Lecture 2 : using single atoms as controlled single-photon sources

- 1. Basics of non-classical-light and single photons
- 2. Generating indistinguishable single photons from single atoms
- 3. From single atoms to single qubits





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Part 1

From heralded single photons (1986) to single-mode single photons using a single trapped atom (2005)

Darquié et al, Science 309, 454 (2005)



"KLM" Linear Quantum Computing requires indistinguishable photons !



Single Photon Sources





© Easy to Produce

c_N (0) << 1 \odot

Single photon sources : a simple example

NV centers in diamond nanocrystals

"Single photon quantum cryptography" A. Beveratos, R. Brouri, T. Gacoin, A. Villing, J.P. Poizat and P. Grangier Phys. Rev. Lett. <u>89</u> (18), 187901 (2002)





NV = Nitrogen-Vacancy



 $\emptyset = 50 \text{ nm} \ll \lambda/n$

diamond nanocrystal





Looking at single photon interferences

Singlephoton source : NV centers in diamond nanocrystals, pulsed excitation

SPU



Experiment realized at ENS Cachan :

ICCD

V. Jacques, E. Wu, T. Toury, F. Treussart,
A. Aspect, P. Grangier and J.-F. Roch
Eur. Phys. J. D 35, 561-565 (2005)

Free download !



Triggered emission of single photons by an atom





EXCITING THE ATOM



Excitation process based on π – pulse \Rightarrow test by observing Rabi oscillations on the 780 nm transition

2 - level system model : $P_e \propto \sin^2 \Omega T/2$

Pulse duration (4 ns) << lifetime of the atomic transition (26 ns)

For a fixed pulse duration T = 4 ns, change the laser power $\propto \Omega^2$







Start - stop configuration:

measure the number of coincidences for different delays $\boldsymbol{\tau}$

->second-order intensity correlation function $g^{(2)}(\tau)$

= Probability to detect one photon at time t, and another one at time t+ τ

Some formulas... Definition of the intensity correlation function $g^{(2)}(\tau)$:

$$g^{(2)}(t, t+\tau) = \frac{P(t, t+\tau)}{P(t)P(t+\tau)}$$

Classically P is proportionnal to the intensity :

$$\mathcal{I}(t) = \langle \mathcal{E}^*(t) \mathcal{E}(t) \rangle$$

and thus :

$$g^{(2)}_{class}(\tau) = \frac{\langle \mathcal{E}^*(t)\mathcal{E}^*(t+\tau)\mathcal{E}(t+\tau)\mathcal{E}(t)\rangle}{\langle \mathcal{E}^*(t)\mathcal{E}(t)\rangle^2} = \frac{\langle \mathcal{I}(t+\tau)\mathcal{I}(t)\rangle}{\langle \mathcal{I}(t)\rangle^2}$$

En utilisant les inégalités $\langle \mathcal{I}^2(t) \rangle \geq \langle \mathcal{I}(t) \rangle^2$ et $\langle \mathcal{I}^2(t) \rangle \geq \langle \mathcal{I}(t + \tau) \mathcal{I}(t) \rangle$ (inégalités de Cauchy-Schwartz), on voit que :

$$g^{(2)}_{class}(0) \ge 1 \qquad g^{(2)}_{class}(0) \ge g^{(2)}_{class}(\tau)$$

Quantum expression of $g^{(2)}(\tau)$:

$$g^{(2)}(\tau, \ \vec{r}) = \frac{\langle \hat{E}^{(-)}(t, \ \vec{r}) \hat{E}^{(-)}(t+\tau, \ \vec{r}) \hat{E}^{(+)}(t+\tau, \ \vec{r}) \hat{E}^{(+)}(t, \ \vec{r}) \rangle}{\langle \hat{E}^{(-)}(t, \ \vec{r}) \hat{E}^{(+)}(t, \ \vec{r}) \rangle^2}$$

For a single photon one can have $g^{(2)}(\tau) = 0$!



Start - stop configuration: measure the number of coincidences for different delays τ

->second-order intensity correlation function $g^{(2)}(\tau)$

Antibunching : $g^{(2)}(0) < g^{(2)}(\tau)$

Anticorrelation : $g^{(2)}(0) < 1$ (related to sub-poissonian photon statistics)









$$C_{\rm N}(0) = 2 p(2) / p(1)^2 = 0.034 = 1/30$$

 \Rightarrow Probability to emit 2 photons during a pulse, p(2) = 0.018







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Part 2

Two-photon coalescence

from two independantly trapped atoms

- * direct demonstration that the photons are single-mode
- * essential step towards scalability of the KLM scheme

Two-photon interferences (Hong-Ou-Mandel "HOM" effect)

Rb atoms are all the same -> Indistinguishable photons !



Two atoms at your fingertips N. Schlosser et al, Nature <u>411</u>, 1024 (2001) PRL <u>89</u>, 023005 (2002)





- Detect 2 atoms (signal above threshold)
- Launch 15 cycles containing 575 pulses (115 μs) followed by 885 μs cooling
- Release the remaining atom(s)
- Catch 2 atoms again (~ 300 ms) and loop





Time-domain matching



Exactly balanced optical paths

⇒ The two « photon wavepackets » (« 8 m long ») arrive simultaneously onto the detectors





Separation vs recombination









Coincidences counting



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« Indistinguishable Photons »



Resolution 3.6 ns







Experiments with single trapped atoms



One single atom emits a transform-limited single photon B. Darquié et al, Science 309, 454 (2005)



Two single atoms emit two indistinguishable single photons : « coalescence » on a beamsplitter J. Beugnon et al, Nature 440, 776 (2006)



Absorption and dispersion from one single atom C. Kurtsiefer et al, arXiv:0905.3734v1 22 May 2009





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Part 3

From single atoms to single qubits

The quantum bit

Choose a quantum two-state system with good coherence !



1-2, easy to prepare (stretched state)

The quantum bit

Choose a quantum two-state system with good coherence !



The toolbox: initialization and readout of the qubit **Detection + Initialization** State-selective detection Counts / ms 12 8 U N 0 Push-out beam 10 15 20 25 0 5 time (sec) F' = 2 $|1\rangle$ F' = 1 **|**0⟩ Renumbing Check for the presence of the atom π π ۱ No atom \Rightarrow $|1\rangle$ 1 ١ ۱ Atom \Rightarrow |0 \rangle 98% efficiency, quantum projection noise limited Efficiency: 85% in $|0\rangle$

Single qubit rotation



High intensity: $\pi/2$ pulse in 37 ns

Coherence of the qubit: Ramsey spectroscopy

How stable is φ in $\cos\theta |0\rangle + \sin\theta e^{i\varphi} |1\rangle$?



Decay : limited by residual motion of the atom in the trap

Decay of the Ramsey fringes: coupling external/internal



 \Rightarrow « dephasing » : ok

Differential light shift

 $\propto rac{\omega_{
m HF}}{\Delta} \; U(r(t))$

Reversible dephasing: spin echo



We can « rephase » the atoms after ~ 40 ms = 70 x coherence time

 π pulse:

 $|0\rangle \rightarrow |1\rangle$

 $|1\rangle \rightarrow -|0\rangle$

Irreversible decoherence time (40 ms) = $10^6 \times$ the $\pi/2$ Rabi flopping time (40 ns)

M.P.A. Jones et al., PRA 75, 040301 (2007)

Moving the qubits





- Scale of the motion :
 a few µm in a few ms
- OK for a quantum register (coherence time : tens of ms)

Time (ms)

Motion and transfer of single qubits





Thank you for your attention... (and see you tomorrow !)