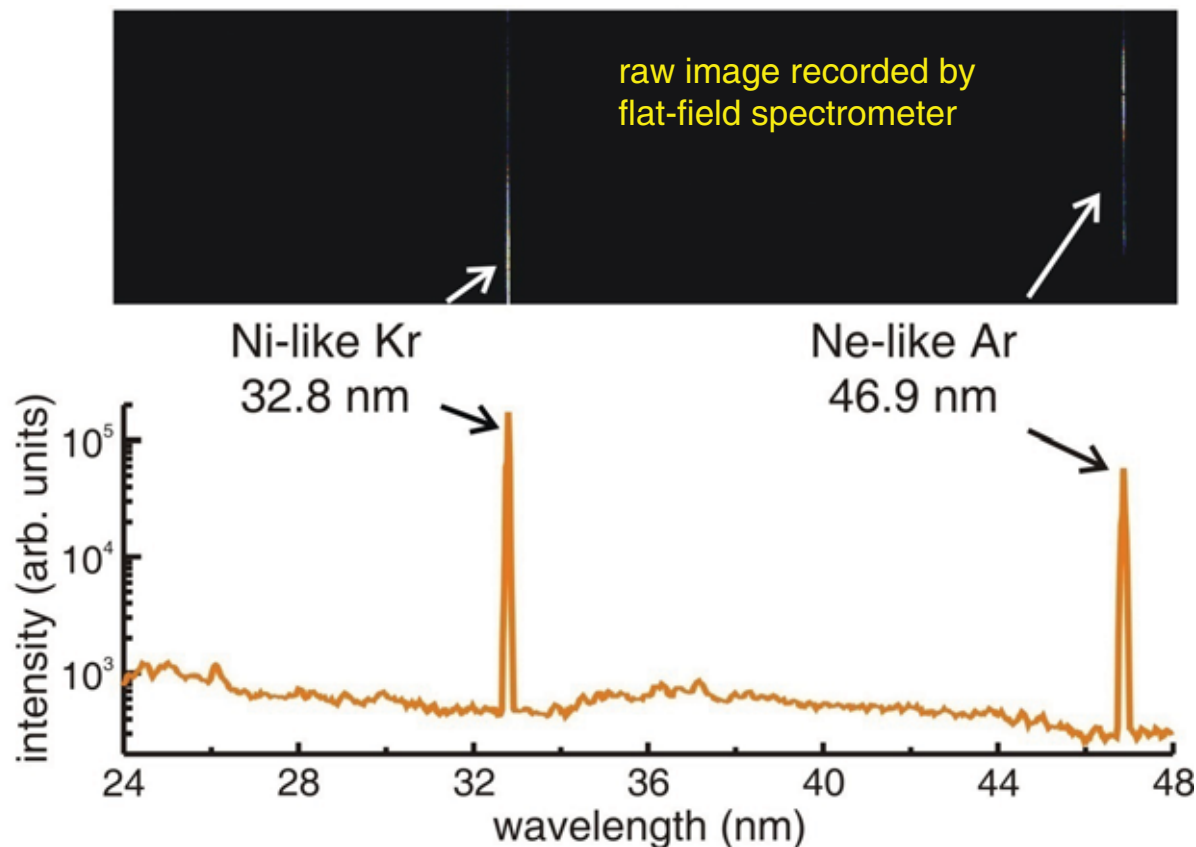


energy diagram of Ne-like Ar



Phys. Rev. A **76**, 053817 (2007)

Multi-species parallel EUV lasing

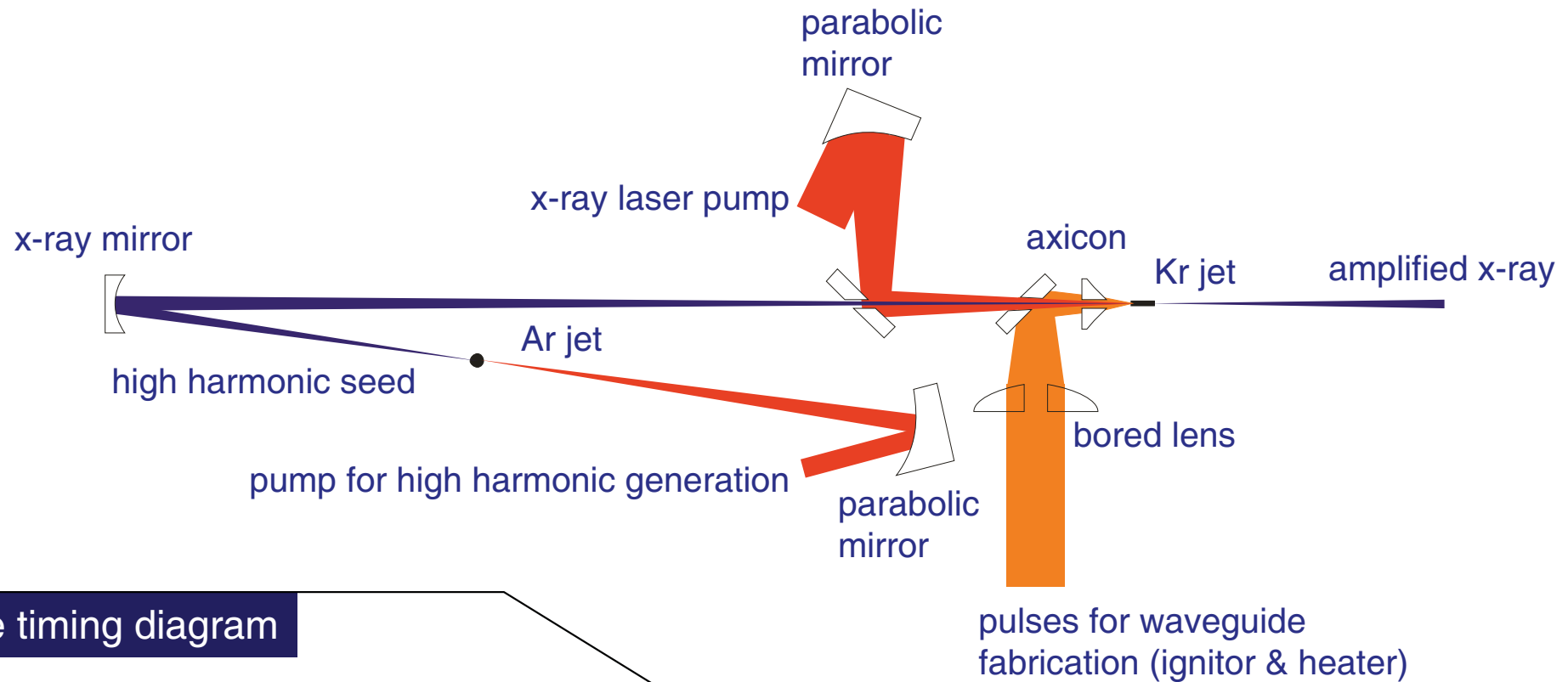


Kr/Ar mixed-gas waveguide
pump pulse: 45 fs, 240 mJ
pump polarization: circular
ignitor: 45 fs, 45 mJ
heater: 160 ps, 220 mJ
Kr atom density: $9.1 \times 10^{18} \text{ cm}^{-3}$
Ar atom density: $1.2 \times 10^{19} \text{ cm}^{-3}$
ignitor-heater separation: 200 ps
hearer-pump delay: 1.5 ns

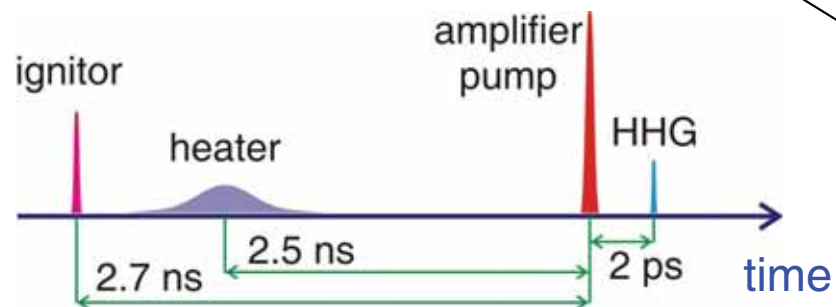
gas mixture Kr : Ar = 0.9 : 1.2

Phys. Rev. A **76**, 053817 (2007)

Experimental setup for HHG injection seeding



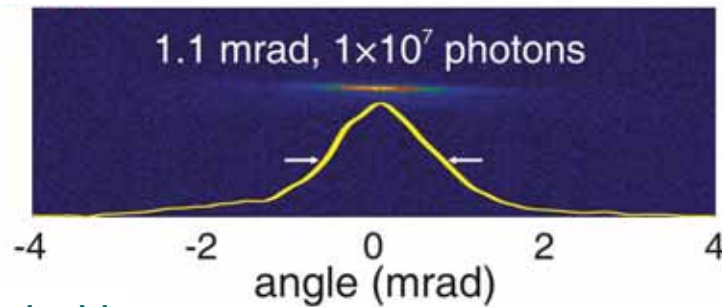
pulse timing diagram



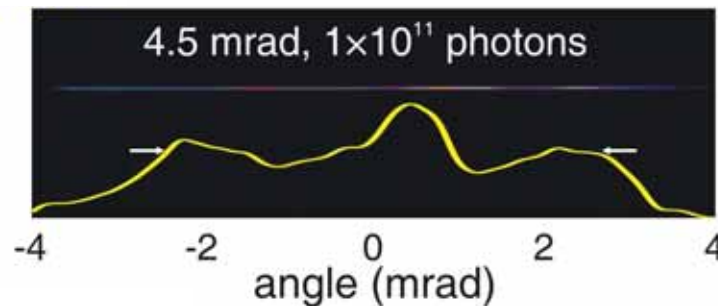
Opt. Lett. **34**, 3562 (2009)

