

# **Workshop on Quantum Nonlocality, Causal Structures and Device-Independent Quantum Information**

10th-14th Dec. 2015  
National Cheng Kung University, Taiwan

## **In Search of Superluminal Quantum Communications: preliminary measurements.**

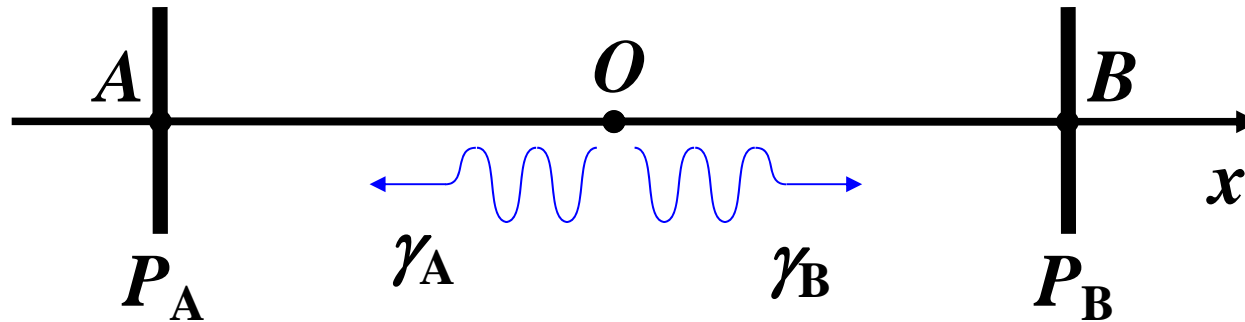
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# The EPR Paradox (Einstein, Podolski, Rosen)



$\gamma_A$  and  $\gamma_B$ : photons emitted at point  $O$  in the entangled state

$$|\psi\rangle = \frac{1}{\sqrt{2}} (|HH\rangle + e^{i\phi}|VV\rangle)$$

$H, V$  = horizontal and vertical polarization.

QUANTUM MECHANICS IS NON LOCAL: a measurement of polarization of photon  $\gamma_A$  at point  $A$  leads to the collapse of state  $|\psi\rangle$  and sets the polarization of photon  $\gamma_B$  at point  $B$  even for “space like” events ([Action at a distance ?](#)).

# Local Interpretations of $QM$

## - Local variables

The entangled state  $|\psi\rangle$  is a statistical collection of states as well as for thermodynamic systems. At the creation time each photon is in a well defined polarization state with a given probability.

Bell inequality (1964)  
Aspect experiment (1982)



**Local variables alone cannot explain experimental results; We need “something more”**

## - Superluminal communications (Bell<sup>1</sup>, Eberhard<sup>2</sup>, Bohm and Hiley<sup>3</sup>)

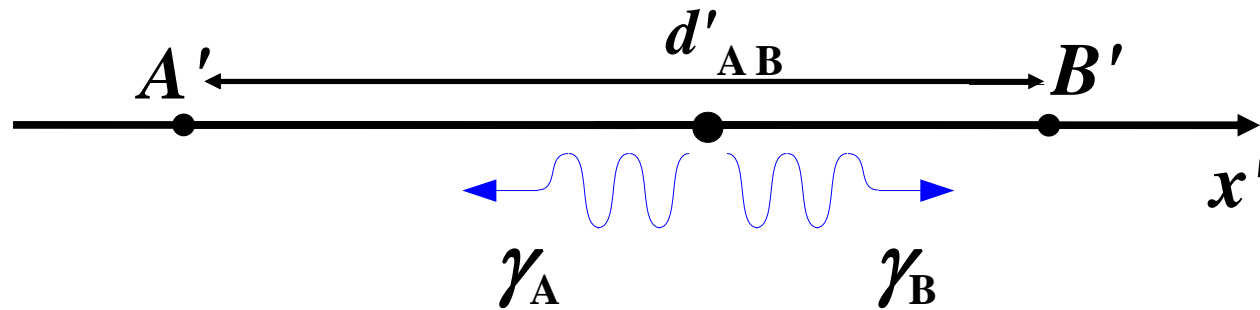
The wave function collapse occurs locally and propagates at a distance through superluminal messengers (**tachyons**).

**if the model is of  $PF$  with superluminal messengers will**  
**Causal physics in the relativistic point of view, absolutely no !**

**$V = \beta \cdot c$  : tachyon's velocity in the  $PF$**   
J. D. Bancal, S. Pironio, A. Acín, Y. C. Liang, V. Scarani and Nicolas Gisin, 2012 *Physical Review Letters* **108** 050401, arXiv:1209.3685  
T. J. Barnea, J. D. Bancal, Y. C. Liang and N. Gisin, 2013 *Physical Review Letters* **110** 010401, arXiv:1212.2012

1: J. S. Bell in P. C. W. Davies and J. R. Brown, “The Ghost in the Atom”, Cambridge University Press (1986)  
2: P. H. Eberhard, *A realistic model for Quantum Theory with a locality property*, in W. Schommers (Ed.), “Quantum Theories and Pictures of Reality”, W. Schommers, ed., Springer Verlag, Berlin (1989).  
- *Restoring Locality with Faster-Than-Light Velocities*, Lawrence Berkeley Lab., LBL-34575, (Aug. 1993).  
3: D. Bohm and B. J. Hiley, “The undivided universe”, Routledge (1993)

# Ideal Experiment in the $PF$ $S'$

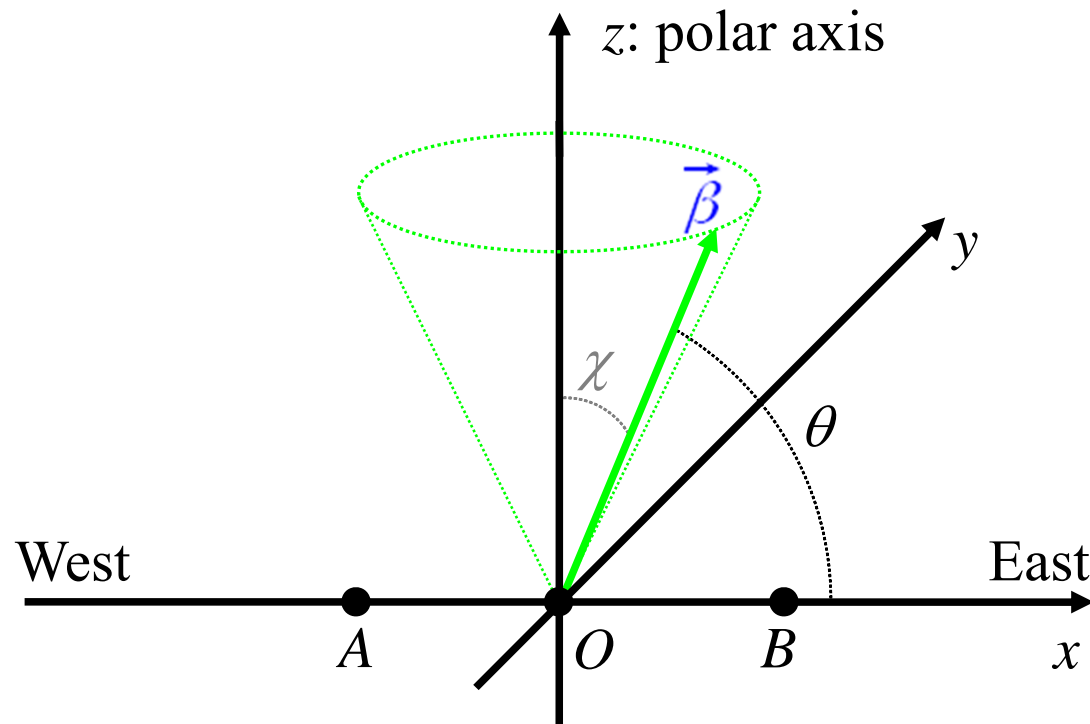


$$|\Delta t'| > 0$$

**No quantum communication occurs if**

$$\beta_t < \beta_{t, \max} = d'_{AB} / |c\Delta t'|$$

# Actual Experiment on the Earth Frame



$\vec{V} = \vec{\beta} c$ : velocity of the *PF*.