Angular distribution of seeded EUV laser

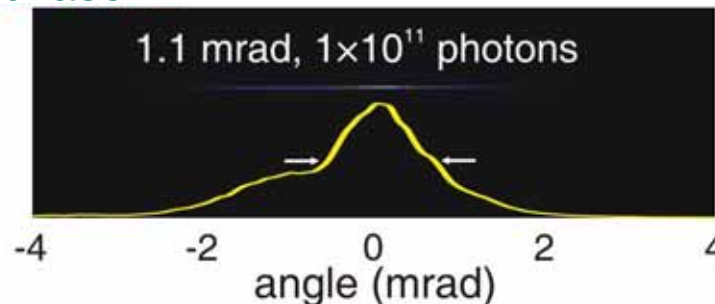
high harmonic seed



unseeded laser



seeded laser



parameters of HHG seed:

gas: argon
atom density: $7.1 \times 10^{18} \text{ cm}^{-3}$
pump energy: 3.8 mJ
pump duration: 360 fs
focal position: 1250 μm
seed-amplifier pump delay: 2 ps

parameters of x-ray amplifier:

gas: krypton
atom density: $1.6 \times 10^{19} \text{ cm}^{-3}$
pump pulse: 38 fs, 235 mJ
ignitor: 38 fs, 45 mJ
heater: 160 ps, 270 mJ
ignitor-heater separation: 200 ps
heater-pump delay: 2.5 ns

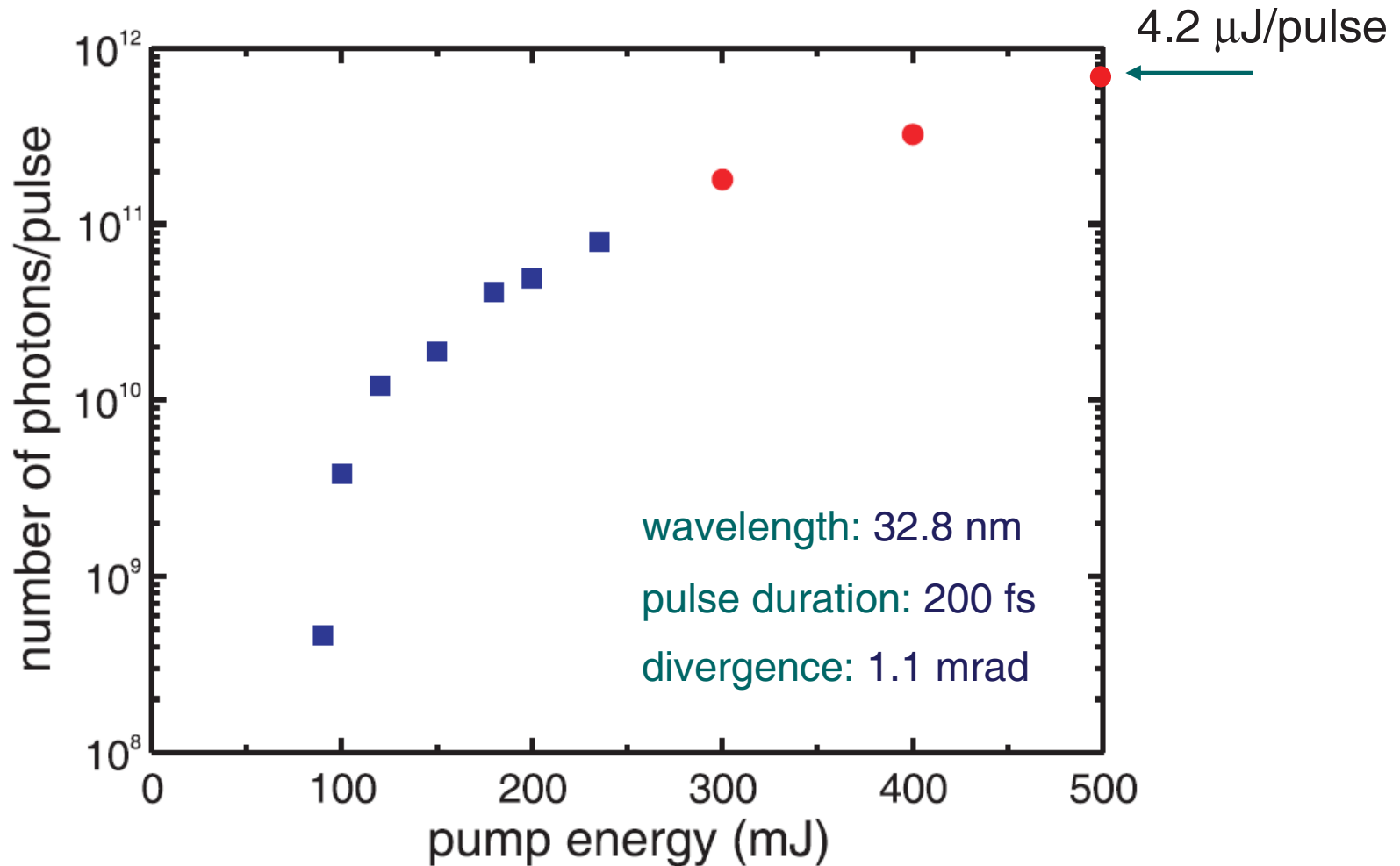
beam-pointing fluctuation: 0.13 mrad

energy fluctuation: 10%

- With seeding the divergence of the x-ray laser is greatly reduced from 4.5 mrad to 1.1 mrad, which is about the same as that of the HHG seed.
- With the waveguide-based soft-x-ray amplifier, the HHG seed is amplified by a factor of 10^4 .

Output energy of Ni-like Kr laser

- pumped by the 100-TW laser at Nat'l Central Univ
- pumped by the 10-TW laser at Academia Sinica



Comparing our EUV laser with synchrotron radiation

spectral brightness (photon/sec/mm²/mrad²) for $\frac{\Delta\lambda}{\lambda} = 10^{-3}$

	NSRRC (Taiwan)	x-ray laser (HHG seeding)
pulse duration	100 ps	200 fs*
repetition rate	10 ⁶ Hz	10 Hz
wavelength	tunable	discrete set
average spectral brightness at 32.8 nm	9.8×10 ¹³	6.6×10 ¹⁴
peak spectral brightness at 32.8 nm	5.8×10 ¹⁷	2.9×10 ²⁸

* assuming the pulse duration is limited by bandwidth

Laser-wakefield electron accelerator

Phys. Rev. Lett. **96**, 095001 (2006)

Phys. Rev. E **75**, 036402 (2007)

Phys. Plasmas **18**, 063102 (2011)

The 27-km ring accelerator at CERN



material break-down limit of conventional accelerator: 10^8 V/m

Proposal of laser-plasma accelerator

NUMBER 4

PHYSICAL REVIEW LETTERS

23

Laser Electron Accelerator

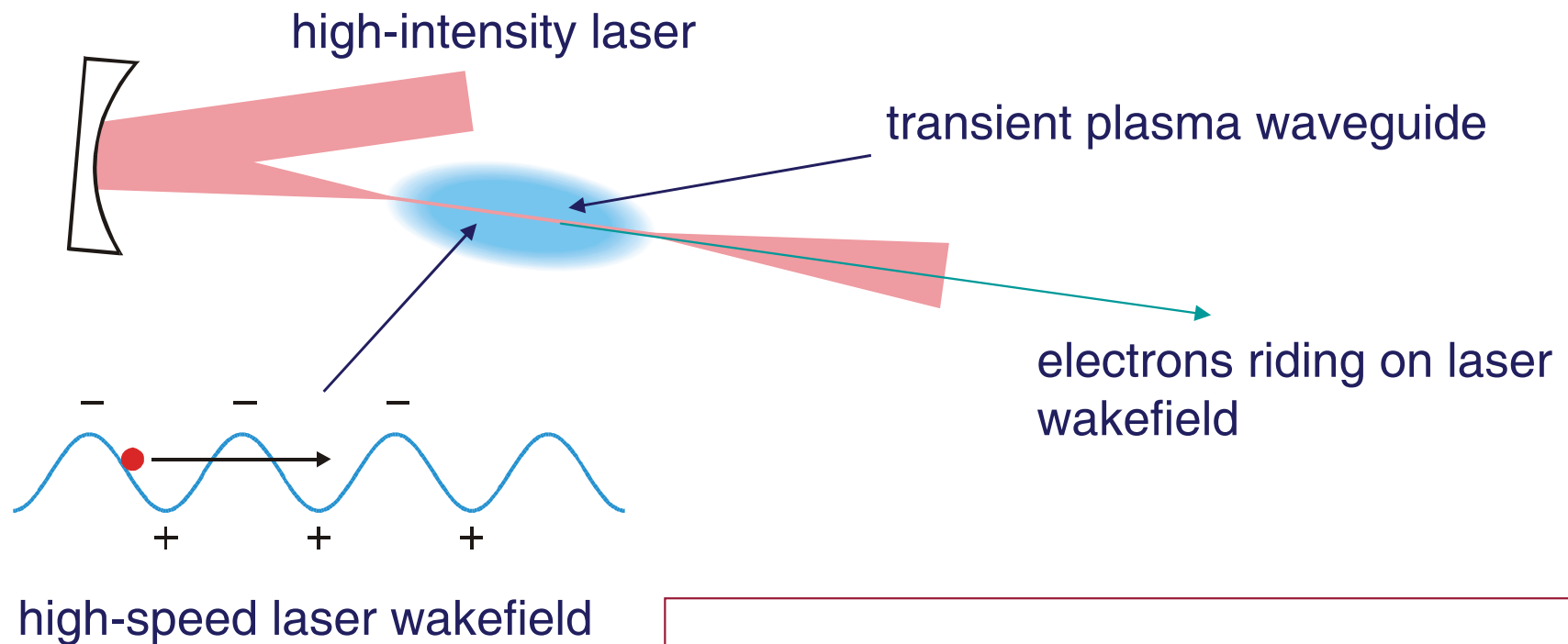
T. Tajima and J. M. Dawson

Department of Physics, University of California, Los Angeles, California 90024

(Received 9 March 1979)

An intense electromagnetic pulse can create a weak of plasma oscillations through the action of the nonlinear ponderomotive force. Electrons trapped in the wake can be accelerated to high energy. Existing glass lasers of power density $10^{18}\text{W}/\text{cm}^2$ shone on plasmas of densities 10^{18} cm^{-3} can yield gigaelectronvolts of electron energy per centimeter of acceleration distance. This acceleration mechanism is demonstrated through computer simulation. Applications to accelerators and pulsers are examined.

Laser-wakefield electron accelerator

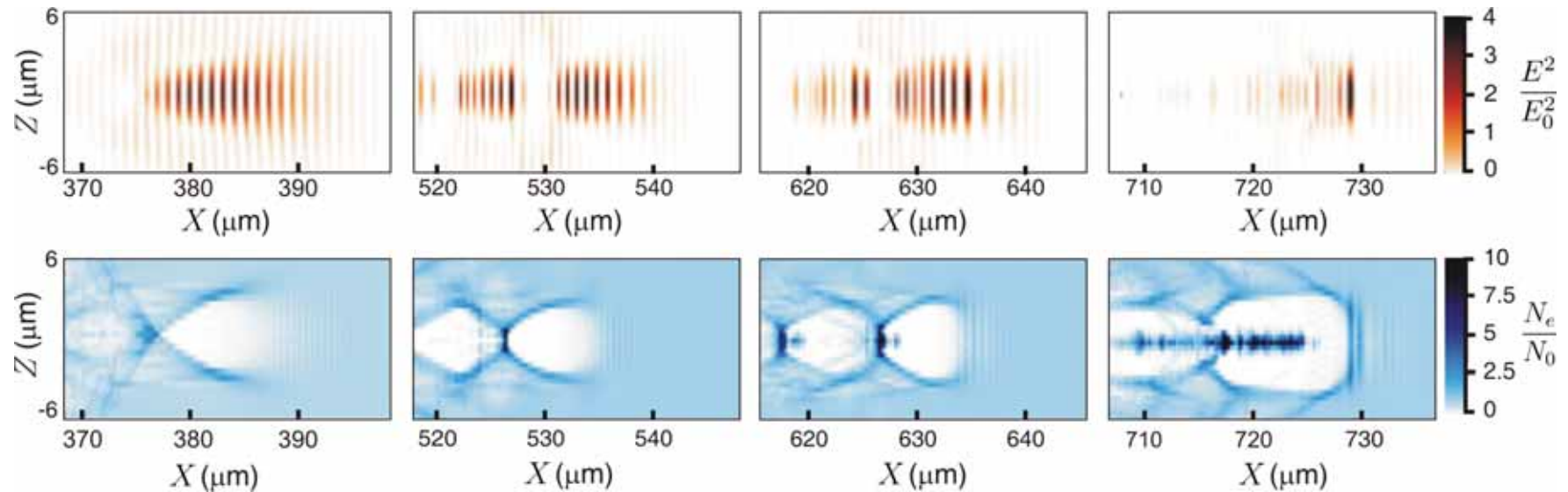


acceleration gradient: 250 GeV/m

conventional accelerator: 50 MeV/m

Acceleration in the “bubble regime”

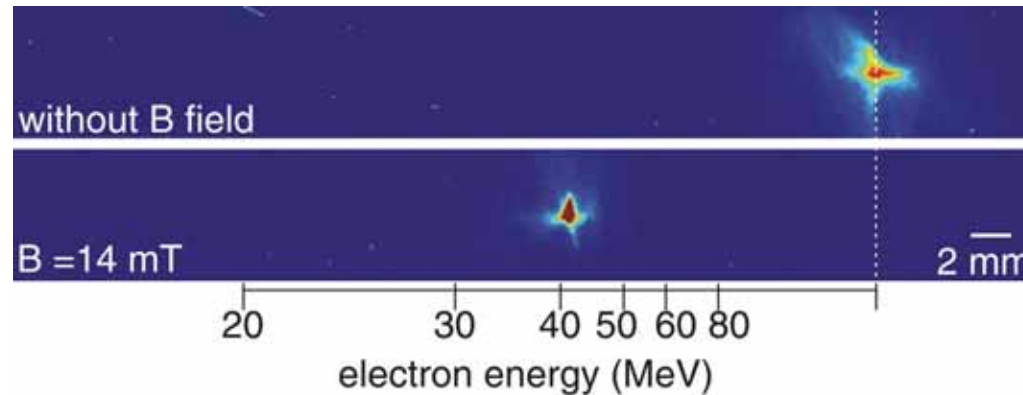
evolution of laser pulse



evolution of electron density

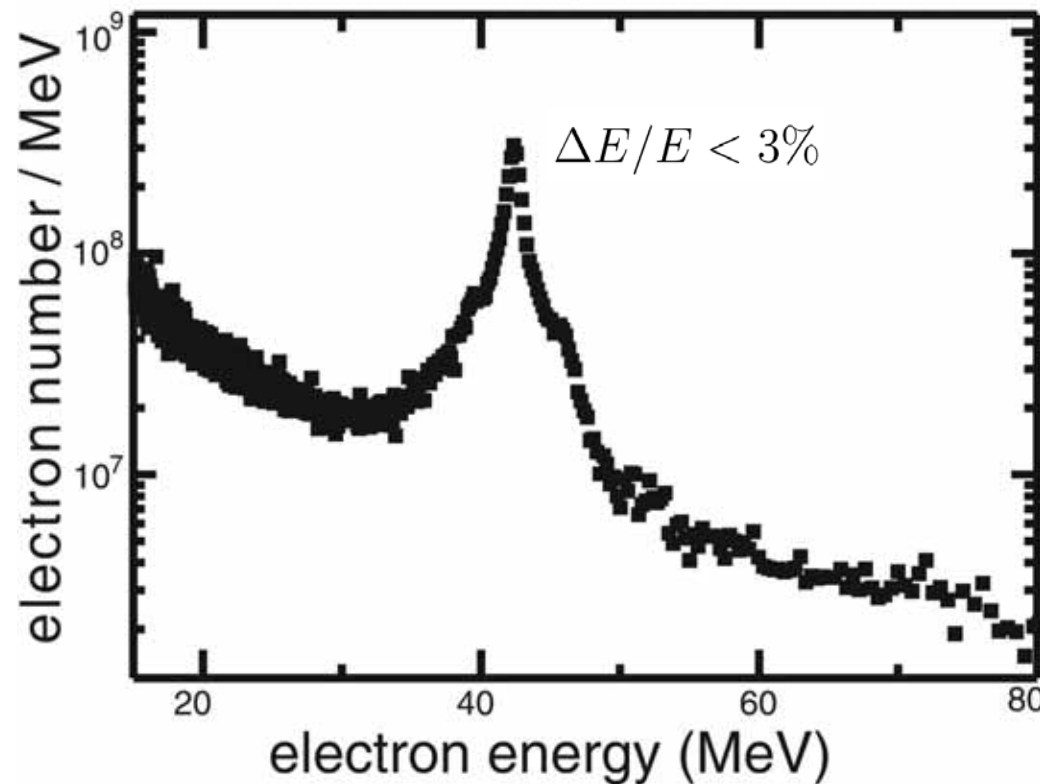
- After nonlinear propagation, pulse duration becomes smaller than plasma-wave period.
- The ponderomotive force expels electrons, resulting in a positively charged cavity following laser pulse.