*O*: source of the entangled photons

$$OA = OB \quad \Rightarrow \quad \Delta t = 0$$

Lorentz transformations:  $\Delta t' = \gamma (\Delta t - \vec{\beta} \cdot \vec{AB} / c)$

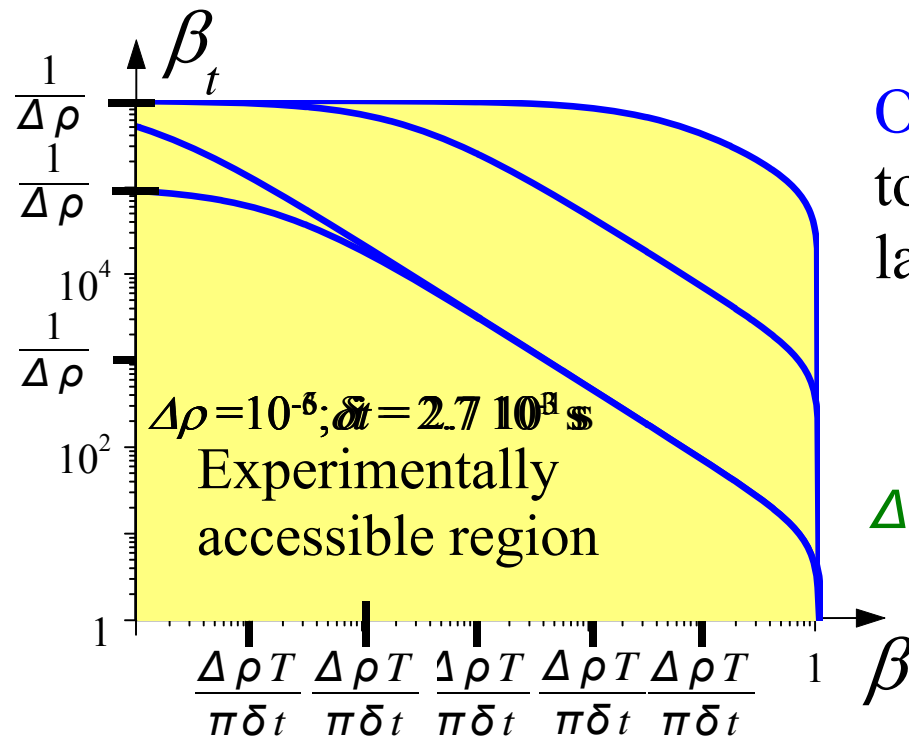
$$\Rightarrow \quad \Delta t' = 0 \quad \text{if} \quad \Delta t = 0 \quad \text{and} \quad \vec{\beta} \cdot \vec{AB} = 0$$

# Quantum communication does not occur if $\beta_t < \beta_{t, \max}$

$$\beta_{t, \max} = \beta \sqrt{1 + \frac{(1 - \beta^2)[1 - (\Delta\rho)^2]}{\left[ \Delta\rho + \beta \sin\left(\frac{\pi}{T} \delta t\right) \right]^2}}$$

D. Salart et al., Nature  
454 (2008) 861.

$\Delta\rho = \frac{\Delta d}{d_{AB}} \ll 1$  ( $\Delta d$  = uncertainty on the optical paths equality),  $\delta t$  = acquisition time ( $\delta t \ll T$ ),  
 $\beta = v/c$  = preferred frame velocity,  $T$  = sidereal day,

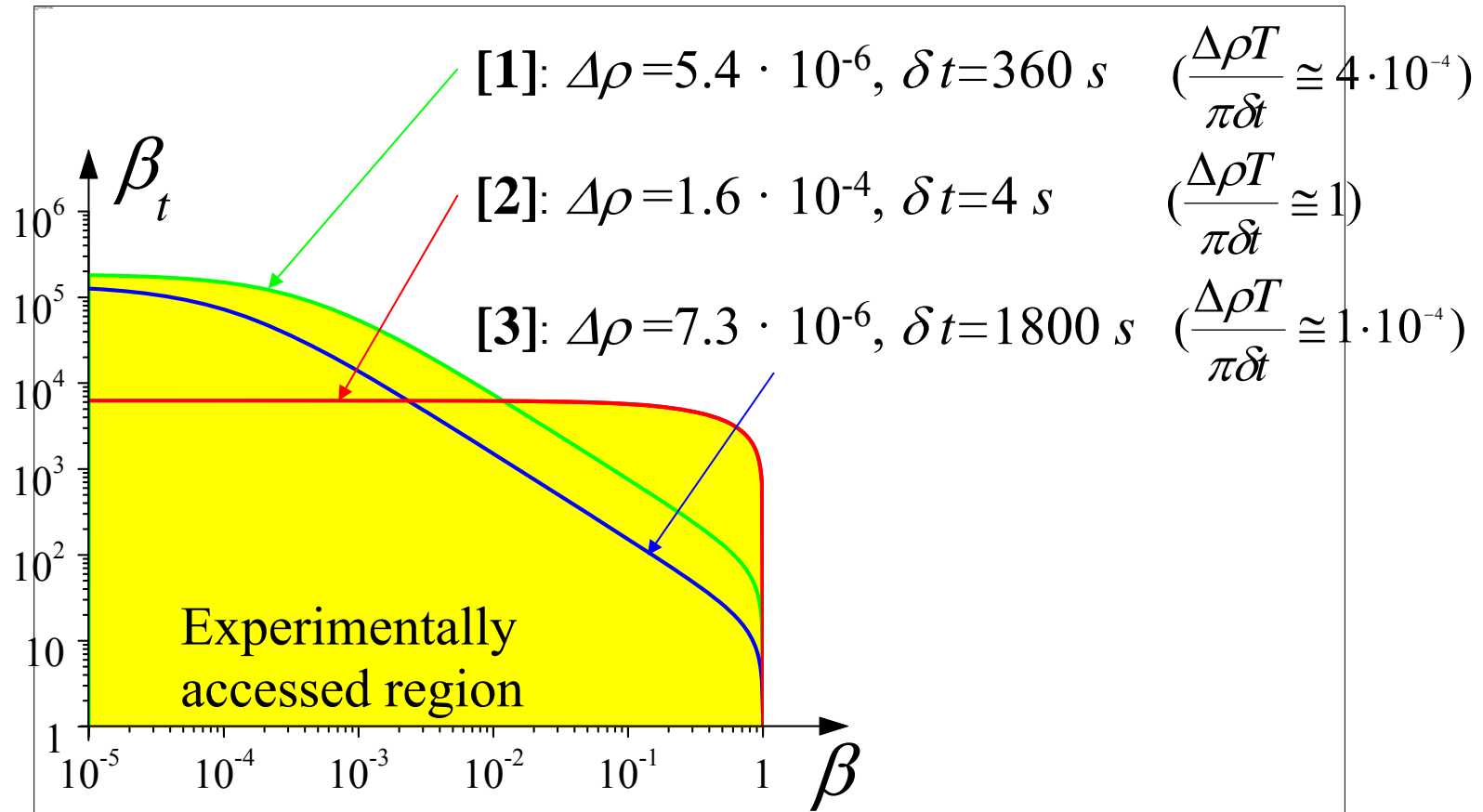


Optimal experimental conditions  
to have an accessible region as  
large as possible:

$\Delta\rho \rightarrow 0$

$\frac{\Delta\rho T}{\pi \delta t} > 1 \Rightarrow \delta t < \frac{\Delta\rho}{\pi} T$

# Previous experimental results

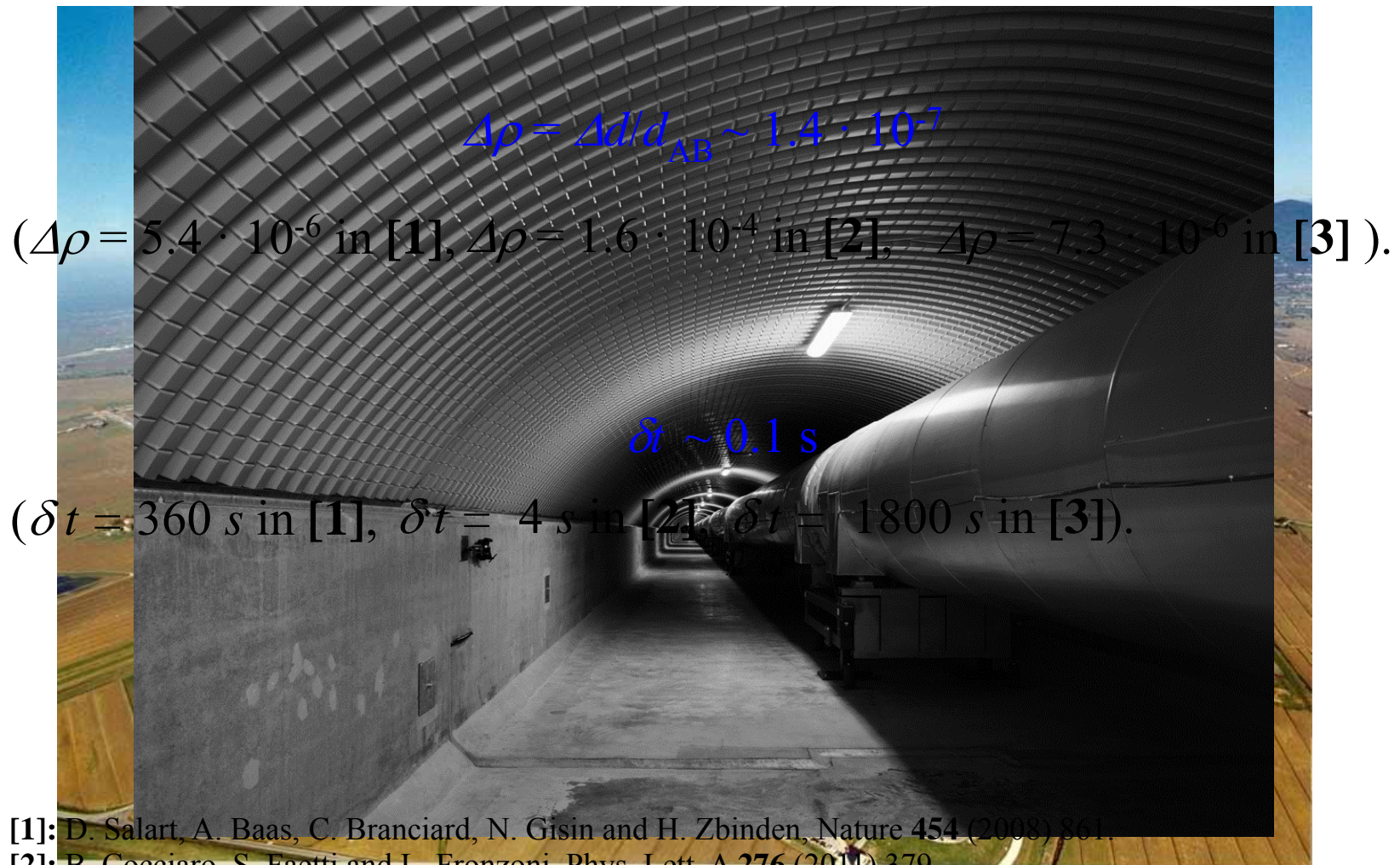


[1]: D. Salart, A. Baas, C. Branciard, N. Gisin and H. Zbinden, Nature **454** (2008) 861.

[2]: B. Cocciano, S. Faetti and L. Fronzoni, Phys. Lett. A **276** (2011) 379.

[3]: J. Yin, Y. Cao, H. L. Yong, J. G. Ren, H. Liang, S. K. Liao, F. Zhou, C. Liu, Y. P. Wu, G. S. Pan, L. Li, N. L. Liu, Q. Zhang, C. Z. Peng and J. W. Pan, 2013 Phys. Rev. Lett. **110** (26) 260407

# A new improved experiment (EGO - Virgo)



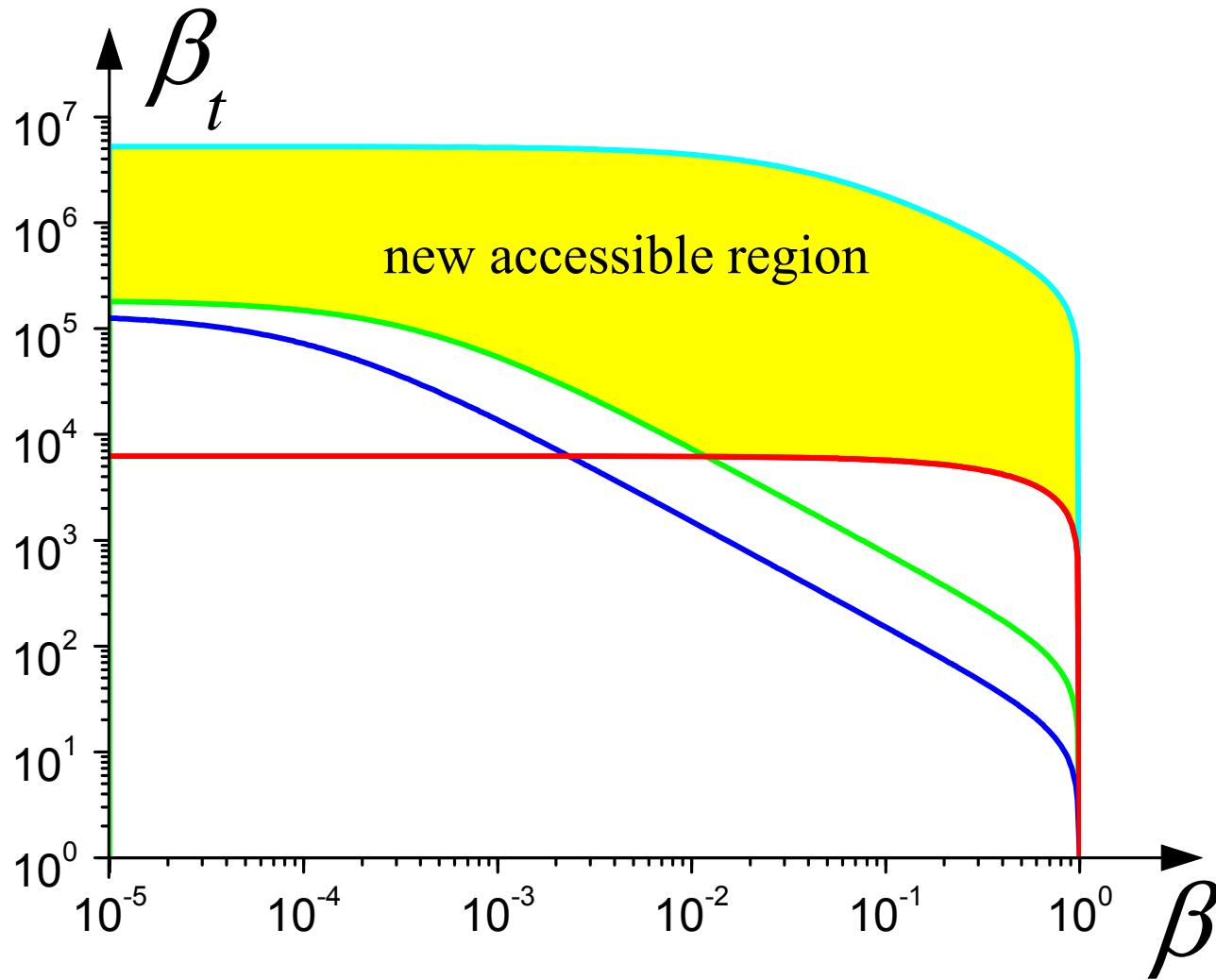
[1]: D. Salart, A. Baas, C. Branciard, N. Gisin and H. Zbinden, Nature **454** (2008) 861.