Production of a monoenergetic electron beam

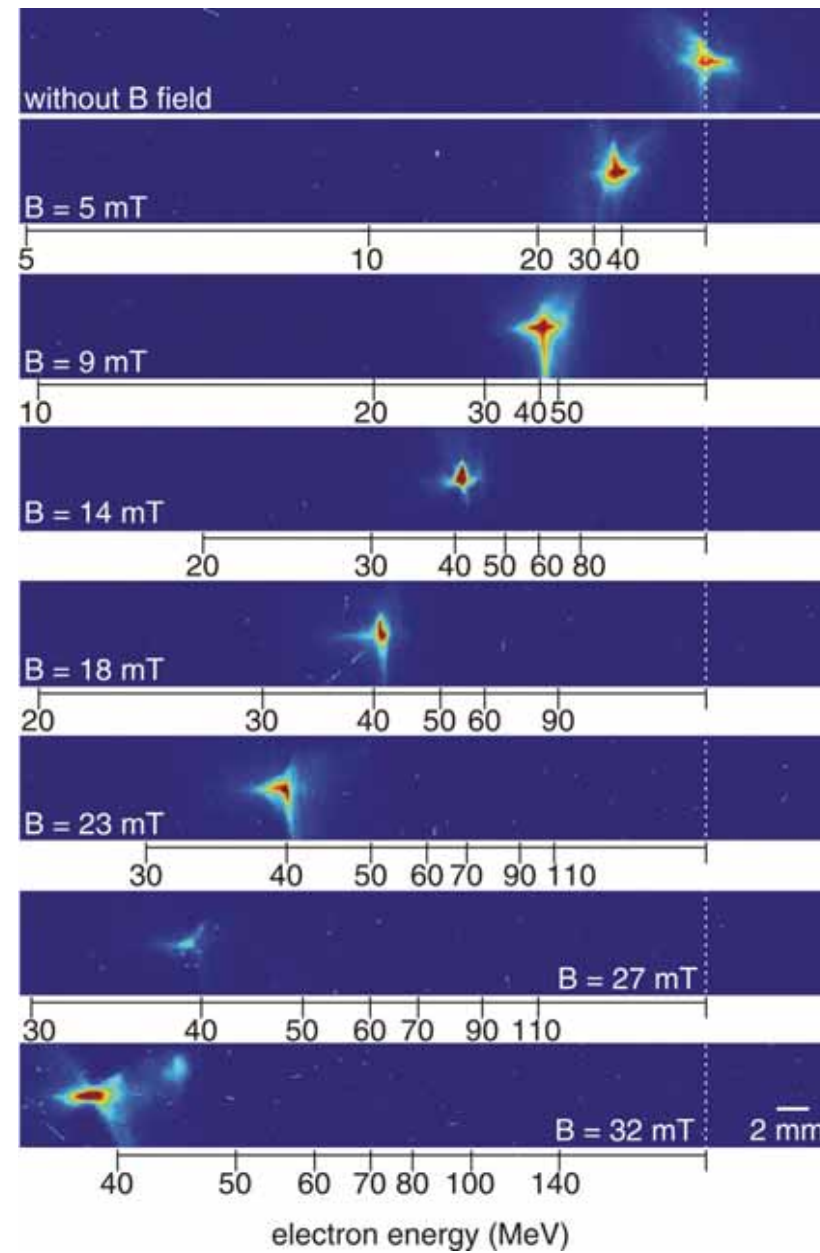


plasma density:
 $4 \times 10^{19} \text{ cm}^{-3}$

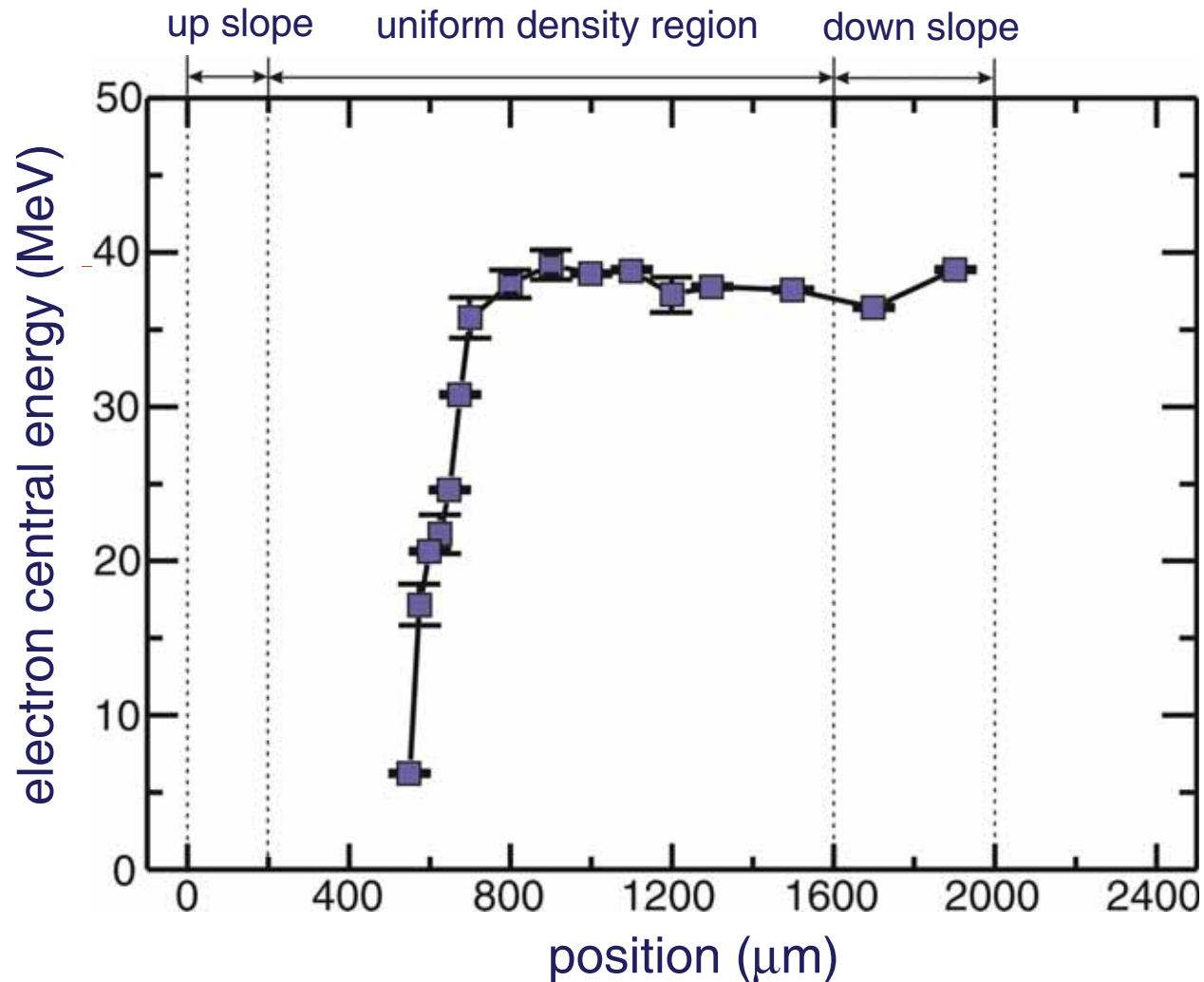
pump pulse:
230 mJ, 45 fs,
focused to 8- μm diameter



Electron images at the spectrometer



Resolving the acceleration process

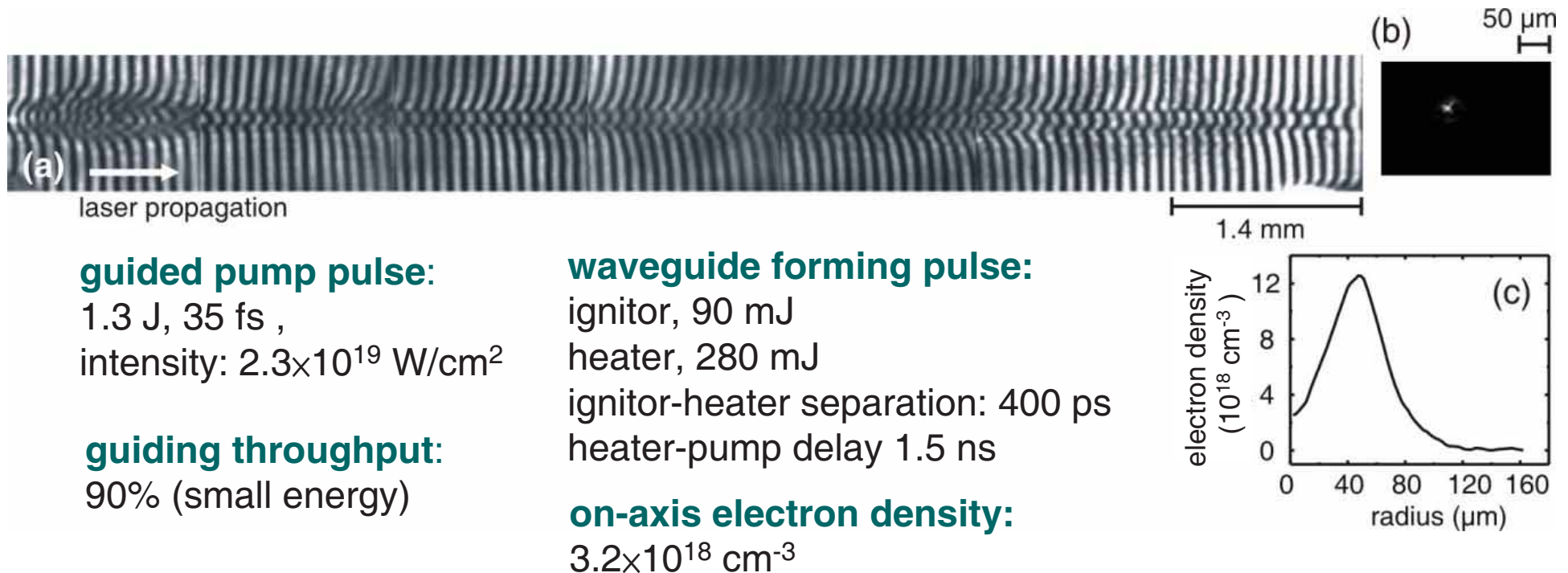


- Saturation of electron energy occurs at $\sim 200\text{-}\mu\text{m}$ acceleration distance.
- The first direct measurement of the acceleration gradient ($\sim 2\text{ GeV/cm}$).

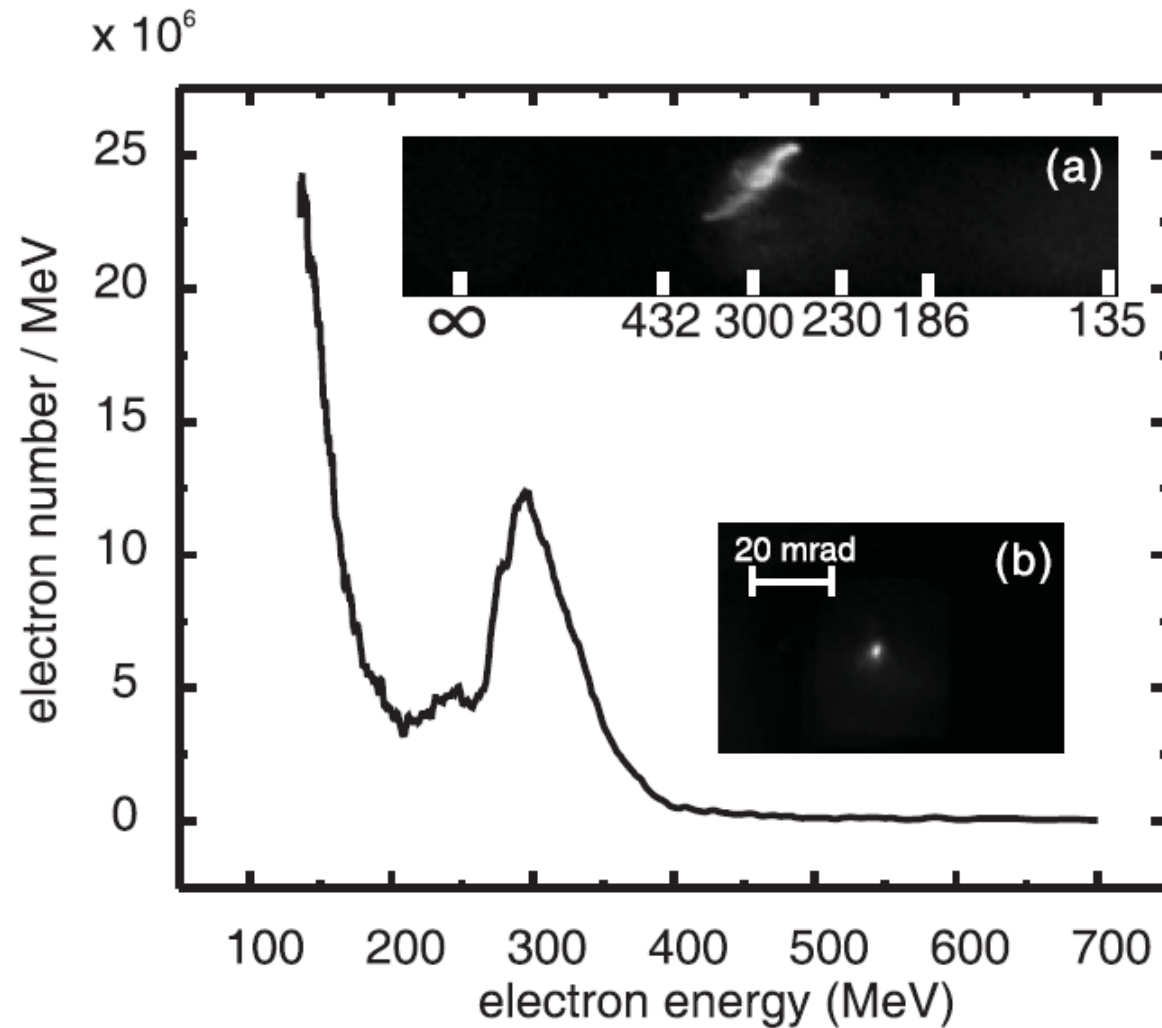
Acceleration in optically preformed waveguide

advantages:

- gas jet based waveguide, no accumulated damage
- independent adjustment of plasma density and laser parameters



Electron beam profile and energy spectrum



pump pulse: 1.3 J

electron energy:
300 MeV

bunch charge:
200 pC (best case)

divergence: 2.5 mrad

$\Delta E/E$: 13%

27 years after the proposal

Published online: 24 September 2006; doi:10.1038/nphys418

Gigaelectron volt (GeV) electron accelerators are essential to synchrotron radiation facilities and free-electron lasers, and as modules for high-energy particle physics. Radiofrequency-based accelerators are limited to relatively low accelerating fields ($10\text{--}50\text{ MV m}^{-1}$), requiring tens to hundreds of metres to reach the multi-GeV beam energies needed to drive radiation sources, and many kilometres to generate particle energies of interest to high-energy physics. Laser-wakefield accelerators^{1,2} produce electric fields of the order $10\text{--}100\text{ GV m}^{-1}$ enabling compact devices. Previously, the required laser intensity was not maintained over the distance needed to reach GeV energies, and hence acceleration was limited to the 100 MeV scale^{3–5}. Contrary to predictions that petawatt-class lasers would be needed to reach GeV energies^{6,7}, here we demonstrate production of a high-quality electron beam with 1 GeV energy by channelling a 40 TW peak-power laser pulse in a 3.3-cm-long gas-filled capillary discharge waveguide^{8,9}.

bunch charge: only 30 pC

Relativistic plasma nonlinear optics

Phys. Rev. A **76**, 063815 (2007)

Phys. Rev. Lett. **98**, 033901 (2007)

Phys. Rev. A **82**, 063804 (2010)

Phys. Rev. A **83**, 033801 (2011)

Relativistic nonlinearity in laser plasma interaction

- Relativistic effects on plasma refractive index

$$\Delta n = \sqrt{1 - \frac{\omega_p^2}{\omega^2 \sqrt{1 + a^2/2}}} - \sqrt{1 - \frac{\omega_p^2}{\omega^2}}$$

relativistic self-phase modulation

- Wave mixing mediated by plasma waves
- Relativistic nonlinearity of the Lorentz force

$$\mathbf{F} = e \left(\mathbf{E} + \frac{\mathbf{v}}{c} \times \mathbf{B} \right)$$

nonlinear force

Theoretic analysis of the electron motion

$$\mathbf{a} \equiv \frac{|e|\mathbf{A}}{m_e c^2} \quad \phi \equiv \frac{|e|\Phi}{m_e c^2} \quad \text{normalized vector and scalar potentials}$$

$$\frac{d\mathbf{p}}{dt} = m_e c^2 \left[\frac{1}{c} \frac{\partial \mathbf{a}}{\partial t} + \nabla \phi - \boldsymbol{\beta} \times (\nabla \times \mathbf{a}) \right] \quad \text{Lorentz force}$$

$$\nabla^2 \phi = k_p^2 \left(\frac{n_e}{n_0} - 1 \right) \quad \text{Poisson's Equation}$$

$$\frac{\partial n_e}{\partial t} + c \nabla \cdot (n_e \boldsymbol{\beta}) = 0 \quad \text{Continuity Equation}$$

$\mathbf{a}$: known laser field solution $\longrightarrow \phi, \boldsymbol{\beta}, n_e$

Modification of the laser field

$$\left(\nabla^2 - \frac{\partial^2}{c^2 \partial t^2} \right) \mathbf{a} = k_p^2 \frac{n_e}{n_0} \boldsymbol{\beta} + \frac{\partial \nabla \phi}{c \partial t} \quad \text{Maxwell Equation}$$

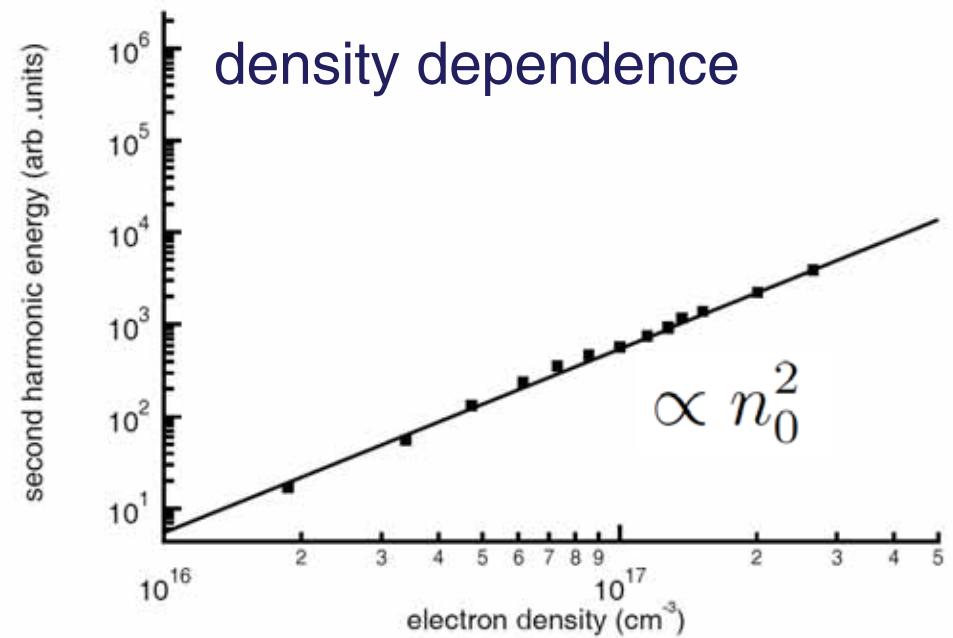
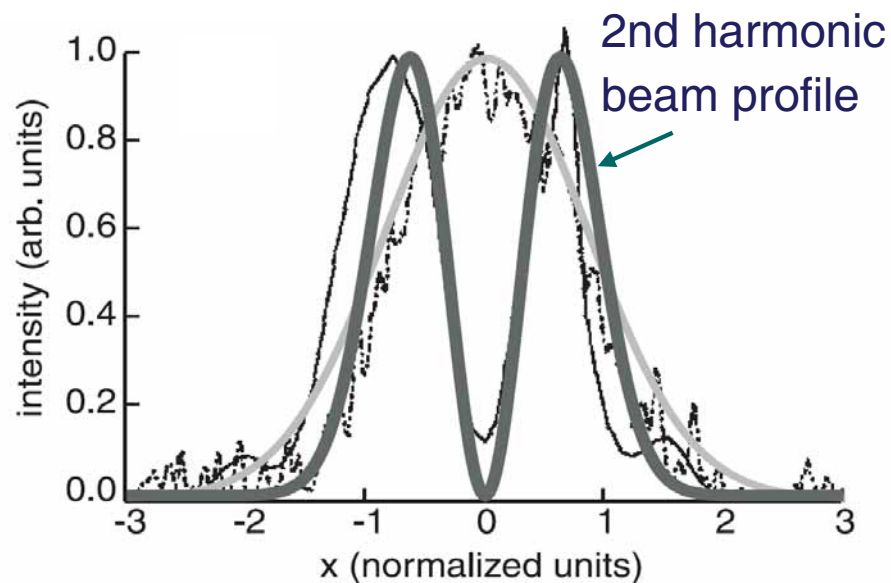
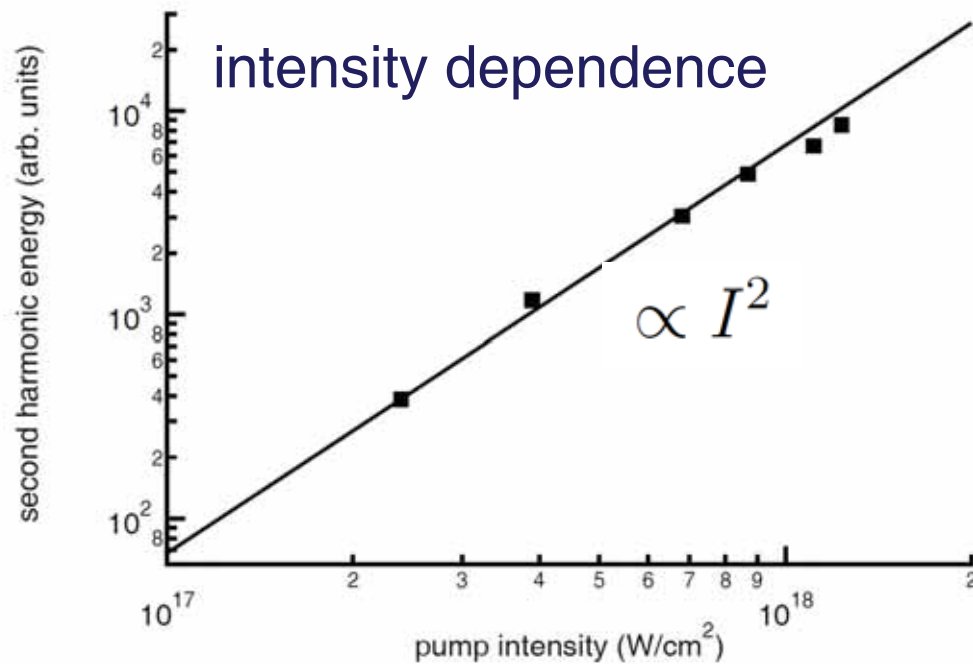
nonlinear source terms (functions of $\mathbf{a}$)