[2]: B. Cocciano, S. Faetti and L. Fronzoni, Phys. Lett. A **276** (2011) 379.

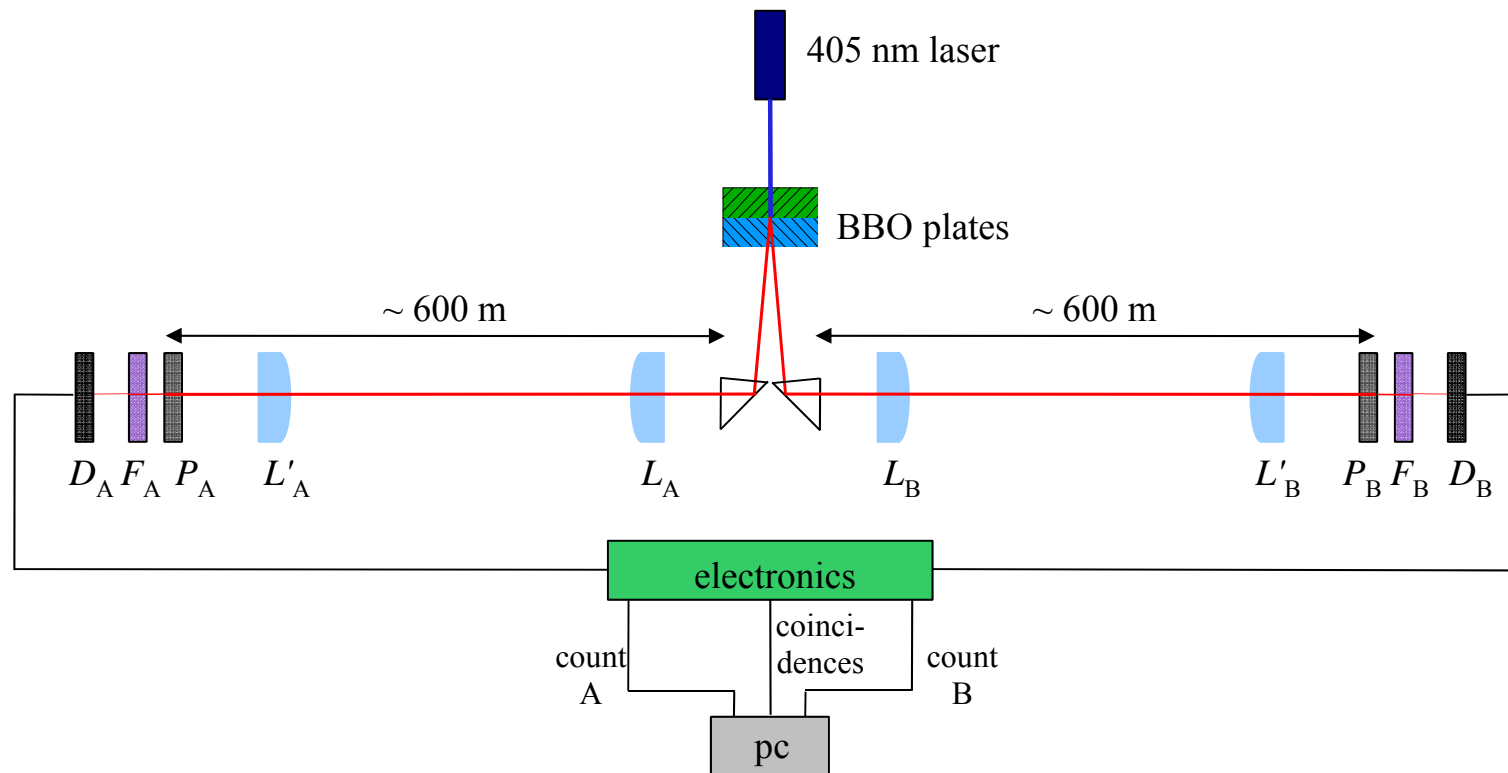
[3]: J. Yin, Y. Cao, H. L. Yong, J. G. Ren, H. Liang, S. K. Liao, F. Zhou, C. Liu, Y. P. Wu, G. S. Pan, L. Li, N. L. Liu, Q. Zhang, C. Z. Peng and J. W. Pan, 2013 Phys. Rev. Lett. **110** (26) 260407



# Expected Experimental Results



# Schematic view of the experimental apparatus



$L_A, L'_A, L_B, L'_B$  = achromatic lenses with focal length  $f = 6$  m and diameter  $\phi = 10$  cm;  
 $P_A, P_B$  = polarizing plates (thickness=220  $\mu\text{m}$ );  
 $F_A, F_B$  = bandpass optical filters ( $\Delta\lambda = 10$  nm);  
 $D_A, D_B$  = Detectors (avalanche photodiodes + electronics).