0- ω source term $\longrightarrow$ optical rectification

1- ω source term $\longrightarrow$ nonlinear refractive index

n- ω source term $\longrightarrow$ harmonic generation

Relativistic second harmonic generation

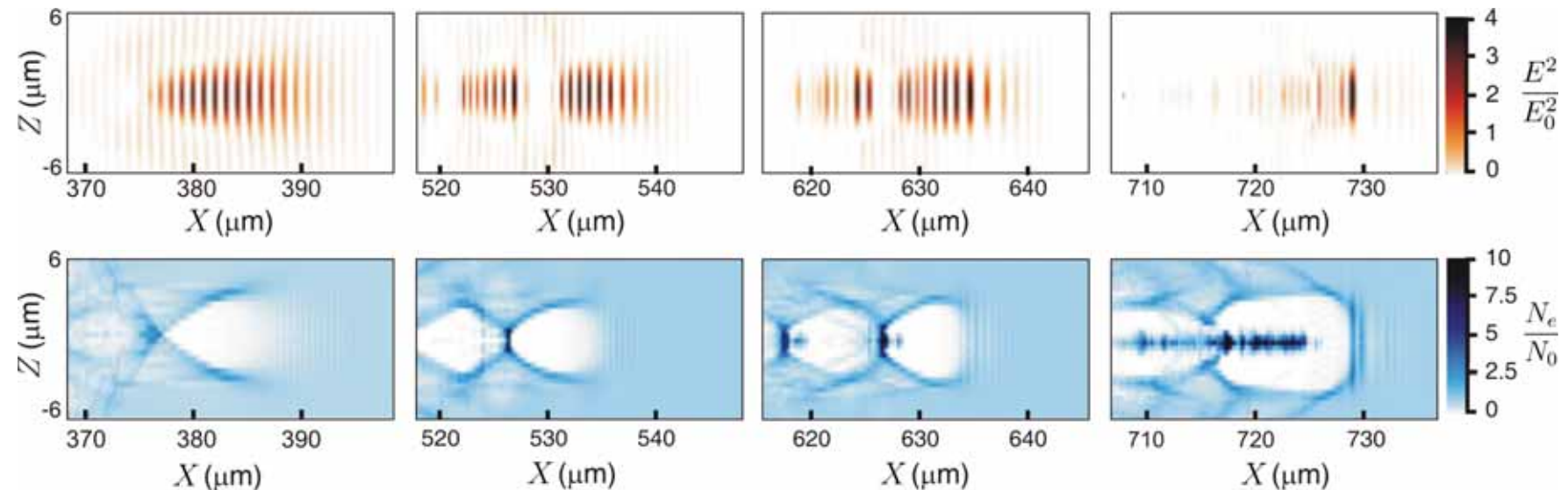


Phys. Rev. A **76**, 063815 (2007)

Generation of few-cycle intense mid-infrared pulses

Phys. Rev. A **82**, 063804 (2010)

Nonlinear phase modulation in the bubble regime



modulation of
refractive index

density modulation

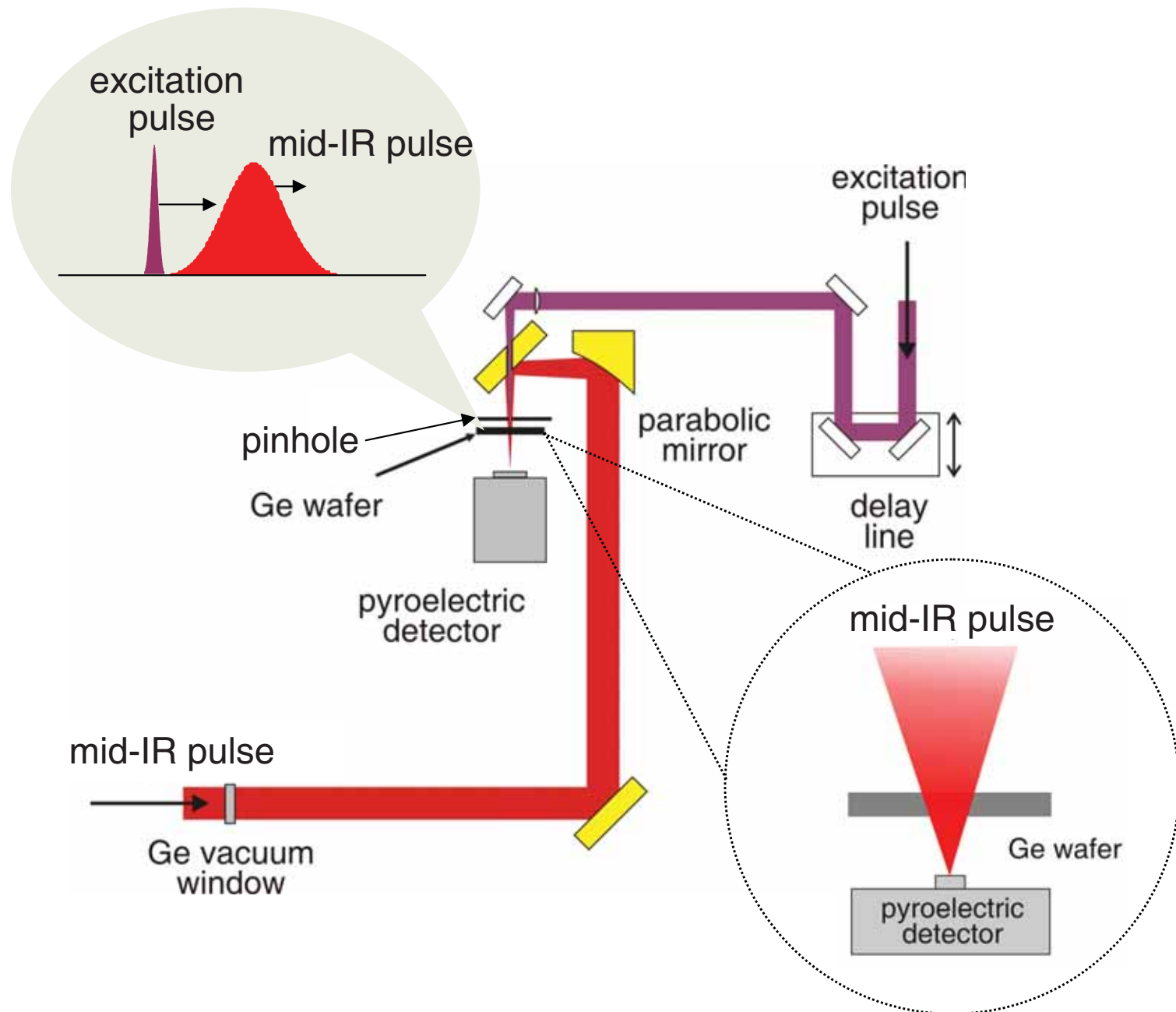
$$\Delta n = \sqrt{1 - \frac{\omega_p^2}{\omega^2 \sqrt{1 + a^2/2}}} - \sqrt{1 - \frac{\omega_p^2}{\omega^2}}$$

relativistic self-phase modulation

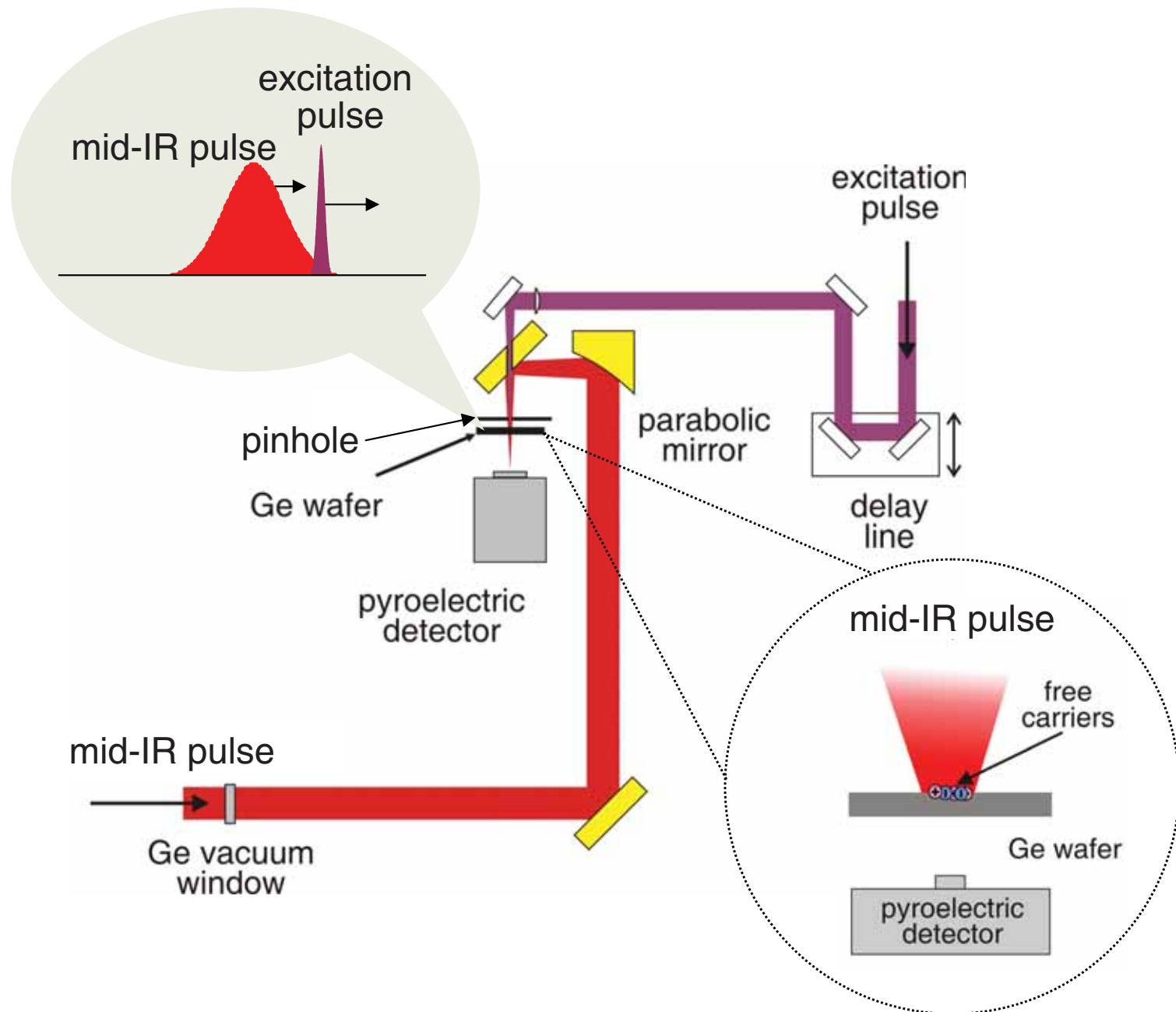
advantages:

- no optical damage
- large working bandwidth
- high spatial coherence

Ge-wafer photo-switch

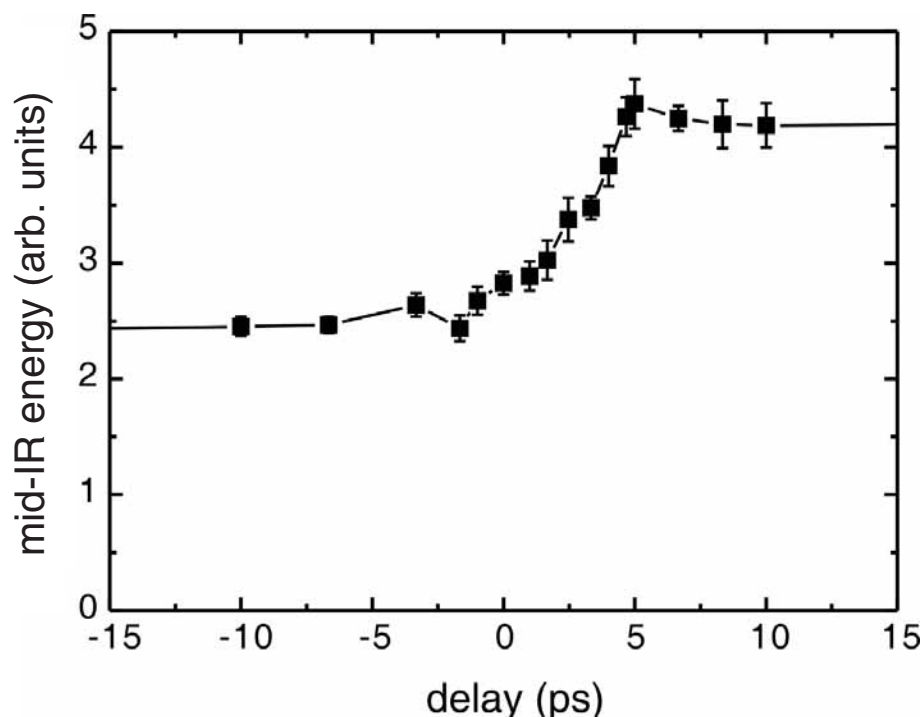


Ge-wafer photo-switch

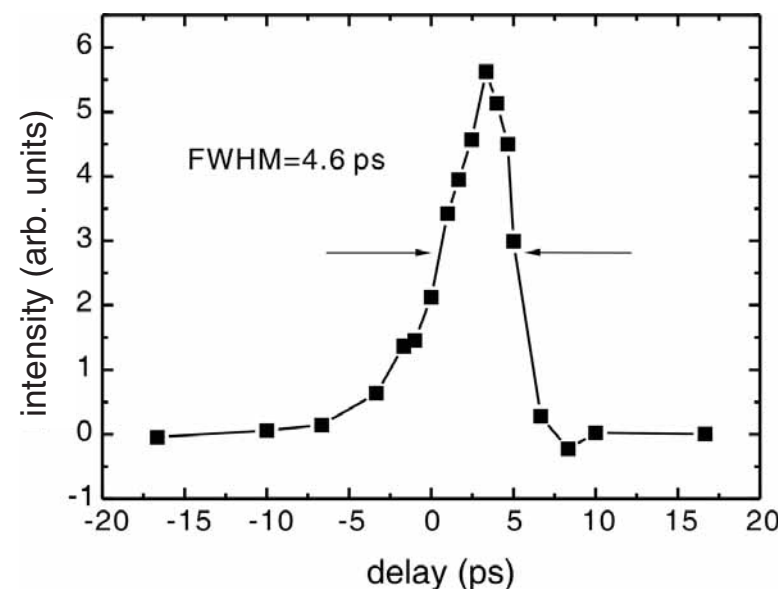


Temporal profile of the mid-IR pulse

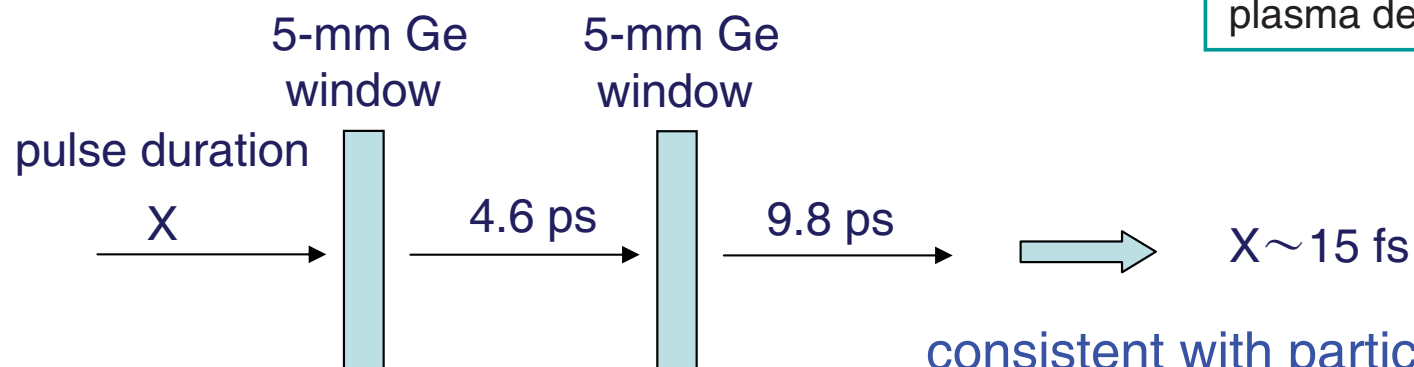
photo-switch gated transmission



reconstructed temporal profile



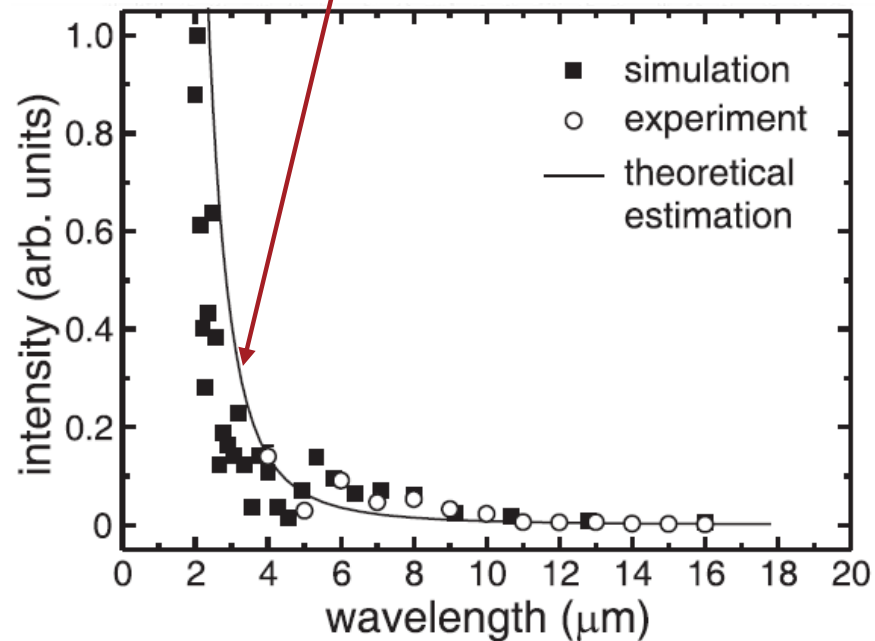
pump pulse: 205 mJ/42 fs
excitation pulse: 500 μ J/38 fs
plasma density: $4.1 \times 10^{19} \text{ cm}^{-3}$



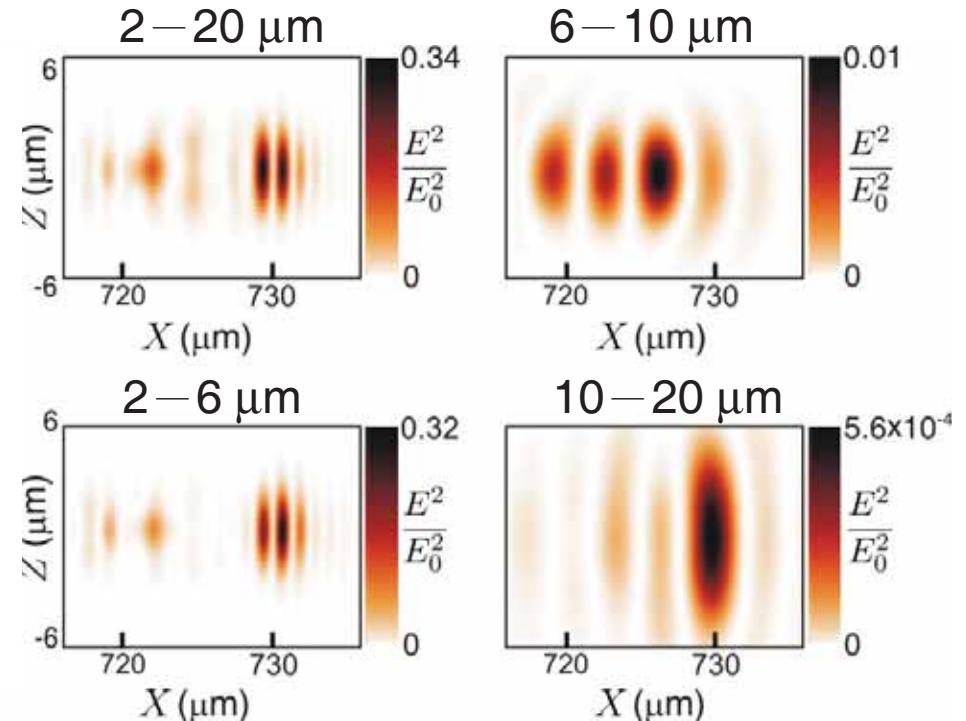
consistent with particle-in-cell simulation

Comparing with simulation and theoretical estimation

Estimation based on Fourier transform of the phase modulated pulse



Square of the electric field of the numerically filtered mid-IR pulse



- Energy: 7 mJ, duration 12 fs, mid-IR peak power in the bubble: > 0.5 TW
- The mid-IR pulse is encapsulated in the low-density bubble, hence is not absorbed by the plasma. The wavelength-scale bubble ensures high spatial coherence.

Relativistic induced birefringence

Phys. Rev. A **83**, 033801 (2011)

Two-beam interaction via plasma waves

$$\left[\begin{array}{l} a_x = a \sin(k\zeta) + \frac{a'}{\sqrt{2}} \sin(k'\zeta') \\ a_y = \frac{a'}{\sqrt{2}} \sin(k'\zeta') \\ a_z = 0 \end{array} \right. \quad \left[\begin{array}{l} \zeta = \eta z - ct, \quad \zeta' = \eta' z - ct \\ \eta, \eta': \text{refractive index} \end{array} \right.$$

$$a' \ll a$$

$$\left(\nabla^2 - \frac{\partial^2}{c^2 \partial t^2} \right) \mathbf{a} = k_p^2 \frac{n_e}{n_0} \boldsymbol{\beta} + \frac{\partial \nabla \phi}{c \partial t} \quad \text{Maxwell Equation}$$

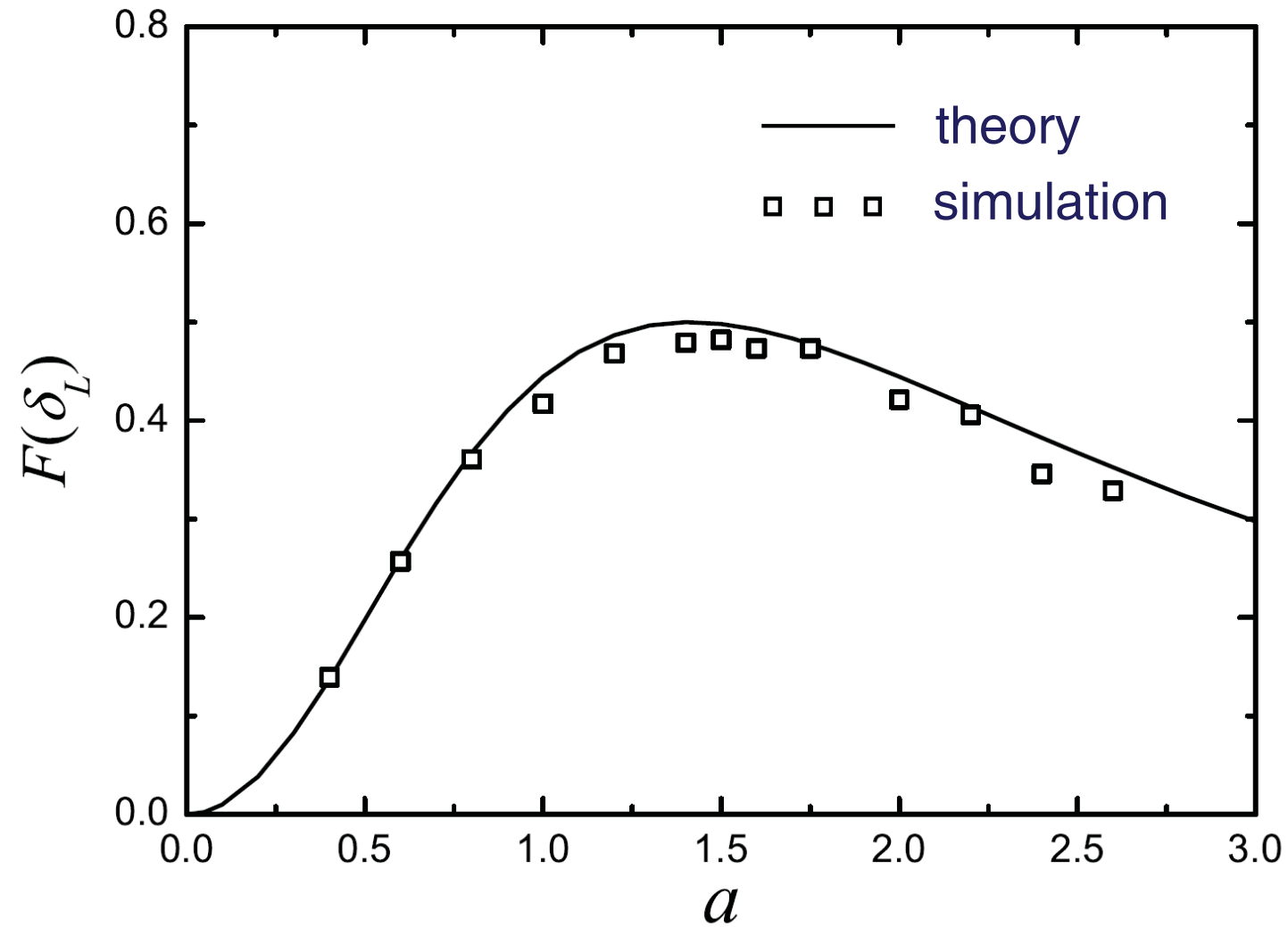
nonlinear source terms (functions of $\mathbf{a}$)

a and a' create plasma waves of $k \pm k'$, which scatter a_x into a_x' .

induced birefringence

$$\eta_y' - \eta_x' \approx \frac{k_p^4 a^2}{8(1 + a^2/2)^2 k'^2} \left[\frac{1}{(k + k')^2} + \frac{1}{(k - k')^2} \right]$$

Verified by particle-in-cell simulation





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Joint Laboratory of High-Field Physics and Ultrafast Technology



Thank you for your attention!