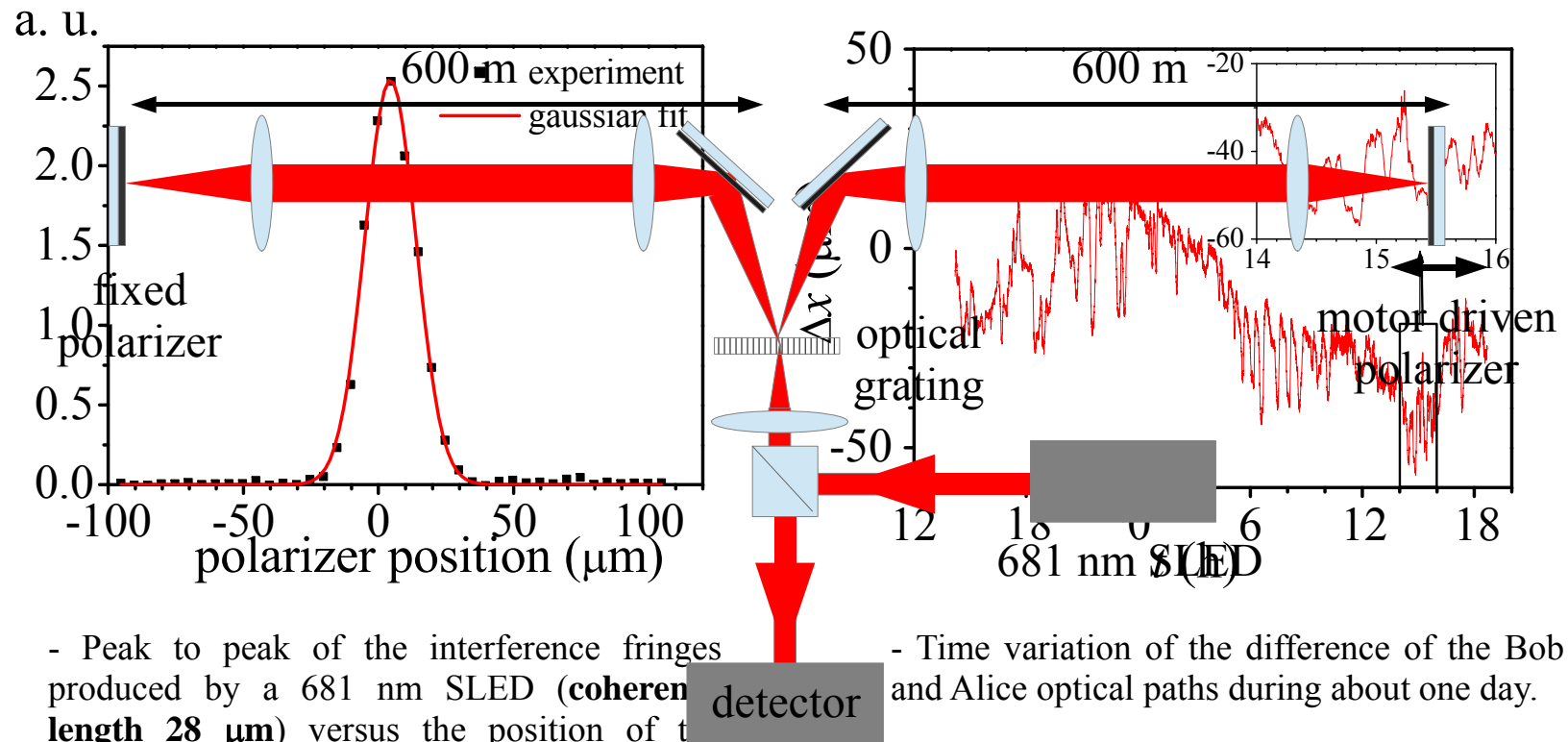
# Main features of the new experiment:

1 – small uncertainty on the equality of the optical paths ( $\Delta d < 30 \mu\text{m}$ ):

- \* interferometric method to equalize the optical paths;
- \* interferometric feed-back to maintain the paths equality during a sidereal day;

## Preliminary interferometric measurements over 120 m paths

Simplified scheme of the interferometric apparatus



- Peak to peak of the interference fringes produced by a 681 nm SLED (coherent length 28  $\mu\text{m}$ ) versus the position of the motor moved polarizer. The maximum corresponds to the equality of the optical paths in the interferometer.

- Time variation of the difference of the Bob and Alice optical paths during about one day.

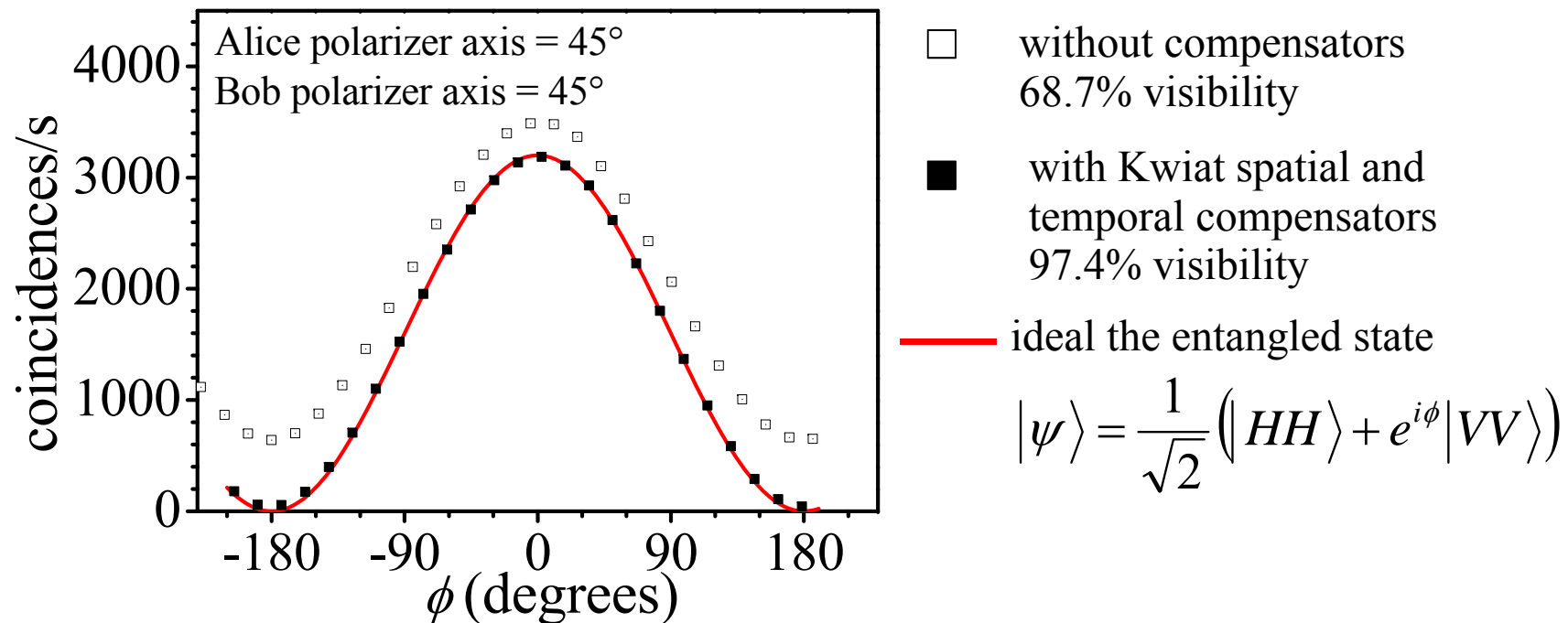
# Main features of the new experiment:

**2** - large number of coincidences/s  $\Rightarrow \delta t < 0.1$  s:

- \* high power pump laser beam (210 mW at 406.3 nm);
- \* detection of entangled photons over a large solid angle (aperture  $0.7^\circ$ );
- \* negligible photon losses along the paths ( $\sim 600$  m) by a suitable optical design.

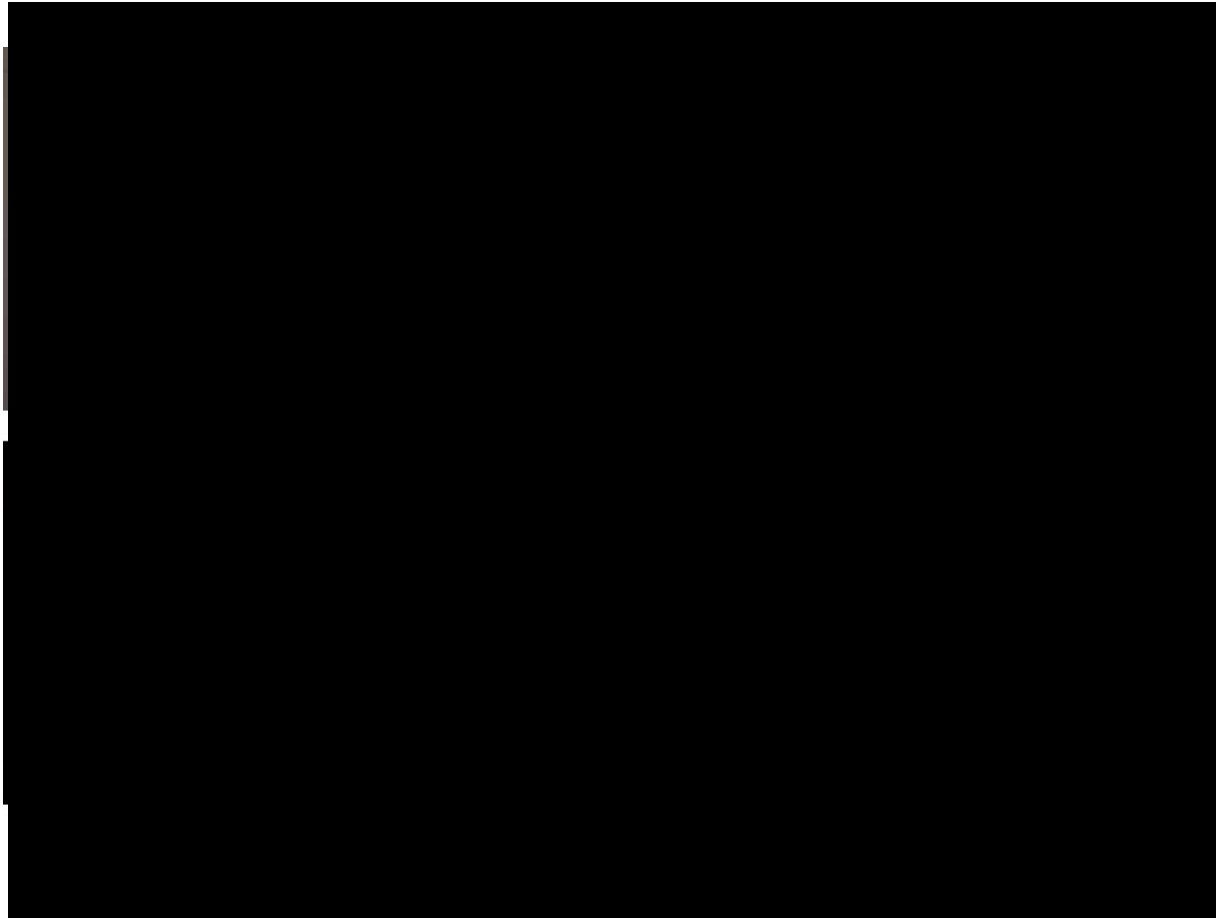
**3** – high fidelity of the entangled state ( $\sim 98\%$ ):

- \* use of the method developed by the Kwiat group [R. Rangarajan, M. Goggin and P. Kwiat, Optics Express, **17** 18920 (2009)] to compensate the dephasing due to the large detection solid angle and the  $167 \mu\text{m}$  coherence length of the pump laser.



# Drawbacks:

1 – wander and beam spot size variations due to air turbulence:



Images of an expanded (5 cm diameter) HeNe laser beam at various distances from the laser source

# Drawbacks:

2 – air dispersion  $\Rightarrow$  uncertainty on the optical paths of the entangled photons:

$$\Delta d = (\partial n / \partial \lambda) \Delta \lambda d \sim 40 \mu\text{m}$$

$n$  = air refractive index<sup>1</sup>

$\Delta \lambda$  = width of the interference optical filters (10 nm)

$d$  = photons path length ( $\sim 600$  m)

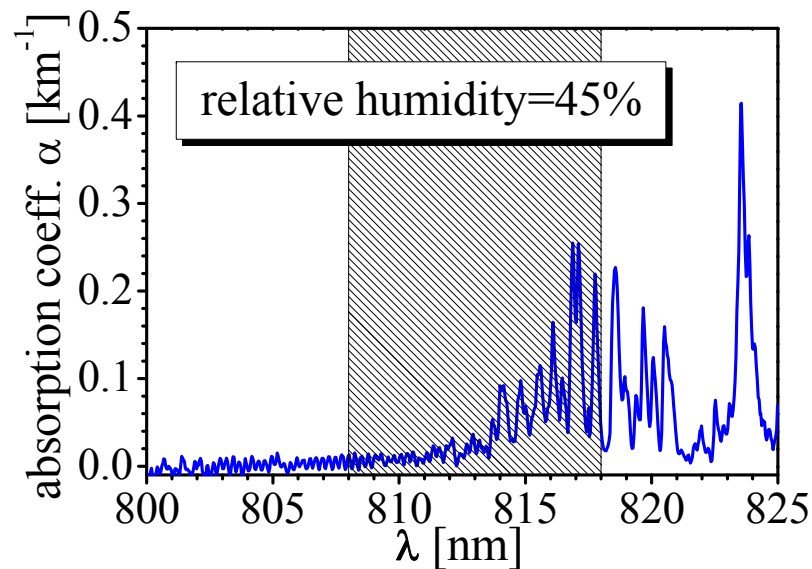


negligible with respect to our main uncertainty due to the finite thickness of the polarizing layers ( $\sim 220 \mu\text{m}$ )

1: P. E. Ciddor *Appl. Opt.* 35, 1566–1573 (1996) and <http://emtoolbox.nist.gov/Wavelength/Ciddor.asp>

# Drawbacks:

## 3 – air absorption of entangled photons at 813 nm



The absorption peaks in the figure are due to  $\text{H}_2\text{O}$ . From integration of the absorption spectrum in the 808-818 nm interval (bandwidth of our filters) we get the fraction of absorbed entangled photons at 600 m:

$$\Delta n/n = 2.4\%$$

For a 100% relative humidity we estimate

$$\Delta n/n = 5.3\%$$



Air absorption doesn't represent an important drawback for our experiment.

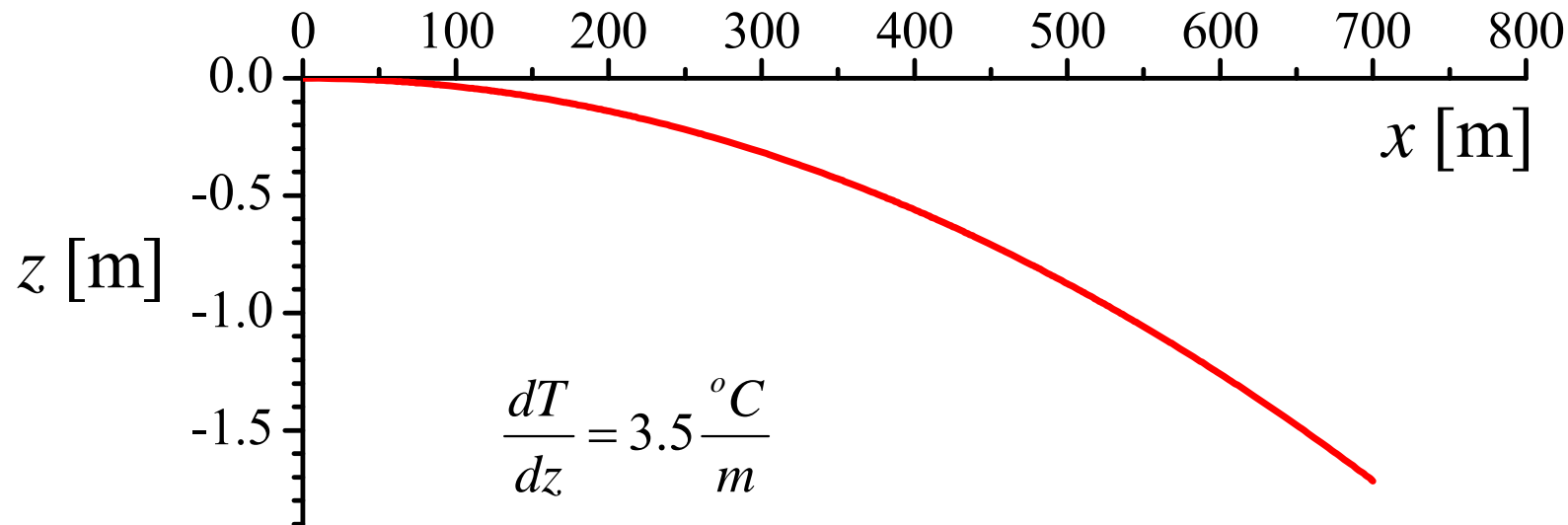
# An unexpected drawback:

Vertical displacement of the optical beams due to the temperature gradient produced by sunlight on the top of the EGO gallery (up to 1.2 m at a distance of 600 m!)

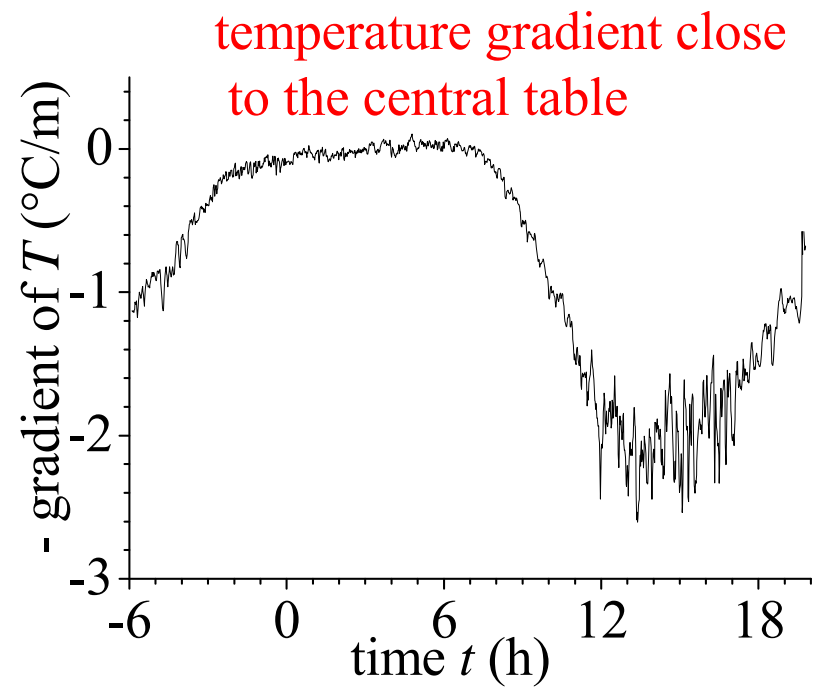
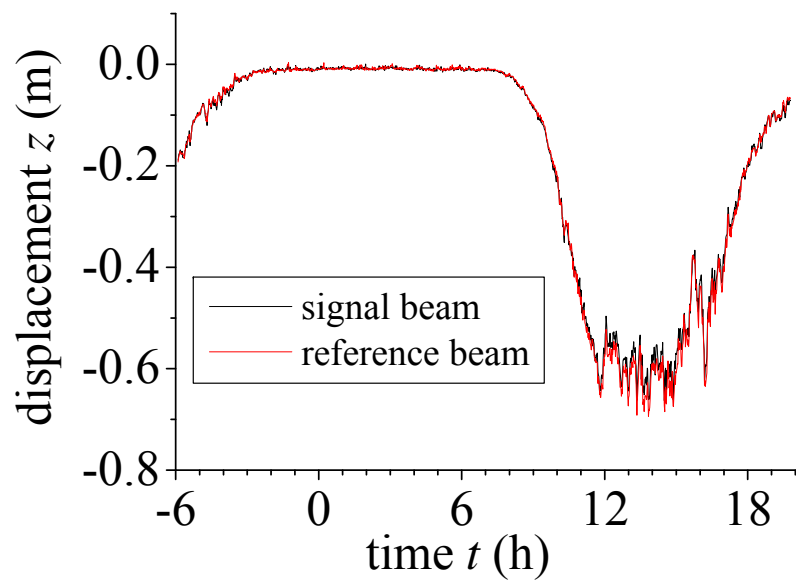
Theoretical predictions for the vertical beam displacement,  $z$ , versus the horizontal beam displacement,  $x$ , along the EGO gallery:

$$z(x) = \frac{a}{2} x^2$$

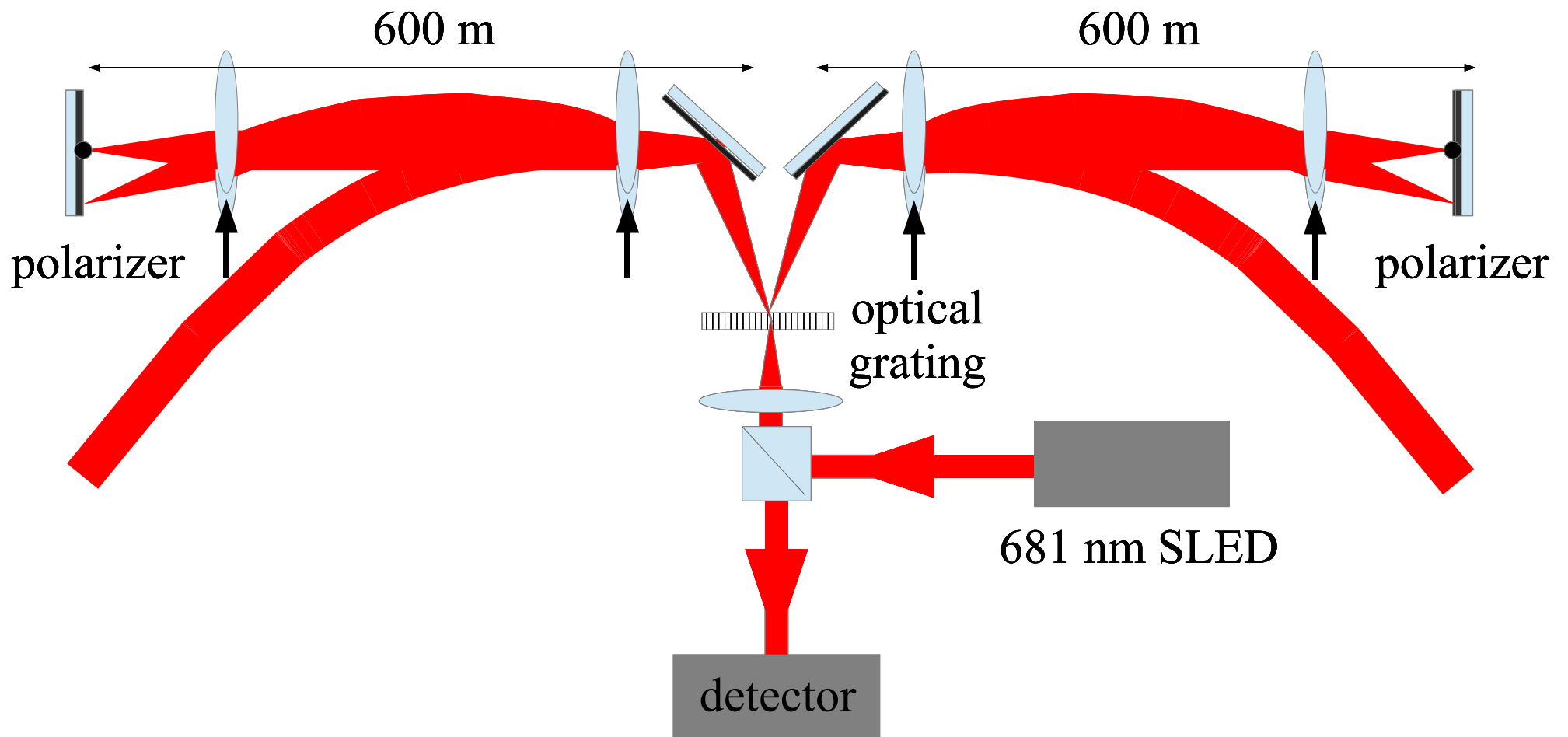
where  $a = \frac{d \ln[n(T)]}{dT} \frac{dT}{dz} \cong -10^{-6} \frac{dT}{dz}$

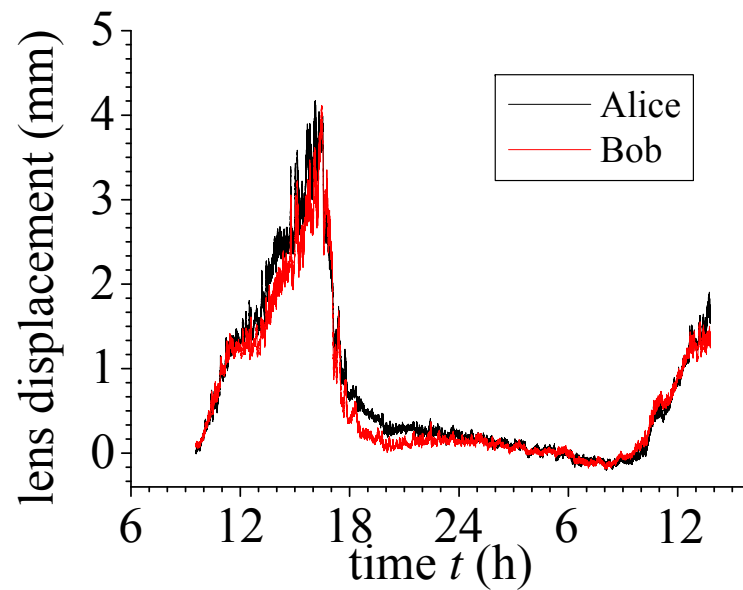
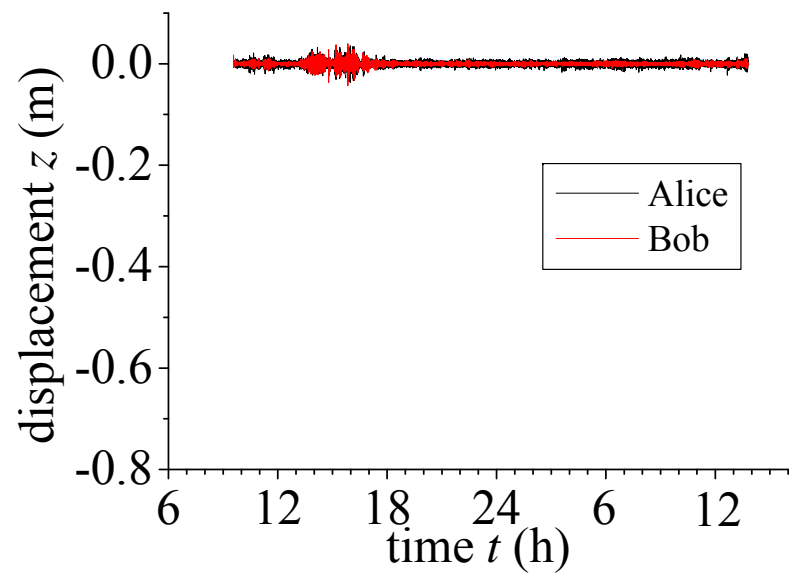


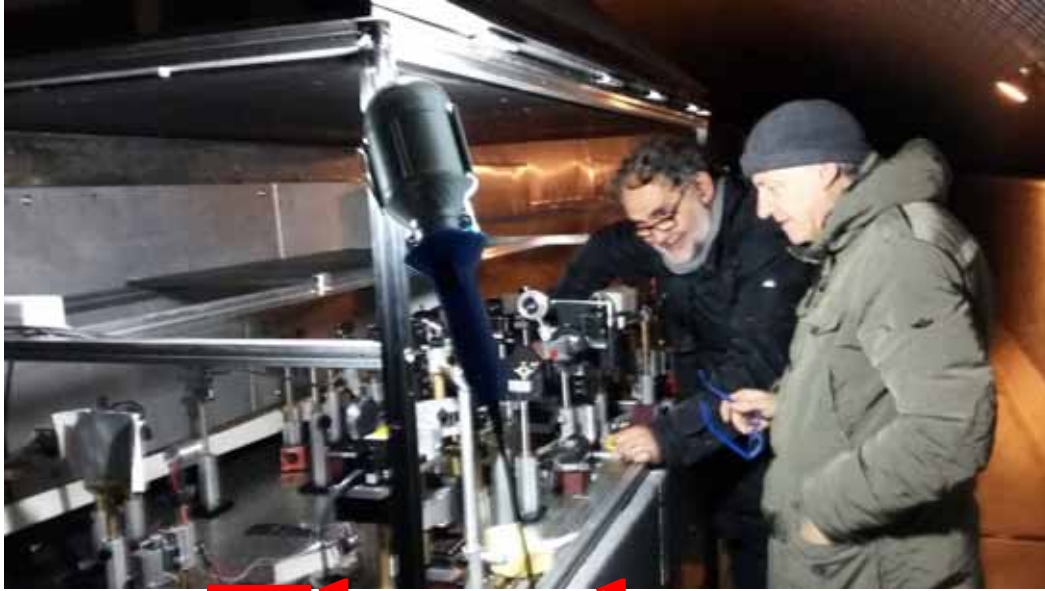




# midday: high-precision velocimetry







Thank you very much



winter:  $T=5\text{ C}$  (41 F)

summer:  $T=35\text{ C}$  (95 F)